#### JUNIOR LYCEUM & SECONDARY SCHOOL ANNUAL EXAMINATIONS 2007

Educational Assessment Unit – Education Division

### FORM 5 MATHEMATICS (Non Calculator Paper – Option A) TIME: 20 minutes

Name: \_\_\_\_\_

Class: \_\_\_\_\_



# **INSTRUCTIONS TO CANDIDATES**

- Answer all questions. There are 20 questions to answer.
- Each question carries 1 mark.
- Calculators, rulers, protractors and other mathematical instruments are not allowed.
- You are not required to show your working. However space for working is provided if you need it.

No.	Question	Space for Working
1	Write down the value of $1 - \left(\frac{1}{4} \times 3\right)$ .	
	Answer:	
2	What is 30% of Lm2? Answer: cents	
3	Write <b>3<sup>-2</sup></b> as a <b>fraction</b> .	
	Answer:	
4	Write down the <b>Least Common Multiple</b> of <b>9</b> and <b>12</b> .	
	Answer:	
5	<b>24 = <math>2^{p} \times 3^{q}</math></b> . What is the value of $(p + q)$ ?	
	Answer:	
6	$25^2 = 625$ . Write down the value of $\sqrt{6.25}$ .	
7	The <b>best estimate</b> for the <b>diagonal</b> of the square is: A) 5 cm C) 7 cm B) 6 cm D) 8 cm 5 cm	
	Answer:cm	
8	The reciprocal of 2 is $\frac{1}{2}$ and the reciprocal of 4 is $\frac{1}{4}$ . Write the <b>reciprocal</b> of 10 as a <b>decimal</b> . <b>Answer</b> :	

No.	Question	Space for Working
9	Work out the <b>gradient</b> of a line passing through the points $A(-3, 4)$ and $B(2, -6)$ .	
	Answer:	
10	Taking $\pi \approx 3$ , find an approximation for the <b>area of a circle</b> having a radius of 2 cm.	
	Answer:cm <sup>2</sup>	
11	A number <i>P</i> is <b>increased</b> by 10%. The result is Q. Q is then <b>decreased</b> by 10%. The result is <i>R</i> . Which statement is correct? A) $P = R$ B) $P > R$ C) $P < R$	
	Answer:	
12	$x = 1.5 \times 10^2$ . Write the value of $2x$ in standard form. Answer:	
13	Given that <b>1 gallon ≈ 4.55 litres</b> , change 10 gallons to litres.	
	Answer:litres	
14	Mary bought 12 files at Lm1.50 each and 12 pens at 50 cents each. How much did she spend <b>altogether</b> ?	
	Answer: Lm	
15	Work out the size of each <b>exterior</b> angle of a <b>regular hexagon</b> .	
	Answer:	
16	Write an equation in $x$ (other than $x = 3$ ) whose solution is 3. Answer:	

No.	Question	Space for Working
17	The <b>diameter</b> of the circle is 10 cm. What is the <b>perimeter</b> of the <b>regular hexagon</b> ?	
	Answer:cm	
18	O is the centre of the circle. Find the value of $x$ .	
	Answer:	
19	A bag contains 5 blue discs and a number of red discs. The probability of choosing a blue disc is $\frac{1}{4}$ . What is the <b>total</b> number of discs in the bag? <b>Answer:</b>	
20	Which <b>one</b> of the following shows the graph of $y = 5 - x$ ? A) $y = 5 - x$	
	C) $\downarrow^{y}$ D) $\downarrow^{y}$ $\downarrow^{x}$	

## JUNIOR LYCEUM & SECONDARY SCHOOL ANNUAL EXAMINATIONS 2007

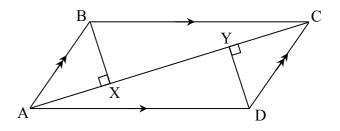
Educational Assessment Unit – Education Division

FOI	RM 5	5		M	ATH	EM	ATI	C <b>S</b> (1	Mair	n Par	oer -	- Op	otion A	) <b>TIM</b>	E: 1h 40min
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	Р	$=\sqrt{\frac{1}{2}}$	47.8 1	×4.2	2										
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2)			2.54												
														<b>r</b> =	=
															(4 marks)

3. a) Complete this set of LOGO commands given to the turtle to draw a **regular pentagon**.

# PD REPEAT \_\_\_\_\_ [FD 70 RT \_\_\_\_\_]

b) ABCD is a parallelogram.
BX and DY are drawn perpendicular to AC.
Prove that triangles ABX and CDY are congruent.





4. The figure shows two semi-circular arcs. The radii of the two arcs are 6 cm and 10 cm. Work out the area of the shaded region. Give your answer correct to 3 significant figures.

shaded area =  $\_ cm^2$ 

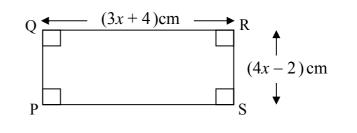
-6 cm→

10 cm

(5 marks)

Name:	Class:

- 5. PQRS is a rectangle.
  - a) Write, **in terms of** *x*, an expression for the **perimeter** of the rectangle.



**perimeter** = \_\_\_\_\_ cm

b) The perimeter of the rectangle is 32 cm. Find the value *x*.

*x* = \_\_\_\_\_

\_\_\_\_(4 marks)

6. Joe is using a spreadsheet to help him work out how much he spends at the stationer's. VAT is charged at 18%.

	Α	В	С	D			
1	Item	Price (Lm)	Quantity	Total (Lm)			
2	File	0.90	3	2.70			
3	Copybook	0.24	5				
4	Total all items (excluding VAT)						
5	Total VAT (18%)						
6	Total all items (including VAT)						
7							

- a) What **formula** did Joe type in cell **D2**?
- b) What **amount** did Joe obtain in cells **D3**, **D4**, **D5** and **D6**? (Give answers correct to the **nearest cent**).

D3 =\_\_\_\_, D4 =\_\_\_\_, D5 =\_\_\_\_, D6 =\_\_\_\_\_ (5 marks)

- 7. The maximum weight a van can carry is given as 1000 kg, correct to the nearest 100 kg. The weight of a bag of cement is given as 50 kg, correct to the nearest kg.
  - a) Complete the following inequalities to show the **lower** and **upper** bounds of each weight.
    - (i) kg  $\leq$  maximum carrying weight of van < kg
    - (ii) \_\_\_\_\_ kg  $\leq$  weight of bag of cement < \_\_\_\_\_ kg
  - b) What is the **greatest** number of **bags** of cement the van can **safely** carry at one time to be sure that the **maximum** carrying weight is **not exceeded**?

bags

\_\_\_\_\_(6 marks)

- 8. For the function f(x) = 3x 1
  - a) (i) Find the **range of values of** x for which -4 < f(x) < 8

(ii) Write down the **largest integer** that satisfies the inequality in (i).

*x* = \_\_\_\_\_

b) Find  $f^{-1}(x)$ 

Name:	Class:
<ul> <li>9. a) In the diagram, the circle through A, B, C and I centre O. PAQ is a tangent at A and AC is a diameter. Angle BAP = x°. Answer the following questions correctly to pr the alternate segment theorem, which states the states the segment theorem.</li> </ul>	rove hat: O
"The angle between a tangent and a chord drawn at the point of contact is equal to any angle in the alternate segment."	B x° D
No marks will be awarded unless valid reasons are given.	P A Q
(i) The size of $\angle CAP$ is reason: (	)
(ii) The size of $\angle CAB$ in terms of x is	
(iii) The size of $\angle ABC$ is reason: (	)
(iv) <b>Use triangle ABC</b> to <b>work out</b> the size of <b>Show ALL your working</b> .	$\angle ACB$ in terms of <i>x</i> .
$\angle ACB =$ reason: (	)
(v) Use this value for $\angle ACB$ to write down the	the size of $\angle ADB$ in terms of x.
$\angle ADB =$ reason: (	)
b) In the diagram P, Q, R and S lie on a circle. APB is a tangent at P. $\angle$ PQR = 115°. Work out the size of $\angle$ APR.	R
Show all your working and give reasons	A115°

Show all your working and give reasons for your answers.

Р

A

10. The force of attraction, *F*, between two objects is **inversely** proportional to the **square** of the distance, *d*, between them.

a) Write down a formula connecting F and d. (Use k for the constant of proportionality).

### formula

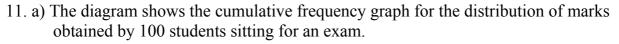
b) Given that for two objects, d = 25 when F = 0.004, find the value of k.

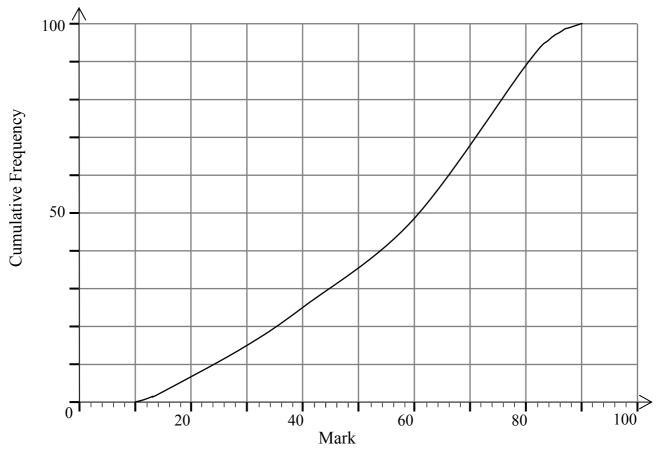
c) Work out the distance between these two objects when F = 0.001.

(6 marks)

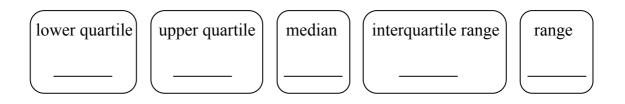
*d* =

k =





(i) Use the cumulative frequency curve to write down an **estimate** for the:



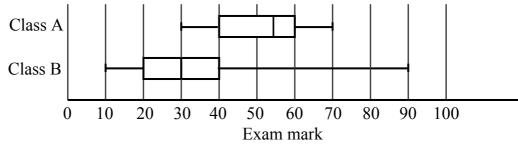
- (ii) To which one of the above, does each of the following statements apply?
  - " The \_\_\_\_\_\_ tells how spread out the central half of the data is."

" The \_\_\_\_\_\_ is the middle number, which cuts off the top half of the data from the bottom half."

" The \_\_\_\_\_\_tells how spread out the data is but it is badly affected by extreme high or low values."

(iii) Grade A is awarded to the top 10% of the students. Write down an estimate for the lowest mark needed to obtain grade A.

11. b) Two groups of students in class A and class B sat for the **same** exam. The box plots below show the results.

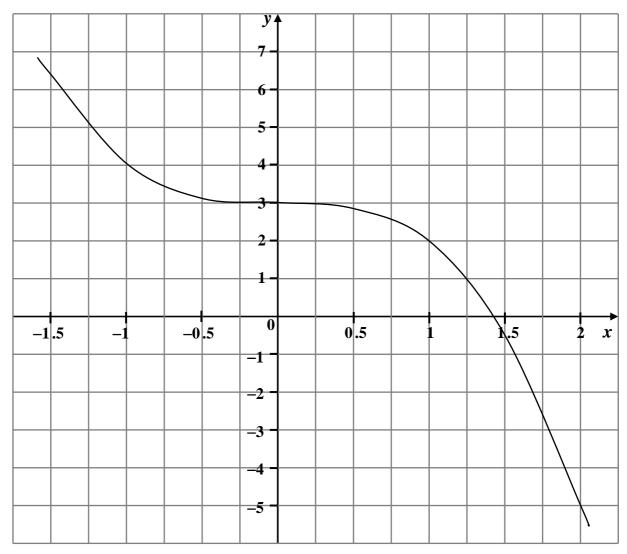


- (i) Give an **estimate** for the **percentage** of students in **class A** who obtained a mark of over 60.
- (ii) First prize is awarded to the student who obtains the highest mark in the exam.
   The winner of the first prize was from class \_\_\_\_\_ and the highest mark obtained was \_\_\_\_\_.
- (iii) "On the whole the marks for class A are higher than those for class B." Do you agree with the above statement? Give reasons.

(11 marks)
12. The graph of y = 3 - x<sup>3</sup> is shown on the next page.
a) For the line with equation y = x - 2 :
(i) Write down the value of y when x = 0 and the value of x when y = 0.

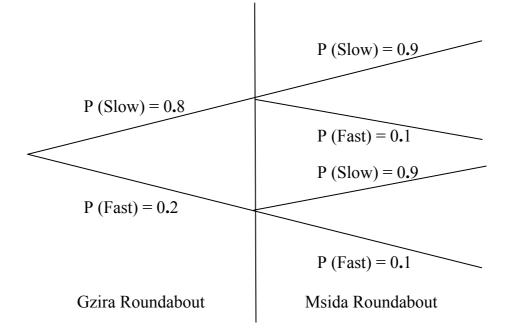
when x = 0,  $y = \_$  and  $x = \_$ , when y = 0

- (ii) Hence or otherwise draw, on the same axes, the graph of y = x 2.
- b) (i) Write down an estimate, correct to **one decimal place**, for the value of *x* at the **point of intersection** of the two graphs.
  - (ii) Find the **cubic equation** whose solution is the value of x found in (i).
  - Simplify your equation. Show your working.



c) In this part of the question use your answers to part (b) Use the method of **trial and improvement** to work out, correct to **two decimal places**, an estimate for the value of x for which  $x^3 + x = 5$ .

- 13. Maria drives to the office in Valletta during the morning rush hour. On her way she drives past the Gzira and Msida roundabouts. At this time the probability that the traffic is slow moving at the Gzira roundabout is **0.8** and the probability that the traffic is slow moving at the Msida roundabout is **0.9**.
  - a) Use the following probability tree diagram to work out the probability that:



- (i) The traffic is **slow** moving at **both** roundabouts.
- (ii) The traffic is **slow** moving at one roundabout and **fast** moving at the other.

- (iii) The traffic is **fast** moving **at least** at one of the roundabouts.
- b) Maria drives to the office **200** times in a year. How many times could she expect to find **fast** moving traffic at **both** roundabouts? (**Show your working**).

(9 marks)

#### END OF PAPER