# Chap 5: Global Supply Chain (GSC) 

- Globalisation of SC
$\rightarrow$ Opportunity (Zara, Nokia) , some unprepared
$\rightarrow$ Increase risk especially in case of uncertainty
- Impact of globalisation
- Off-shoring decisions
- Risk Management in GSC
- Various aspects of evaluating GSC designs
- Case studies


## Impact of Globalisation in SC

- A) Opportunities:
- Developing countries (20-30\% growth global sales)
- Example: Opportunity for Nokia: 2007

China \& India $\boldsymbol{\rightarrow}$ 20\%;
BRIC countries (Brazil, Russia, India China) $\rightarrow 25 \%$

- Example: Consumer Electronic
$\rightarrow$ Cost reduction: light weight products, high value, cheap and easy to ship
$\rightarrow$ Large economy of scale
$\rightarrow$ Production consolidation in a few locations for multiple products


## Examples of Risk within GSCs

- Huricane in 2005:

Damage 40,000 acres of plantation (25\% drop in banana production)

- Introduction of Sony Play station 3:

Components shortage \& company stock marked price dropped.

- Main risks (>30\%):

Natural disaster (35\%), volatility of fuel prices (37\%), performance of SC partners (38\%), logistic capacity (33\%).

- Massive fluctuation of euro vs \$:

2000-2008 [0.84-1.60] $\rightarrow$ affects significantly fragile SCs

## Off-shoring Decisions

- Off-shoring $\rightarrow$ Benefits via cost reduction
- Labor \& fixed cost;
- Possible tax advantage
- But Total Cost (not just unit cost!) is crucial
- Evaluate the complete sourcing process
- Risk of increase length of the following 3 flows
(information flow; product flow \& cash flow)


## Off-shoring Decisions (cont)

- Negative factors
- Transport cost may increase
- Cost reduction may decrease
- Those off shore countries develop.
- Wage inflation (2003-3008: 20\% china but just 3\% in US)
- Exchange rate can be problematic
- Risk of political/economical uncertainty
- The decision may become less attractive


## Attractive products for GSCs

- High labor content
- Large production value
- Not too much variety
- Low transportation wrt product value
- Components highly dense
- Tight packaging (eg; IKEA ship components flat \& high density; Nissan redesign some of their globally sourcing components, EU encourage similar pallets sizes)
$\rightarrow$ better packaging $\rightarrow$ decrease in transportation content
- Efficient analytical loading techniques!
- Selection of production process
- which activity to off-shore?


## Risk Management in GSCs

- Global SCs are subject to more risks than local SCs
- Variety of risks:
- Supply disruption
- Supply delay and congestion at ports
- Demand fluctuation
- Exchange rate
- Other risks and how to design mitigation strategies (student discussion)?


## Effects of Risk in GSCs

- Example: In March 2000, Plant owned by Royal Philips Electronics (New Mexico) caught fire, several companies were affected but let examine two firms that were affected differently, Nokia and Ericson.
- Nokia: responded to the disruption using other suppliers $\rightarrow$ effect was contained
- Ericson: had no backup suppliers in its network $\rightarrow$ suffered a loss of \$400M
- Need for flexible capacity is part of the SC design


# Cost of Flexibility vs Risk Effect (some examples) 

- Having several suppliers
$\rightarrow$ reduce risk of disruption $\rightarrow$ increase cost (economy of scale not great) $\rightarrow$ overall control and confidentiality.
- Building larger plants or more plants than required
$\rightarrow$ extra cost (idleness, etc) $\rightarrow$ can be used if needed
- Allowing extra inventory for rainy days
$\rightarrow$ extra cost incl perishable/out of date goods $\rightarrow$ allow the SC to respond to high unexpected demand.


## Some Mitigations Strategies in GSCs

- Increase capacity: Low cost, decentralised capacity for predictable demand but centralised capacity otherwise.
- Redundancy of suppliers redundant suppliers for high volume but centralised redundancy for low volume
- Increase responsiveness: favor cost over responsiveness for commodity products but the opposite for short life cycle products.
- Increase Inventory: decentralised inventory for predictable \& low value products, centralise otherwise.
- Increase flexibility: favor cost vs flexibility for predictable \& high value product, do the opposite otherwise. Centralise flexibility in a few places only if cost is high.
- Increase capability: favor capability over cost for high-value \& high risk products, do the opposite otherwise. Centralise high capability where there is flexible source if possible.


## Three categories in mitigating risks \& uncertainties

## 1- New Product flexibility

- Ability to launch new products quickly
- Useful in competitive environment where technology evolves \& customer is paramount
- Use of common architecture \& product platforms $\rightarrow$ various distinct models (PC industry, Pharmaceutical industry,...)


## 2- Mix Flexibility

- Ability to produce a variety of products quickly
- Useful when demand is small \& unpredictable, supply uncertain, technology evolving rapidly
- Consumer electronic (modular design \& common components)


## Mitigating Risks (Cont)

- 3- Volume flexibility (VF)
-     - Ability to operate well under various levels of output
- Cyclical industries
- Example: In 2008 automotive industry lacking VF suffered when the US market collapsed
$\rightarrow$ build up of inventory
$\rightarrow$ drop of steel price
$\rightarrow$ opportunity for the steel industry to take action and consolidate to avoid future drop.


## Benefits \& limitations of Flexibility

- Benefits of Flexibility is not always increasing (see figure below)




## Flexibility with Chaining \& Containment

## - Chaining

(Example of 4 plants $\square$ and 4 products $\circ$ )
(i) Indep Network

(ii) Fully connected

(iii) Long chain

(iv) 2 Short chains


- Compare (i) ...(iv) and others: cost vs risk [(iv) safer!]
- Chaining good for demand fluctuations but not supply disruption.
- Containment: Smaller chains better for supply disruption $\rightarrow$ contain the impact of disruption.
Example of pig farming (large farms for economy of scale but put in groups to avoid risk of spread of desease.


## Evaluation of GSCs

- Sequence of cash flows over the period.
- Future cashs flows accounting for risks \& uncertainties
- Discounted cash flow (DCF)
- Basic idea: $£ 1$ today is worth less tomorrow (inflation, investment, interest rate, etc)
- Discount factor $(\alpha) ; \alpha=\frac{1}{(1+r)}$ where $r$ is the rate of return over the next period, say $10 \%$ (also known as discount rate, hurdle rate or opportunity cost of capital).


## Cash Flow

## - Example:

$1 £$ next year is equivalent to $1 /(1+0.1)=0.91$ pence today.

- Consider a sequence of cash flows over the next T periods (say T=3 years): $C_{0}, C_{1}, \ldots, C_{T}$ where $C_{t}$ represents the cash flow in year $\mathrm{t}(\mathrm{t}=1, \ldots, \mathrm{~T})$.
- Net Present Value of the project based on the next T periods is:

$$
\begin{aligned}
& N P V=C_{0}+\left(\frac{1}{1+r}\right) C_{1}+\left(\frac{1}{1+r}\right)^{2} C_{2}+\ldots+\left(\frac{1}{1+r}\right)^{T} C_{T} \\
& N P V=\sum_{t=0}^{T}\left(\frac{1}{1+r}\right)^{r} C_{t}
\end{aligned}
$$

## Cash Flows (Cont)

## - How to select the best SC:

- Consider K possible supply chains (say 3 options),each having its NPV, say NPV(k), $k=1, \ldots \mathrm{~K}$ found for each SC.
- The most profitable SC is the one with the largest NPV:

$$
\text { NPV }\left(k^{*}\right)=\text { Maximum\{NPV(k); k=1, .., K\} }
$$

- Example:

Trips Logistics , a $3^{\text {rd }}$ party logistic, wishes to lease some warehousing space. The expected demand is 100,000 units and each unit requires $1 m^{2}$ so the company needs $100,000 \mathrm{~m}^{2}$. The company sells each unit at $£ 1.22$. The company can sign a 3 year deal to lease all the space at $£ 1$ per $m^{2}$ whereas if they buy it on the spot market, it costs $£ 1.20 \mathrm{~m}^{2}$. The discount rate is $10 \%$. Does the company lease all of it or use the spot market?

## Example (cont)

- Option: Lease from the market (spot market option)
- Expected Annual Profit (Spot), E(S)

$$
=(100,000 \times 1.22)-(100,000 \times 1.20)=£ 2000=\mathrm{Co}
$$

- Net Present Value (S)

$$
\operatorname{NPV}(S)=C_{0}+\frac{C_{0}}{(1+0.1)}+\frac{C_{0}}{(1+0.1)^{2}}=2,000+\frac{2,000}{1.1}+\frac{2,000}{1.1^{2}}=£ 5,471
$$

- Option: Lease for 3 years
- Expected Annual Profit (Lease), E(L)

$$
=(100,000 \times 1.22)-(100,000 \times 1.00)=£ 22,000=C^{\prime} \circ
$$

- Net Present Value (S)

$$
N P V(L)=C_{0}^{\prime}+\frac{C_{0}^{\prime}}{(1+0.1)}+\frac{C_{0}^{\prime}}{(1+0.1)^{2}}=22,000+\frac{22,000}{1.1}+\frac{22,000}{1.1^{2}}=£ 60,182
$$

- Decision: NPV(L) $>\mathrm{NPV}(\mathrm{S}) \rightarrow$ Better to Lease
- Question: What happen if the demand drops or increases, if the spot market rate increases, does this strategy remains valid (robust)?


## Dealing with Uncertainty

- Use of binomial trees
- Multiplicative binomial tree D: demand; $a>1 ; b<1$, (say $a=1.1$; $b=0.85$ ), go up with probability $p$ and down with $1-p$ :

- Additive binomial tree: same as above except that $D \rightarrow D+u$ or $D \rightarrow$ D-v instead
- The coefficients $a, b, u, v$ do not need to be fixed at each period.


## Evaluation via Decision Trees

- Knowledge of the alternatives at end of each period with corresponding probability. For instance by the end of next year, the market goes up by $10 \%$ with a $20 \%$ probability.
- Not necessary binary trees: demand, price, exchange rate if all three changed but independently $\rightarrow 8$ leaves from each node (ie $2^{3}$ )
- Construction of the tree
- Identify the duration of each period (month), \# periods and the period discount rate $r$.
- Indentify the factors that could be affected (demand, price, etc) and choose the right distribution for each factor to show uncertainty.
- Represent the decision tree with defined states and transition probabilities
- Start from the end, evaluate each node then work backward until period 0 is reached where the final decision will be taken.


## Case study: Trips Logistics

- Same data as before + the following: demand can go up or down by $20 \%$ with $p=0.5$. The spot market price can also go up and down by $10 \%$ with $p=0.5$. The manager of Trips Logistics wishes to explore the following questions.
(i) Should the firm opt for the spot market strategy for their warehousing space?
(ii) Should they go for a lease strategy and cover any additional space through the spot market?
(iii) Exploring with the lease the possibility of having a flexible lease instead and cover remaining as in (ii)?
- Assume the price and demand are independent, the selling price remains at $£ 1.22$ per unit over the 3 year period, and the discount rate remains at $10 \%$ at the end of the next two years. Assist the manager in constructing the decision tree and evaluate each of the 3 options so to choose the right strategy for its SC.


## Trips Logistics (Tree Construction)

- Construction of the decision tree with defined nodes



## Option 1: The spot market

- Phase 1 (evaluate nodes A-I): compute cost \& profit
$\operatorname{Cost}(A)=144,000 \times 1.45=£ 208,800$;
Profit $(A)=$ Revenue-Cost=(144,000x1.22) $-\operatorname{cost}(A)=175,680-208,800=-£ 33,120$
- Apply the calculations for all other nodes, see Table below.

| Nodes | Revenue | Cost <br> $(\mathbf{1 , 0 0 0})$ | Profit (£) |
| :--- | :--- | :--- | :--- |
| A | $144 \times 1.22$ | $144 \times 1.45$ | $-33,120$ |
| B | I/ | $144 \times 1.19$ | 4,320 |
| C | $96 \times 1.22$ | $96 \times 1.45$ | $-22,080$ |
| D | $114 \times 1.22$ | $144 \times 0.97$ | 36,000 |
| E | $96 \times 1.22$ | $96 \times 1.19$ | 2,880 |
| F | I/ | $96 \times 0.97$ | 24,000 |
| G | $64 \times 1.22$ | $64 \times 1.45$ | $-14,720$ |
| H | I/ | $64 \times 1.19$ | 1,920 |
| I | I/ | $64 \times 0.97$ | 16,000 |

Summary results for $\mathrm{T}=2$

## Option 1: The spot market (cont)

- Phase 2 (evaluate nodes X,Y,Z,T): compute cost, NPV \& Profit

Expected profit $(X)=\operatorname{Exp}(X)=0.25(\operatorname{Profit}(A, B, C, E))=0.25(-33,120+4,320-22,080+2,880)=\rightarrow \operatorname{Exp}(X)$ $=-£ 12,000$ (loss)
$\operatorname{PV}(\operatorname{Exp}(X))=\operatorname{Exp}(X) / 1 \cdot 1=-12,000 / 1.1=-£ 10,909$ (equivalent of true loss at $T=1$ )

- $\quad \operatorname{Profit}(\mathrm{X})=$ Revenue-cost+PV=120,000×1.22-120,000×1.32+(-10,909)=-£22,909
- Do the same for nodes, $X, Y, Z$ and $T$, see results in table below.

| Node | Exp(.) | PV | Revenue | Cost | Profit |
| :--- | :--- | :--- | :--- | :--- | :--- |
| X | $-12,000$ | $-10,909$ | 14,640 | 15,840 | $-22,909$ |
| Y | 16,800 | $?$ | $?$ | $?$ | 32,073 |
| Z | $-8,000$ | $?$ | $?$ | $?$ | $-15,273$ |
| T | 11,200 | $?$ | $?$ | $?$ | 21,382 |

- Phase 3 (evaluate final node S): compute cost, NPV \& Profit.
$\operatorname{Exp}(S)=0.25(\operatorname{Profit}(X, Y, Z, T)=0.25(-22,903+32,073-15,273+21,382)=£ 3,818$
$\operatorname{PV}(\operatorname{Exp}(S))=3,818 / 1.1=£ 3,471$
Profit(S) $=100,000 \times 1.22-(100,000 \times 1.200+3,471=£ 5,471$
$\rightarrow$ Expected NPV for having the space from the spot market is: NPV(Spot) $=£ 5,471$

Exercise: Do extra scenarios (different variations etc and conclude, use excel if you can)

## Option 2: Fixed Lease

- Phase 1 (evaluate nodes A-I): compute cost \& profit
$\operatorname{Cost}(A)=100,000 \times 1.00+44,000 \times 1.45=£ 163,800$;
Profit $(A)=$ Revenue - Cost $=(144,000 \times 1.22)-\operatorname{cost}(A)=175,680-163,800=£ 11,880$
- Apply the calculations for all other nodes, see table below.

| Nodes | Leased <br> space <br> @1£ | Warehouse <br> space <br> $(>100,000)$ | Profit (£) |
| :--- | :--- | :--- | :--- |
| A | 1000,000 | 44,000 | 11,880 |
| B | // | 44,000 | 23,320 |
| C | // | 0 | 17,120 |
| D | // | 44,000 | 33,000 |
| E | // | 0 | 17,120 |
| F | // | 0 | // |
| G | // | 0 | $-21,920$ |
| H | // | 0 | // |
| I | // | 0 | $/ /$ |

Summary of T=2

## Option 2: Fixed Lease (cont)

- Phase 2 (evaluate nodes X,Y,Z,T): compute cost, NPV \& Profit

Expected profit $(X)=\operatorname{Exp}(X)=0.25(\operatorname{Profit}(A, B, C, E))=0.25(11,880+23,320+17,120+17,120)=\rightarrow$ $\operatorname{Exp}(X)=£ 17,360$ (profit)
$\operatorname{PV}(\operatorname{Exp}(X))=\operatorname{Exp}(X) / 1.1=17,360 / 1.1=£ 15,782$ (equivalent of true profit at $T=1$ )

- $\quad$ Profit $(X)=$ Revenue-cost+PV=120,000×1.22-(100,000×1 $+20,000 \times 1.32+15,782=£ 35,782$
- Do the same for nodes, $X, Y, Z$ and $T$, see results in table below.

| Node | Exp(.) | Warehouse <br> Space (spot) | Profit |
| :--- | :--- | :--- | :--- |
| X | 17,360 | 20,000 | 35,782 |
| Y | 22,640 | 20,000 | 45,382 |
| Z | 2,400 | 0 | $-4,582$ |
| T | 2,400 | 0 | $-4,582$ |

Summary of $T=1$

- Phase 3 (evaluate final node S): compute cost, NPV \& Profit.
$\operatorname{Exp}(S)=0.25(\operatorname{Profit}(X, Y, Z, T)=0.25(35,782+45,382-4,582-4,582)=£ 18,000$
$\operatorname{PV}(\operatorname{Exp}(S))=18,000 / 1.1=£ 16,364$
Profit(S) $=100,000 \times 1.22-(100,000 \times 1)+16,364=£ 38,364$
$\rightarrow$ Expected NPV for having the space from the Lease is: NPV(Lease)= $£ 38,364$
Note: This amount though it is still showing it is worth leasing instead of spot market $(38,364>5,547)$ it is much less than the original profit of $£ 60 \mathrm{~K}$. Produce a data table with the fixed lease as variable: $80,80,100, \ldots .120,000$ and evaluate- repeat with a reduced but focussed range around the best option.


## Option 3: Flexible Lease

- Infos: $60,000<=\mathrm{D}<=100,00$ fixed at $1 £ m 2+$ up front $£ 10,000$ (this is paid once up front)
- Phase 1 (evaluate nodes A-I): compute cost \& profit

Nodes with D>100,000 not affected (see option 2, nodes A,B,D)
Profit(C)=Revenue-Cost=(96,000×1.22)-96,000×1.00=£21,120

- Apply the calculations for all other nodes, see table below.

| Nodes | Leased space @1£ | Space spot <br> $(>100,000)$ | Profit (£) |
| :--- | :--- | :--- | :--- |
| A | 1000,000 | 44,000 | $11,880^{*}$ |
| B | // | // | $23,320^{*}$ |
| C | 96,000 | 0 | 21,120 |
| D | 100,000 | 44,000 | $33,000^{*}$ |
| E | 96,000 | 0 | 21,120 |
| F | // | 0 | // |
| G | 64,000 | 0 | 14,080 |
| H | // | 0 | $/ /$ |
| I | /I | 0 | /I |

Summary of T=2
(*: unchanged from option 2)

## Option 3: Flexible Lease (cont)

- Phase 2 (evaluate nodes X,Y,Z,T): compute cost, NPV \& Profit $\operatorname{Exp}(X)=0.25(\operatorname{Profit}(A, B, C, E))=0.25(11,880+23,320+21,120+21,120)=£ 19,360$ (profit)
- $\quad P V(\operatorname{Exp}(X))=\operatorname{Exp}(X) / 1.1=19,360 / 1.1=£ 17,600$ (equivalent of true profit at $T=1$ )
- $\quad$ Profit $(X)=$ Revenue-Cost+PV=120,000x1.22-(100,000x1 $+20,000 \times 1.32)+17,600=£ 37,600$
- Do the same for nodes, $X, Y, Z$ and $T$, see results in Table below.

| Node | Exp(.) | Warehouse <br> Space @1£ | Warehouse <br> Space (spot) | Profit |
| :--- | :--- | :--- | :--- | :--- |
| X | 19,360 | 100,000 | 20,000 | 37,600 |
| Y | 24,640 | // | // | 47,200 |
| Z | 17,600 | 80,000 | 0 | 33,600 |
| T | // | // | // | // |

Summary of $\mathrm{T}=1$

- Phase 3 (evaluate final node S): compute cost, NPV \& Profit.
$\operatorname{Exp}(S)=0.25(\operatorname{Profit}(X, Y, Z, T)=0.25(37600+47200+33600+33600)=£ 38,000$
$\operatorname{PV}(\operatorname{Exp}(S))=38,000 / 1.1=£ 34,545$
Profit(S) $=100,000 \times 1.22-(100,000 \times 1)+34,545=£ 56,545$
$\rightarrow$ Expected NPV for the lease is: Profit-Up front cost: NPV(Lease) $=£ 46,545$ (i.e., 56,545-10,000)

Conclusion: The flexible option is obviously more attractive $(46,546>38,364)$ $\rightarrow$ extra profit $=£ 8,181$ [discuss impact of upfront cost $\&$ other factors $\rightarrow$ A robust solution via Scenario Analysis with data table]- change $£ 1$ to $1+$ ? and upfront to 10,000-? and analvse.

## Global SCs (conclusion)

## - Discussion

- Impact of various places when leasing after year 2 say can affect customer service \& cost due to extra manpower $\rightarrow$ affect the total cost
- Incorporate marketing cost in the decision tree so the demand can increase in a controlled (say $20 \%$ if extra cost $=10 \mathrm{~K}, 10 \%$ is $5 \mathrm{~K}, 0$ else)


## - General decisions for GSCs under uncertainty

(i) Combine strategic planning \& financial planning
(design a few strategic options and evaluate each one using decision trees)
(ii) Use multiple metrics: various criteria (cost, customer service, response time, possibility of extension and market share etc)-
(iii) Use financial analysis as an input while deciding, not as a way of just performing the accounting aspect of the decision.

