



Pearson
Edexcel

Mark Scheme (Results)

Summer 2018

Pearson Edexcel Mathematics in Context
Level 3 Core Maths (7MC0)

Paper 02

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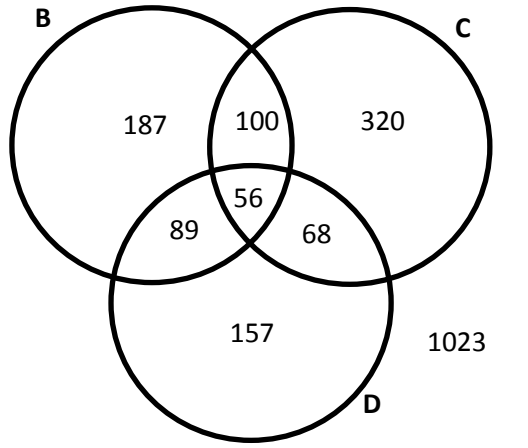
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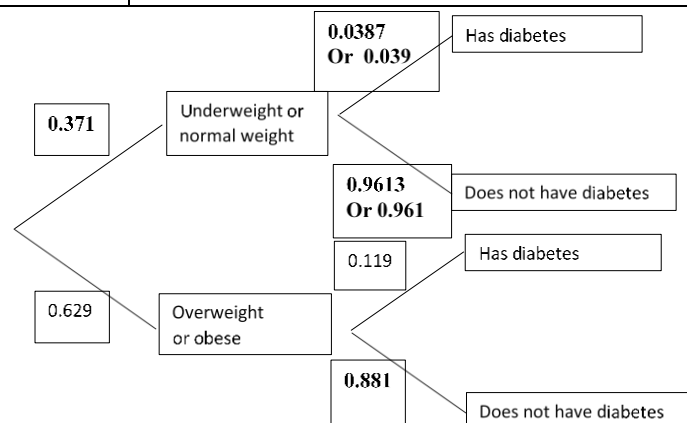
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General Marking Guidance

- All candidates must receive the same treatment. Examiners must mark the first candidate in exactly the same way as they mark the last.
- Mark schemes should be applied positively. Candidates must be rewarded for what they have shown they can do rather than penalised for omissions.
- Examiners should mark according to the mark scheme not according to their perception of where the grade boundaries may lie.
- There is no ceiling on achievement. All marks on the mark scheme should be used appropriately.
- All the marks on the mark scheme are designed to be awarded. Examiners should always award full marks if deserved, i.e. if the answer matches the mark scheme. Examiners should also be prepared to award zero marks if the candidate's response is not worthy of credit according to the mark scheme.
- Where some judgement is required, mark schemes will provide the principles by which marks will be awarded and exemplification may be limited.
- When examiners are in doubt regarding the application of the mark scheme to a candidate's response, the team leader must be consulted.
- Crossed out work should be marked UNLESS the candidate has replaced it with an alternative response.

Question	Working	Answer	Mark	Notes
1			5	<p>B1 3 intersecting circles with 56 in the middle M1 at least one correctly calculated value seen A1 At least 3 correct values in circles (not including 56) A1 All correct values in circles B1 Correct labels and 1023</p>
2		Correct interpretation	1	C1 E.g. People (who are obese) who have high cholesterol levels but don't have diabetes. Ignore any reference to number or probability
3a(i)	370/2000	370/2000	1	B1 370/2000 (0.185) o.e.
(ii)		1023/2000	1	B1ft "1023"/2000 (0.5115) Please check decimal answers for ft
(iii)	$P(B D) = \frac{P(B \cap D)}{P(D)}$ $= \frac{145/2000}{370/2000}$ $= (0.0725/0.185)$ <p>OR</p> $\frac{N(B \cap D)}{N(D)}$ $= 145/370$	145/370	2	<p>M1 ("89"+"56")/"370" OR ("145"/2000)/("370"/2000) OR x/"370" OR "145"/y (y<2000) A1ft (dependent on M1) 145/370 oe accept awrt 0.39</p>

b (i)	$P(B)=432/2000$ $P(B D)= 145/370$ OR $P(B) \times P(D) = (432/2000) \times (370/2000) = 0.03996$ $P(B \cap D) = 145/2000$	Not independent	2	M1 $P(B)=432/2000$ (0.216) C1ft $P(B)=432/2000$ AND statement $P(B) \neq P(B D)$ ft a(iii) therefore not independent OR M1 $P(B) = 432/2000$ (0.216) OR $P(B \cap D) = 145/2000$ (0.0725) C1ft $P(B) \times P(D) = (432/2000) \times (370/2000) = 0.03996$ AND $P(B \cap D) = 145/2000$ (0.0725) AND statement $P(B) \times P(D) \neq P(B \cap D)$ therefore not independent (allow for sight of “not independent” in pt ii)
(ii)		Correct statement	1	C1 e.g. “Pedro is correct” dependent on M1 in pt (i) accept “there is a relationship” (not enough to just say they are “dependent”) o.e.
4(a)	$(41791+33117)/119161 \times 100$	62.9%	2	M1 $(41791+33117)/119161$ A1 awrt 62.9(%) from correct working
(b)		Correct probabilities	2	B2 all probabilities correct allow rounding to 3dp 0.371, 0.0387 (Or 0.039), 0.9613 (Or 0.961), 0.881 (B1 one probability correct)

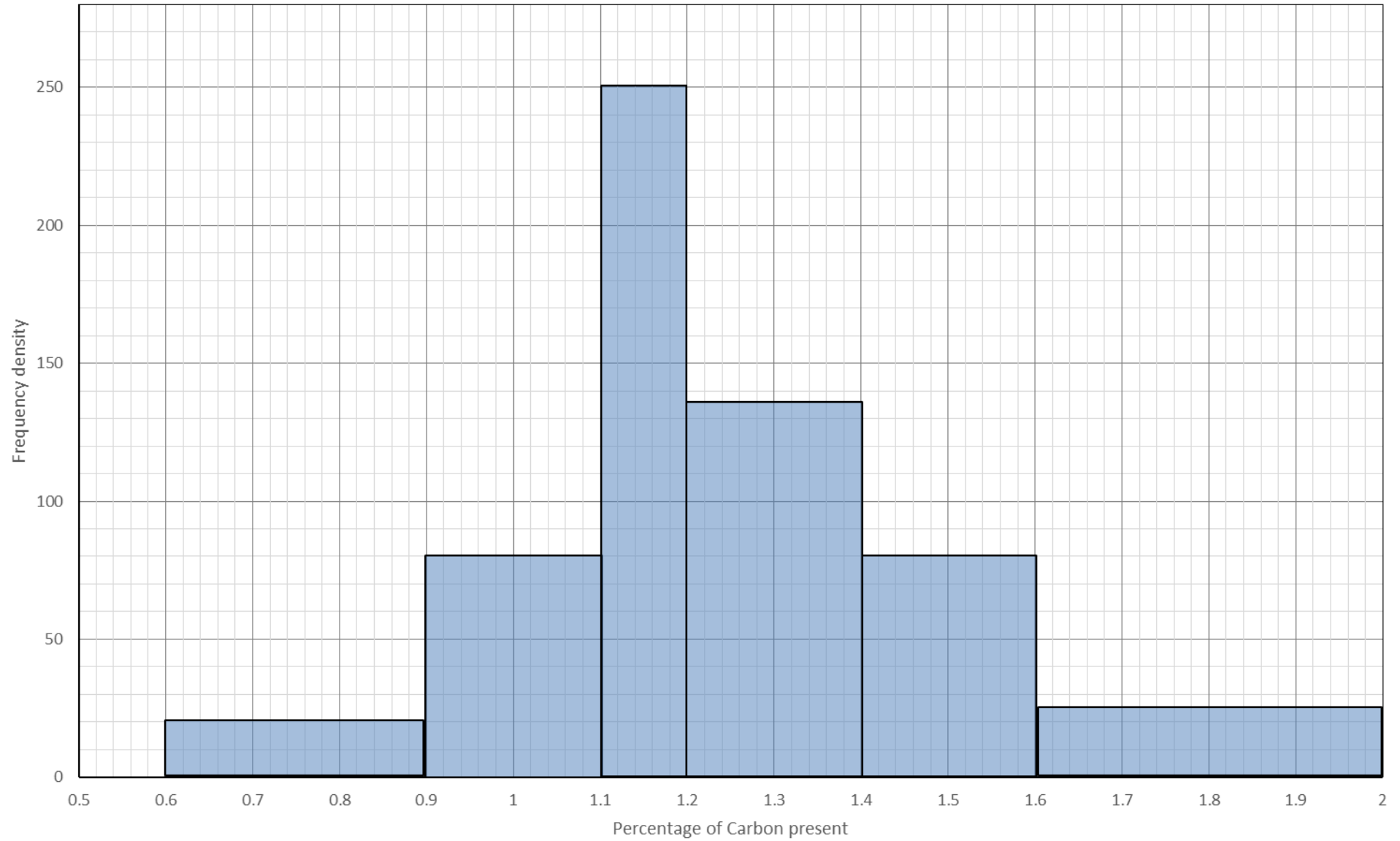


(c)	<p>e.g. $(0.629 \times 0.119) / (0.371 \times 0.0387)$ OR $(3267 + 5662) / (128 + 1586)$</p>	<p>5.211 and correct conclusion</p>	<p>3</p>	<p>M1 ft (0.629×0.119) (=0.074...) OR (0.371×0.0387) (=0.014...) M1 ft $(0.629 \times 0.119) / (0.371 \times 0.0387)$ can be implied by sight of 5.2... OR $5 \times (0.371 \times 0.0387)$ C1 ft "5.2" (awrt) OR "0.072" o.e (awrt) and "the claim is correct" o.e.</p> <p>OR</p> <p>M1 ft $(3267 + 5662)$ (=8929) OR $(128 + 1586)$ (=1714) OR $(3267 + 5662) / 10643$ (=0.838...) OR $(128 + 1586) / 10643$ (=0.161...) M1ft $(3267 + 5662) / (128 + 1586)$ OR $0.838... / 0.161...$ can be implied by sight of 5.2... OR 5×1714 OR $8929 \div 5...$ C1 ft "5.2" (awrt) OR 8570 OR 1785.8 and "the claim is correct" o.e.</p> <p>OR</p> <p>M1 ft $74908 \times 11.9 / 100$ (=8914...) OR $42539 \times 3.87 / 100$ (=1646...) OR M1 ft $8914 / 1646$ OR $5 \times 1646...$ OR $8914... \div 5$ C1 ft "5.4" (awrt) OR 8230 OR 1783 and "the claim is correct" o.e.</p>
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Question	Working	Answer	Mark	Notes
5	$(199-135)/199 \times 100$	$\pm 32.2\%$	3	B1 for 199 ± 0.5 OR 135 ± 0.5 M1 (“199”-“135”)/ “199” OR (“135”-“199”)/ “199” A1 answers in the range $\pm(31.6-32.6)(\%)$
6(a)		Correct interpretation	2	C2 A fully correct interpretation e.g. The world record falls by 0.147 minutes (o.e.) per year (C1 A partially correct interpretation referencing 2 of the 3 points in bold)
(b)	$x=(418-120)/0.147$ OR $y_1=418-0.147 \times 2027$ AND $y_1=418-0.147 \times 2028$	2027.21	2	M1 $(418-t)/0.147$ $119 \leq t \leq 120$ o.e. A1 2027 (awrt) OR M1 $y_1=418-0.147 \times 2027$ OR $y_1=418-0.147 \times 2028$ A1 120.03 AND 119.9 (awrt) OR 120.03 and comment that record will fall (by 0.147) during 2027
(c)	mean of $x=1980$ (4sf or better) mean of $y=161$ $b=-4590/3403=-1.3488..$ $a=161.0-(-1.3488 \times 1980)$ $=2831.2...$	$y_2=2830-1.35x$	5	M1 $b=-4590/3403$ OR -1.349 M1 $45530/23$ OR $3703/23$ OR 1980 (4sf or better) OR 161 M1 $45530/23$ AND $3703/23$ OR 1980 (4sf or better) AND 161 M1 (“161” – “-1.349” \times “1980”) A1 $y_2=2830-1.35x$ (coeffs which round to 3sf)
(d)	e.g. $x=(2830-120)/1.35$ OR Trial and Improvement $2830-1.35 \times 2008 = 119.2$ so 2007	2007	2	M1 “2830”-“1.35” $x^{**}120$ (where ** is =, <, \leq , >, \geq) OR “2830”-“1.35” \times “2008” A1 2007-2010 For T and I must have at least correct year in calculation for M1 and correct year stated for A1.
(e)		Correct comment	1	C1 e.g. The model predicts that the women’s world record should already be below 2 hours... OR the points do not follow a linear trend
7(a)	$t=0 \Rightarrow 132=120+k$	$k=12$	2	M1 use of $t=0$ to give $132=120+k$ A1 12

(b)	$120+12 \times 1.029^{-(2020-1965)}$	122.5 minutes	2	M1ft $120+k \times 1.029^{-(2020-1965)}$ A1ft (on k only) awrt 122.5
(c)		Correct explanation	1	C1 e.g. $k \times 1.029^{-t} > 0$
8(a)	$6/(0.9-0.6)$	$6/(0.9-0.6)=20$	1	B1 $6/(0.9-0.6)=20$ OR $6 \div 0.3=20$ OR $6 \times \frac{10}{3}$ o,e, (Must be exact so don't accept 3.3)
(b)		Correct diagram (see below)	3	B1 3 of 80, 250, 135, 80, 25 (Can be implied by 3 correct bars if not stated) B1 Appropriate vertical scale for their frequency densities but not just using frequencies B1 All bars drawn correctly
(c)	e.g. $1.2+(50-(6+16+25)) \times 0.2/27$	1.21-1.24	3	B1 Correct class interval identified ($1.2 \leq C < 1.4$) Can be implied by a value stated between 1.2 and 1.4 M1 Appropriate method used A1 1.21-1.24 (no follow through)
(d)	e.g. $2+8+10$	20	3	M1 $1/3 \times 6$ or $0.1 \times 20 (=2)$ OR $1/2 \times 16$ or $0.1 \times 80 (=8)$ OR $0.4 \times 25 (=10)$ accept 2 OR 8 OR 10 seen with no incorrect working M1 "2"+"8"+"10" A1 20 Alt M1 $2/3 \times 6$ or $0.2 \times 20 (=4)$ OR $1/2 \times 16$ or $0.1 \times 80 (=8)$ accept 4 OR 8 OR 10 seen with no incorrect working M1 $100-(\text{"4"}+16+25+27+\text{"8"})$ A1 20

Histogram to show percentage of carbon present in 100 samples



9	$1.26+1.28\times 0.261=1.59408$ $1.26-1.28\times 0.261=0.92592$	1.59408 0.92592	3	M1 $1.26+1.28\times 0.261$ OR $1.26-1.28\times 0.261$ A1 1.59 (awrt) A1 0.93 (awrt)																				
10	$(100\times 8.4+50\times 7.8)/150$	8.2kg	2	M1 $(100\times 8.4+50\times 7.8)/150$ o.e. A1 8.2(kg)																				
11(a)	20×1.02^9 OR repeated multiplication by 1.02 <table border="1" data-bbox="504 507 761 906"> <tr><td>2016</td><td>20.00</td></tr> <tr><td>2017</td><td>20.40</td></tr> <tr><td>2018</td><td>20.81</td></tr> <tr><td>2019</td><td>21.22</td></tr> <tr><td>2020</td><td>21.65</td></tr> <tr><td>2021</td><td>22.08</td></tr> <tr><td>2022</td><td>22.52</td></tr> <tr><td>2023</td><td>22.97</td></tr> <tr><td>2024</td><td>23.43</td></tr> <tr><td>2025</td><td>23.90</td></tr> </table>	2016	20.00	2017	20.40	2018	20.81	2019	21.22	2020	21.65	2021	22.08	2022	22.52	2023	22.97	2024	23.43	2025	23.90	£23.9million	2	M1 20×1.02^9 o.e. A1 awrt (£)23.9million o.e
2016	20.00																							
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2023	22.97																							
2024	23.43																							
2025	23.90																							
(b)	$20\times (1-1.02^{10})/(1-1.02)$ OR attempt to sum first 10 terms	£218.9944million	3	M1 $20\times (1-1.02^n)/(1-1.02)$ n=9, 10, 11 OR at least 9 terms from the table correct M1 $20\times (1-1.02^{10})/(1-1.02)$ OR attempt to sum first 10 terms in a GP where a=20 and r=1.02 A1 awrt (£)219 million o.e.																				

12(a)		$4x+4y+4z \leq 100$ $(x+y+z \leq 25)$ $32x+50y+110z \leq 1200$ $(16x+25y+55z \leq 600)$	2	M1 $4x+4y+4z \leq 100$ OR $32x+50y+110z \leq 1200$ o.e. where ** is < or \leq or = or > or \geq A1 o.e. (ISW for simplification) (condone inclusion of units) Ignore any additional incorrect inequalities
(b)	e.g. $x/(x+y+z) \geq 0.2$ $x \geq 0.2(x+y+z)$ $0.8x \geq 0.2y+0.2z$ $4x \geq y+z$	$x/(x+y+z) \geq 0.2$ $x \geq 0.2(x+y+z)$ $0.8x \geq 0.2y+0.2z$ $4x \geq y+z$	3	M1 $x/(x+y+z) \geq 0.2$ OR $x \geq 0.2(x+y+z)$ OR $5x \geq (x+y+z)$ where ** is > or \geq or = M1 collects like terms e.g. $0.8x \geq 0.2y+0.2z$ where ** is > or \geq or = A1 cso $4x \geq y+z$ (AG)
(c)		(P=) $80x+100y+180z$	1	B1 $80x+100y+180z$ Don't isw any simplification.
13(a)	P= $80x+100y+180y \Rightarrow$ P= $80x+280y$ $4x+4y+4y \leq 100 \Rightarrow x+2y \leq 25$ $32x+50y+110y \leq 1200 \Rightarrow$ $2x+10y \leq 75$ $4x \geq y+y \Rightarrow y \leq 2x$		3	M1 replaces z with y in either the objective function or at least one of the constraints. Can be implied by sight of $32x+160y$ or $4x+8y$ or $4x \geq 2y$ A1 any 2 correct A1 all 3 inequalities correct
(b)	$x+2y=25$ drawn correctly (passing through (25,0) and (0,12.5)) $2x+10y=75$ drawn correctly (passing through (37.5,0) and (0,7.5)) $y=2x$ drawn correctly (passing through (0,0) and (5,10)) tolerance of $\pm 2\text{mm}$	see graph below	4	B3 All three lines correct (B2 Two lines correct) (B1 One line correct) B1 R identified correctly (depends on 3 previous marks being awarded)

(c)	<p>At least two non-zero vertices of the FR found and tested.</p> <table border="1" data-bbox="376 272 763 523"> <thead> <tr> <th>x</th> <th>y</th> <th>P</th> </tr> </thead> <tbody> <tr> <td>75/22</td> <td>150/22</td> <td>2181⁹/₁₁</td> </tr> <tr> <td>(3)</td> <td>(7)</td> <td>(2200)</td> </tr> <tr> <td>25</td> <td>0</td> <td>2000</td> </tr> <tr> <td>50/3</td> <td>25/6</td> <td>2500</td> </tr> <tr> <td>(17)</td> <td>(4)</td> <td>(2480)</td> </tr> </tbody> </table> <p>OR</p> <p>Correct objective line drawn and method to solve $x+2y=25$ and $2x+10y=75$</p>	x	y	P	75/22	150/22	2181 ⁹ / ₁₁	(3)	(7)	(2200)	25	0	2000	50/3	25/6	2500	(17)	(4)	(2480)	$x=50/3, y=25/6$	4	<p>M1 attempt to test one vertex of their FR A1ft one vertex of their FR tested correctly with P stated M1 at least two vertices of the correct FR tested correctly A1 $x=50/3, y=25/6$ clearly identified as maximum For all four marks accept readings from the graph as fractions, decimals or rounded to the nearest integer.</p> <p>OR</p> <p>M1 Objective line with gradient of $-280/80$ or $-80/280$ drawn A1 A correct objective line drawn M1 Method to solve $x+2y=25$ and $2x+10y=75$ A1 $x=50/3, y=25/6$ clearly identified as maximum</p>
x	y	P																				
75/22	150/22	2181 ⁹ / ₁₁																				
(3)	(7)	(2200)																				
25	0	2000																				
50/3	25/6	2500																				
(17)	(4)	(2480)																				
(d)	<p>$P = 80 \times 17 + 100 \times 4 + 180 \times 4 = 2480$ OR $80 \times 17 + 280 \times 4 = 2480$</p>	<p>17 28 inch 4 32 inch and 4 48 inch P=£2480</p>	3	<p>C1 17 28 inch, 4 32 inch, and 4 48 inch cao</p> <p>M1 Using objective function to calculate profit using integer values with $y=z$. Can be implied by use of $80 \times "17" + 280 \times "4"$ if a value for z isn't stated A1 (£)2480 cao</p>																		

