

have opposite directions in frame  $S'$ .

Also, the total relativistic energy of the original particle will be shared equally between them.

So, in frame  $S'$ , 
$$E_{\text{(electron)}} = \frac{1}{2} \times 2.40 \times 10^{-30} \times 9 \times 10^{16}$$

$$= 10.8 \times 10^{-14} \text{ J}$$

Now, 
$$10.8 \times 10^{-14} = \frac{9.1 \times 10^{-31} \times 9 \times 10^{16}}{\sqrt{1 - \left(\frac{v}{c}\right)^2}}$$

$$\therefore \sqrt{1 - \left(\frac{v}{c}\right)^2} = 0.758$$

$$\therefore v = 0.652c \quad (= 1.956 \times 10^8 \text{ ms}^{-1})$$

(c) Now we need some clever thinking!!

- (i) we know how far the  $e^-$  has to travel to Earth, as measured by Earth observer at 0, in  $S$ .
- (ii) what we need to know, is how fast is the electron moving as measured by observer on Earth, in  $S$ .

We need  $v_x$

We know  $v_x' = -0.652c$ .

We know  $V$  in formula is  $(-0.80c)$

So, 
$$-0.652c = \frac{v_x - (-0.80c)}{1 - \frac{(-0.80c)(v_x)}{c^2}}$$