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BONUS MARKS FOR ANSWERING THROUGH IRISH 53

**STATE EXAMINATIONS COMMISSION
MARKING SCHEME**

LEAVING CERTIFICATE EXAMINATION 2004

MATHEMATICS

FOUNDATION LEVEL

PAPER 1

GENERAL GUIDELINES FOR EXAMINERS - PAPER 1

1. Penalties of three types are applied to candidates' work as follows:
- Blunders - mathematical errors/omissions (-3)
 - Slips - numerical errors (-1)
 - Misreadings (provided task is not oversimplified) (-1).

Frequently occurring errors to which these penalties must be applied are listed in the scheme. They are labelled as B1, B2, B3,....., S1, S2, S3,....., M1, M2, etc. Note that these lists are not exhaustive.

2. When awarding attempt marks, e.g. Att(3), note that
- any correct relevant step in a part of a question merits at least the attempt mark for that part
 - if deductions result in a mark which is lower than the attempt mark, then the attempt mark must be awarded
 - a mark between zero and the attempt mark is never awarded.
3. Worthless work is awarded zero marks. Some examples of such work are listed in the scheme and they are labelled as W1, W2,.....etc.
4. The phrase “hit or miss” means that partial marks are not awarded – the candidate receives all of the relevant marks or none.
5. The *same* error in the *same* section of a question is penalised *once* only.
6. Special notes relating to the marking of a particular part of a question are indicated by an asterisk. These notes immediately follow the box containing the relevant solution.
7. Particular cases, verifications and answers derived from diagrams (unless requested) qualify for attempt marks at most.
8. A serious blunder, omission or misreading merits the ATTEMPT mark at most.
9. The phrase “and stops” means that no more work is shown by the candidate.
10. Accept the best of two or more attempts – even when attempts have been cancelled.
11. Allow comma for decimal point, e.g. €5.50 may be written as €5,50.

QUESTION 1

Each part	10 marks	Att 4
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Part (i)	10 marks	Att 4
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(i) Find $\sqrt{55}$, correct to two decimal places.

$$\sqrt{55} = 7.416 = 7.42$$

Blunders (-3)

B1: Square root mistaken for square (Ans. 3025)

B2: Square root mistaken for half (Ans. 27.5)

B3: Incorrect or omitted round-off

Slips (-1)

S1: If $55\sqrt{55} = 408.1$

S2: Misplacing decimal point e.g. 74.2 or 0.742

Misreadings (-1)

M1: $\sqrt{5.5} = 2.345$

M2: $\sqrt{0.55} = 0.741$

Attempts

Att: Writes 55^2 and stops

Att: Writes $55/2$ and stops

Att: Work at estimating answer e.g. $\sqrt{64} = 8$ or $\sqrt{49} = 7$

(ii) Find the exact value of $(17.5)^2 - (2.5)^2$.

$$(17.5)^2 - (2.5)^2 = 306.25 - 6.25 = \mathbf{300}$$

or

$$(17.5)^2 - (2.5)^2 = (17.5 + 2.5)(17.5 - 2.5) = (20)(15) = \mathbf{300}$$

Blunders (-3)

B1: Square mistaken for square root (Ans. $4.1833 - 1.5811 = 2.6022$)

B2: Square mistaken for twice (Ans. $35 - 5 = 30$)

B3: Blunder in precedence e.g. 15^2

B4: Square not found, each time

B5: $17.5 \times 10^2 - 2.5 \times 10^2 = 1500$

Slips (-1)

S1: Early round-off or truncation, each time

S2: Misplacing the decimal point, each time

S3: Subtraction omitted

Misreadings (-1)

M1: Misplaced digits or misread numbers, each time

Attempts

Att: Work at estimating answer e.g. 400

(iii) Find $(4.08)^3$, correct to three decimal places.

$$(4.08)^3 = 67.917312 = \mathbf{67.917}.$$

Blunders (-3)

B1: Calculates $(4.08)3$; (Ans. 12.24)

B2: Third root calculated instead of power of 3; (Ans. 1.5979)

B3: Interprets $(4.08)^3$ as 4.08×10^3 ; (Ans. 4080)

B4: Calculates $(4.08)^2$; (Ans. 16.6464)

B5: Incorrect or omitted round-off

Slips (-1)

S1: Misplacing decimal point

Misreadings (-1)

M1: Power other than 3 or 2 worked

Attempts

Att: Writes $(4.08)3$ and stops

Att: Writes 4.08×10^3 and stops

Att: Work at estimating answer e.g. 64

(iv) Find the exact value of $61.09 + \frac{3.24}{0.08}$.

$$61.09 + \frac{3.24}{0.08} = 61.09 + 40.5 = \mathbf{101.59}$$

Blunders (-3)

B1: Blunder in precedence e.g. $(61.09 + 3.24)/0.08 = 804.125$

B2: Blunder in calculating fraction e.g. $0.08/3.24 = 0.0246$ or 3.24 ± 0.08

Slips (-1)

S1: Misplacing decimal point, e.g. 6.109, each time

S2: Slip in addition or addition omitted

Misreadings (-1)

M2: Reads \times for $+$ (Ans. 2474.145)

Attempts

Att: Work towards a correct step

Note: $(61.09 \div 0.08) + 3.24 = 763.5 + 3.24 = 766.74$

$61.09 + (0.08 \div 3.24) = 61.1146$

$(61.09 + 3.24) + 0.08 = 64.41$

$(61.09 + 3.24) - 0.08 = 64.25$

(v) Find 21% of €43.27, correct to the nearest cent.

$$€43.27 \times 0.21 = €9.0867 = \mathbf{€9.09}$$

Blunders (-3)

Any blunder in calculating the percentage results in 4 marks at most.

B1: Calculates 121% (Ans. €52.3567)

B2: Calculates 79% (Ans. €34.18)

B3: Calculates 1% of €43.27

B4: Incorrect or omitted round-off

Slips (-1)

S1: Numerical slips in calculation

Attempts

Att: Writes 21/100 without working

Att: 43.27/ 21 or 21/43.27 and stops

(vi) A book costs £18 sterling. Find its cost in euro if €1 = £0.72 sterling.

$$\frac{£18.00}{£0.72} = €25.$$

Blunders (-3)

B1: Calculates 18×0.72 (Ans. 12.96)

Slips (-1)

S1: Misplacing decimal point

Attempts

Att: Calculates $1/0.72 = 1.38888$

Att: Calculates $1/18 = 0.0555$

(vii) Write $\frac{6}{11} - \frac{3}{13}$, as a decimal, correct to one decimal place .

$$\frac{6}{11} - \frac{3}{13} = 0.54 - 0.23 = 0.31 = \mathbf{0.3}$$

or

$$\frac{6}{11} - \frac{3}{13} = \frac{6 \times 13 - 3 \times 11}{11 \times 13} = \frac{78 - 33}{143} = \frac{45}{143} = 0.31 = \mathbf{0.3}$$

Blunders (-3)

Blunder in converting fraction to decimal merits attempt mark at most except where candidate works correctly to 45/143.

B1: Each step of three omitted

B2: Incorrect or omitted round-off

Slips (-1)

S1: Slip in minus sign

Misreadings (-1)

M1: Reads \div for $-$ (Ans. 2.363)

Attempts

Att: Works with 3/3 or 9/24 or 78/33 or 33/78 or 6/2 or 3/2 or 6/24 or 3/24

- (viii) In an examination, a student scores 116 marks out of a possible 140 marks.
Express this score as a percentage, correct to the nearest whole number.

$$\frac{116}{140} \times 100 = 82.85 = \mathbf{83}.$$

Blunders (-3)

Any blunder in calculating the percentage results in 4 marks at most.

B1: Incorrect or omitted round-off

Slips (-1)

S1: Slips in multiplication or addition

Misreadings (-1)

M1: Misreading any number

Attempts

Att: Effort at calculating any step.

Att: Answer of 24, 14 or 34

(ix) Find the exact value of

$$\frac{(1.25 \times 10^4) - (9.1 \times 10^3)}{(6.8 \times 10^1)}$$

$$\frac{(1.25 \times 10^4) - (9.1 \times 10^3)}{(6.8 \times 10^1)} = \frac{12500 - 9100}{68} = \frac{3400}{68} = \mathbf{50}$$

or

$$\frac{(1.25 \times 10^4) - (9.1 \times 10^3)}{(6.8 \times 10^1)} = \frac{12.5 \times 10^3 - 9.1 \times 10^3}{6.8 \times 10^1} = \frac{3.4 \times 10^3}{6.8 \times 10^1} = 0.5 \times 10^2 = \mathbf{50}$$

Blunders (-3)

- B1: Blunders in dealing with scientific notation
- B2: Blunders in order of precedence
- B3: Each omitted or incorrect step, if slips not clear
- B4: Fraction inverted (Ans (0.02))
- B5: Blunder 1.25×40 , once only, if blunder consistent

Slips (-1)

- S1: Any number incorrect by factor of 10 when written in decimal form

Attempts

Att: Some correct work, e.g. approximation with correct order of magnitude

Att: $\frac{1.25 - 9.1}{6.8} = -1.154$

Note: $(12500 \div 68) - 9100 = -8916.176$
 $12500 - (9100 \div 68) = 12366.176$

(x) Find the exact value of

$$\frac{59.4 - 3.85}{6.54 + 4.46}$$

$$\frac{59.4 - 3.85}{6.54 + 4.46} = \frac{55.55}{11} = \mathbf{5.05}.$$

Blunders (-3)

B1: Blunders in order of precedence, applied once

B2: Each omitted or incorrect step if slips not clear

B3: Fraction inverted (Ans. 0.198)

Slips (-1)

S2: Numerical slips, including misplacing decimal point – max. of 3

Misreading (-1)

M1: Uses \times instead of $+$ or \div instead of $-$ vice versa

Attempt

Att: Some correct step

Att: Work at estimating answer

Note: $(59.4 \div 6.54) - (3.85 \div 4.46) = 9.0825 - 0.8632 = 8.2193$

$$(59.4 \div 6.54) + (3.85 \div 4.46) = 9.0825 + 0.8632 = 9.9457$$

$$59.4 - [3.85 \div (6.54 + 4.46)] = 59.4 - 0.35 = 59.05$$

$$(59.4 - 3.85) \div 6.54 + 4.46 = 55.55 \div 6.54 + 4.46 = 8.4938 + 4.46 = 12.9538$$

$$59.4 - (3.85 \div 6.54) + 4.46 = 59.4 - 0.5886 + 4.46 = 63.2714$$

QUESTION 2

Part (a)	10 marks	Att 0
Part (b)	20 marks	Att 8
Part (c)	20 marks	Att 0

Part (a) **10 (5 + 5) marks** **Hit or miss**

- (a) Change to metres
(i) 2.5 km
(ii) 650 cm.

(i) $2.5 \text{ km} = 2.5 \times 1000 = 2500 \text{ m}$

(ii) $650 \text{ cm} = \frac{650}{100} = 6.5 \text{ m.}$

- (i) Correct answer 5 marks, otherwise 0
(ii) Correct answer 5 marks, otherwise 0

(b) Michael is paid €8.50 per hour. The table below shows the hours he worked last week.

Day	Starting Time	Finishing Time
Monday	10:00	13:00
Tuesday	15:00	17:30

- (i) How many hours did Michael work last week?
(ii) How much did he earn last week?

(i) Number of hours = $3 + 2.5 + 3 = 8.5$ hours

(ii) Earns $€8.5 \times 8.5 = €72.25$

Section (i):

Blunders (-3)

B1: Blunder in calculating hours worked, each time, if not consistent

B2: Incorrect conversion of hours and minutes

B3: Time interval not calculated, each time

Slips (-1)

S1: Slips in addition

Attempts

Att: One time interval calculated.

Note: No work shown other than 8.5 written allow 10 marks for part (i)

Section (ii): Work from candidates answer to part (i)

Apply maximum of three slips if long multiplication used.

Blunders (-3)

B1: Writes $€8.5 \times 8.5$ without working

Slips (-1)

S1: Slips in multiplication

- (c) A family travelled 110 km by car from Cavan to Dublin, and a further 50 km to Wicklow. The total time for the journey was 4 hours.
- (i) Calculate the total distance travelled.
 - (ii) Calculate the average speed for the whole journey.
 - (iii) The average speed from Cavan to Dublin was 44 km/hr. How long did this part of the journey take?

(i) Total distance = $110 + 50 = 160$ km

(ii) Speed = $\frac{160}{4} = 40$ km per hour

(iii) Time = $\frac{110}{44} = 2.5$ hours

- (i) Correct distance merits 5 marks, otherwise 0
- (ii) Correct average speed merits 5 marks, otherwise 0
- (iii) Correct time merits 10 marks, otherwise 0.

QUESTION 3

Part (a)	10 marks	Att 4
Part (b)	20 marks	Att 8
Part (c)	20 marks	Att 4

Part (a) **10 (5 + 5) marks** **Att (2 + 2)**

- (a)** A student estimates the height of a tree to be 12 metres. The true height of the tree is 11.35 metres.
Find
(i) the error in the estimate.
(ii) the percentage error, correct to two decimal places.

(i) Error = $12 - 11.35 = 0.65$

(ii) Percentage error = $\frac{0.65}{11.35} \times 100 = 5.726\% = 5.73\%$

Blunders (-3)

B1: Takes $12 + 11.35$ (Ans. 23.35)

B2: Blunders in percentages e.g. $11.35/0.65$ (Ans. 24)

B3: Divides by 12

B4: Incorrect or omitted round-off

Slips (-1)

S1: Writes $(12/11.35) \times 100 = 105.73\%$

Attempts

Att: Writes $12/11.35$ and stops

Att: Writes $11.35/12$ and stops

Att: Writes 12×11.35 and stops

Att: Writes $100/11.35$

Att: Writes 11.35×100 or $11.35/100$

Att: Mean of 12 and 11.35 found

- (b) (i) Express the ratio 15:21 in its simplest form.
- (ii) A prize of €72 is divided between two people in the ratio 15:21. How much does each person get?

(i) $15 : 21 = 5 : 7$

(ii) $5 + 7 = 12$

One person gets $\frac{72}{12} \times 5 = \text{€}30$

Second person gets $\text{€}72 - \text{€}30 = \text{€}42$ or $\frac{72}{12} \times 7 = \text{€}42$.

Section (i)

Blunders (-3)

B1: Blunder in simplifying ratio

B2: Answer 7 : 5

Slips (-1)

S1: Correct ratio not in simplest form e.g. 30 : 42

S2: Numerical slips in calculation

Section (ii)

Blunders (-3)

B1: Uses incorrect ratio e.g. 5/7 or 7/5

B2: Calculates 1/5 or 1/7 as person's shares

B3: Calculates only one person's share

Slips (-1)

S1: Numerical slips in calculation

Attempts

Att: Answer $72/2 = 36$

- (c) €3500 is invested for four years at a fixed rate of compound interest. During the first year it earns €140.
- (i) What is the annual rate of interest?
- (ii) How much will the investment be worth at the end of the four years?
Give your answer correct to the nearest euro.

(i) $\text{rate} = \frac{140}{3500} \times 100 = 4\%$.

(ii) $A = €3500(1 + 0.04)^4 = €3500(1.04)^4 = €3500(1.169858)$
 $= €4094.50 = \mathbf{€4095}$

or

Year 1: Principal	€3500,	Interest	€140
Year 2: Principal	€3640,	Interest	€145.60
Year 3: Principal	€3785.60,	Interest	€151.424
Year 4: Principal	€3937.024,	Interest	€157.48096
Amount after 4 years	€4094.50	=	€4095

Section (i)

Correct answer merits 10 marks, otherwise 0.

Section (ii)

Blunders (-3)

Working with an incorrect rate from (i) merits attempt mark at most.

Award 10 marks for a fully correct answer.

Award 7 marks for a correct answer not rounded correctly.

Award Attempt 4 for any other work of merit.

QUESTION 4

Part (a)	10 marks	Att 4
Part (b)	20 marks	Att 8
Part (c)	20 marks	Att 6

Part (a)	10 marks	Att 4
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(a) Solve $5x - 7 = 2x + 14$.

$$5x - 7 = 2x + 14 \Rightarrow 5x - 2x = 14 + 7 \Rightarrow 3x = 21 \Rightarrow x = 7$$

* Award full marks for a correct answer with no work shown

Blunders (-3)

B1: Blunders in grouping terms e.g. $2x + 14 = 16x$

B2: Each step omitted

B3: $3x = 21 \Rightarrow x = 18$ or $x = 24$ or $x = 63$

Slips (-1)

S1: Slips in signs on crossing "=", each time

Attempts

Att: Some correct step towards solution

Att: Stops after one transposition

Att: Effort at trial and error, by substitution

(b) Solve the simultaneous equations

$$x + 3y = 4$$

$$2x - y = 15$$

$$\begin{array}{l} x + 3y = 4 \Rightarrow x + 3y = 4 \\ 2x - y = 15 \Rightarrow \frac{6x - 3y = 45}{7x = 49} \Rightarrow x = 7 \end{array}$$

$$x + 3y = 4 \Rightarrow 7 + 3y = 4 \Rightarrow 3y = 4 - 7 = -3 \Rightarrow y = -1$$

First variable found:

Award 15 marks for first variable fully correct, with or without work.

Award Attempt 6 for other work of merit, e.g. work towards cancelling one variable.

Second variable found:

Award 5 marks for second variable correct (from candidates previous work) otherwise 0.

Worthless (0)

W1: Incorrect answers, no work shown

Part (c)

20 (10 + 10) marks

Att (4 + 4)

- (c) When 8 is added to five times a certain number, the result is the same as when 12 is added to three times the number.

Let x represent this number.

- (i) Write this information as an equation in x .
(ii) Solve the equation to find the value of x .

(i) $5x + 8 = 3x + 12$

(ii) $5x + 8 = 3x + 12 \Rightarrow 2x = 4 \Rightarrow x = 2$

- * There must be an effort to set up equation in x , including 5 or 3, for the award of any of the first 10 marks.
- * For award of marks for solving – use candidate’s equation.

Blunders (-3)

B1: Blunder in setting up equation e.g. $5(8 + x)$ for $5x + 8$

B2: Each omitted step of three steps, $5x + 8$, $3x + 12$, equality

Slips (-1)

S1: Slips in signs

Attempts

Att: Set-up: Writes $5x$ or $x + 8$ etc. and stops

Att: Effort at trial and error

QUESTION 5

Part (a)	10 marks	Att 4
Part (b)	20 marks	Att 8
Part (c)	20 marks	Att 8

Part (a) **10 (5 + 5) marks** **Att (2 + 2)**

- (a) (i) Write down the whole number factors of 20.
(ii) Write down the factors of 20 that are prime.

(i) 1, 2, 4, 5, 10, 20
(ii) 2, 5

Section (i)

Slips (-1)

S1: Each omitted or incorrect factor

Attempts

Att: Any one correct value

Section (ii)

Slips (-1)

S1: Each omitted or incorrect prime number

Attempts

Att: Attempt at factors of 20

Att: Defines prime number

Att: List from (i) is repeated in (ii).

- (b) Solve the quadratic equation $2x^2 + 5x - 1 = 0$.
Give your answers correct to two decimal places.

$$2x^2 + 5x - 1 = 0 \Rightarrow x = \frac{-5 \pm \sqrt{25 - 4(2)(-1)}}{2(2)} = \frac{-5 \pm \sqrt{25 + 8}}{4} = \frac{-5 \pm \sqrt{33}}{4}$$
$$\Rightarrow x = \frac{-5 \pm 5.744}{4} = \frac{0.744}{4} \text{ or } \frac{-10.744}{4} \Rightarrow x = 0.186 \text{ or } -2.686$$
$$\Rightarrow x = \mathbf{0.19} \text{ or } \mathbf{-2.69}$$

Award 20 marks for fully correct (both solutions) correctly rounded.

Award 17 marks for both solutions correct but one or both not correctly rounded.

Award 10 marks for one correct solution (rounded or otherwise)

Award Attempt 8 for any work of merit.

- (c) (i) Solve $2x - 5 \leq 1$
(ii) Solve $4 - x \leq 3$
(iii) Write down all the whole numbers which satisfy both
 $2x - 5 \leq 1$ and $4 - x \leq 3$.

(i) $2x - 5 \leq 1 \Rightarrow 2x \leq 6 \Rightarrow x \leq 3$

(ii) $4 - x \leq 3 \Rightarrow -x \leq -1 \Rightarrow x \geq 1$

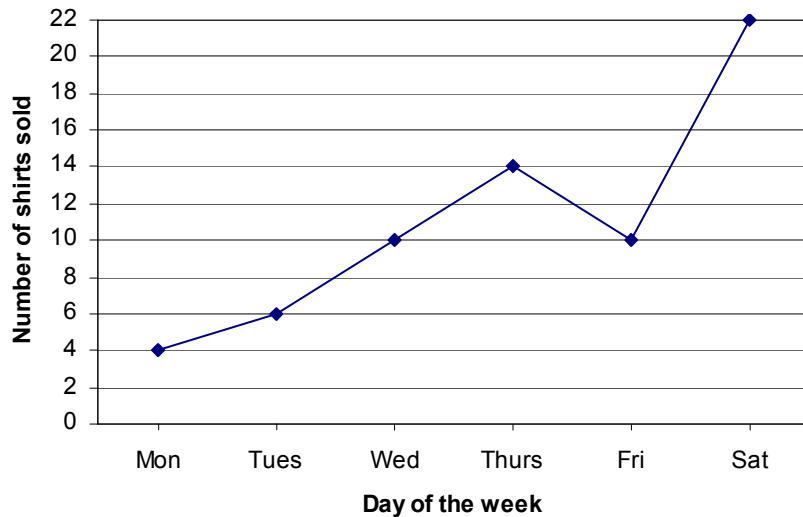
(iii) $\{1, 2, 3\}$

- (i) Award 5 marks for fully correct answer.
Award attempt 2 for anything else of merit.
- (ii) Award 5 marks for fully correct answer.
Award attempt 2 for anything else of merit.
- (iii) Award 10 marks for fully correct answer.
Award attempt 4 for anything else of merit.
Candidates answers to (i) and (ii) not both correct \Rightarrow attempt 4 at most.

QUESTION 6

Part (i)	10 marks	Att 4
Part (ii)	10 marks	Att 4
Part (iii)	10 marks	Att 4
Part (iv)	10 marks	Att 4
Part (v)	10 marks	Att 4

The graph below shows the number of shirts that a shop sold each day in a certain week .



Part (i) **10 marks** **Att 4**

(i) How many shirts were sold on Tuesday?

6 shirts

Blunders(-3)

B1: Answer 14 (Thursday)

Attempts

Att: Ans is 4 or 10 or 22

Worthless

W1: Any other value

Part (ii)

10 marks

Att 4

(ii) On which day of the week was the smallest number of shirts sold?

Monday

Blunders (-3)

B1: Answer is 4

B2: Answer is Saturday

Worthless (0)

W1: Any other day given

Part (iii)

10 marks

Att 4

(iii) The shop had 100 shirts at the start of the week. How many were left at the end of the week?

$$100 - (4 + 6 + 10 + 14 + 10 + 22) = 100 - (66) = \mathbf{34 \text{ shirts}}$$

Blunders (-3)

B1: Subtraction omitted

Slips (-1)

S1: Each omitted or incorrect value in calculating addition

Attempts

Att: One correct value read

At: 100 – one day's sales (Ans 96, 94, 90, 86, 78)

Part (iv)

10 marks

Att 4

(iv) Calculate the average number of shirts sold per day.

$$\text{Average} = \frac{66}{6} = \mathbf{11 \text{ shirts}}$$

Blunders (-3)

B1: Blunder in average e.g. division by 7

B2: $34/6 = 5.6$

B3: Answer left as $66/6$ or equivalent.

Slips (-1)

S1: Slips in calculation

Attempts

Att: Some effort at finding average

Part (v)

10 marks

Att 4

(v) The shirts were sold for €10 each. The shop paid €6 for each shirt. Calculate the average daily profit from shirt sales.

$$\begin{aligned} \text{Profit on a shirt} &= €10 - €6 = €4. \\ \text{Average daily profit} &\text{ is } (€4)(11 \text{ shirts}) = \mathbf{€44}. \end{aligned}$$

* Accept incorrect answer from (iv) without further penalty

Blunders (-3)

B1: Omission of each step of three (maximum)

B2: Blunder in finding profit e.g. $10 + 6$

B3: Profit for week calculated (Ans 264)

Slips (-1)

S1: Numerical slips

Attempts

Att: Some relevant calculation attempted

QUESTION 7

Graph	30 marks	Att 12
Values	20 marks	Att 8

Table	30 marks	Att 8
Graph	10 marks	Att 4

Draw the graph of the function

$$f : x \rightarrow 2x^2 - 4x + 1 \quad \text{for } -1 \leq x \leq 3, x \in \mathbf{R}.$$

Blunders (-3)

B1: Additional line in table

B2: Blunder such as $2x^2 = (2x)^2$ or $4x$ or $+1 = x + 1$ or $+1 = x$ consistently across full line
Otherwise (-1) applied to each incorrect value in the line

Slips (-1):

S1: Each incorrect or omitted value in body of table

S2: Each incorrect or omitted $f(x)$ value, calculated from candidate's work

S3: Error in sign applied consistently across a line

Attempts:

Att: Any four correct calculated values in the table or function form

Plotting Graph:

If candidate's values not fully correct than attempt mark at most for graph.

Blunders (-3)

B1: Points joined in incorrect order

B2: Blunders in scales on axes, including reversing + for -.

Slips (-1):

S1: Each point plotted incorrectly, using students values

S2: Each pair of successive points not joined, maximum of 3

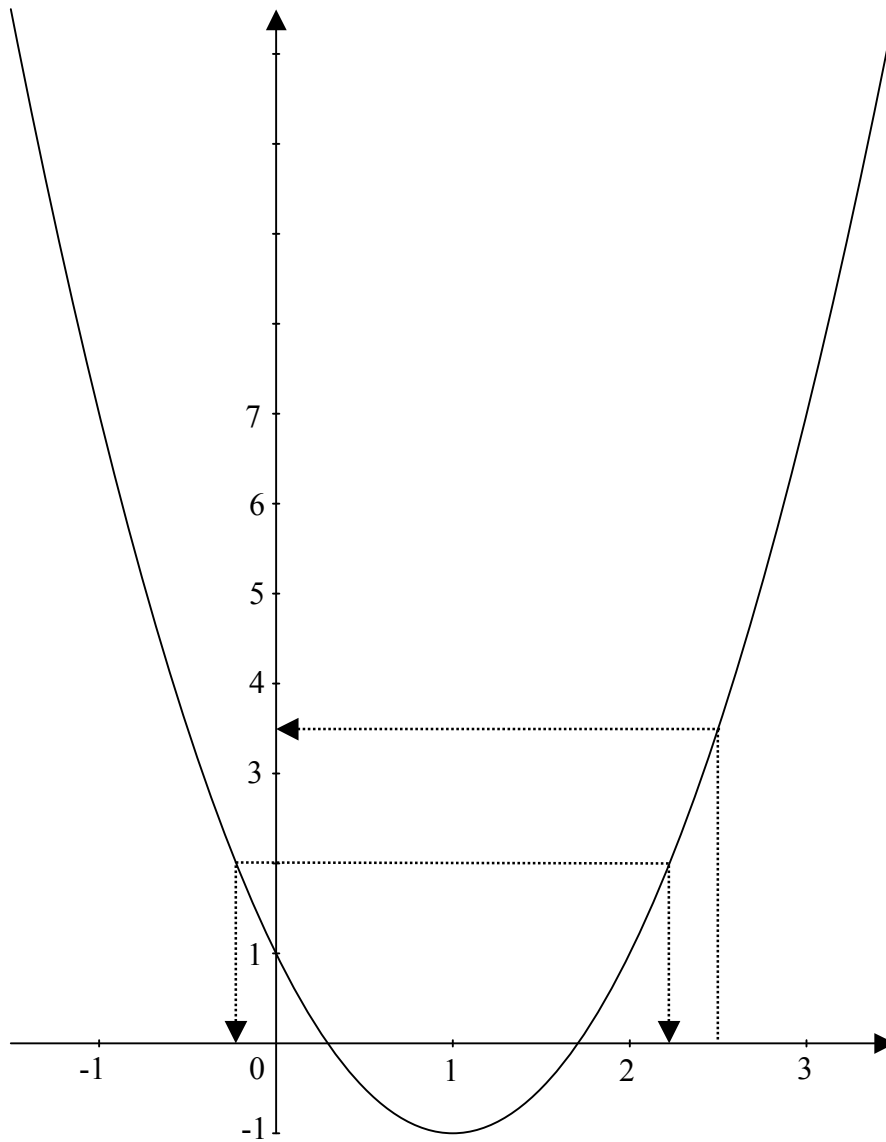
S3: Points joined by line segments in the correct order

S4: Axes reversed

Attempts:

Att: Any two of candidate's points plotted.

x	-1	0	1	2	3
$2x^2$	2	0	2	8	18
$-4x$	4	0	-4	-8	-12
$+1$	1	1	1	1	1
$f(x)$	7	1	-1	-1	7



Use your graph to estimate

- (i) the minimum value of $f(x)$
- (ii) the value of $f(2.5)$
- (iii) the values of x for which $f(x) = 2$
- (iv) the range of values of x for which $f(x)$ is increasing.

(i) Minimum value of $f(x) = -1$

(ii) $f(2.5) = 3.5$

(iii) $f(x) = 2$ for $x = -0.2$ or $x = 2.2$

(iv) $f(x)$ is increasing for $1 < x \leq 3$

* Accept candidate's value from graph for award of marks

* Allow tolerance in reading values of ± 0.2

Blunders (-3)

B1: Each value outside the tolerance

B2: Only one value given in part (iii)

Misreading (-1)

M1: Misreads the value of x corresponding to the minimum of $f(x)$

M2: Misreads increasing for decreasing

Attempts:

Att: Effort at reading values from graph

Att: For solving equation algebraically, correctly

**STATE EXAMINATIONS COMMISSION
MARKING SCHEME**

LEAVING CERTIFICATE EXAMINATION 2004

MATHEMATICS

FOUNDATION LEVEL

PAPER 2

GENERAL GUIDELINES FOR EXAMINERS - PAPER 2

1. Penalties of three types are applied to candidates' work as follows:

- Blunders - mathematical errors/omissions (-3)
- Slips - numerical errors (-1)
- Misreadings (provided task is not oversimplified) (-1).

Frequently occurring errors to which these penalties must be applied are listed in the scheme. They are labelled as B1, B2, B3,....., S1, S2, S3,....., M1, M2, etc. Note that these lists are not exhaustive.

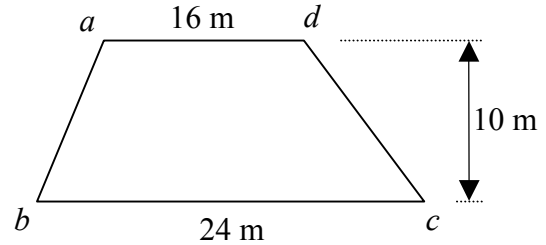
2. When awarding attempt marks, e.g. Att(3), note that
- any correct relevant step in a part of a question merits at least the attempt mark for that part
 - if deductions result in a mark which is lower than the attempt mark, then the attempt mark must be awarded
 - a mark between zero and the attempt mark is never awarded.
3. Worthless work is awarded zero marks. Some examples of such work are listed in the scheme and they are labelled as W1, W2,.....etc.
4. The phrase “hit or miss” means that partial marks are not awarded – the candidate receives all of the relevant marks or none.
5. The *same* error in the *same* section of a question is penalised *once* only.
6. Special notes relating to the marking of a particular part of a question are indicated by an asterisk. These notes immediately follow the box containing the relevant solution.
7. Particular cases, verifications and answers derived from diagrams (unless requested) qualify for attempt marks at most.
8. A serious blunder, omission or misreading merits the ATTEMPT mark at most.
9. The phrase “and stops” means that no more work is shown by the candidate.
10. Accept the best of two or more attempts – even when attempts have been cancelled.
11. Allow comma for decimal point, e.g. €5.50 may be written as €5,50.

QUESTION 1

Part (a)	20 marks	Att 8
Part (b)	30 marks	Att 12

Part (a) 20 marks Att 8

Find the area of the trapezium shown



(a) 20 marks Att 8

$$\text{Area} = \frac{10(16 + 24)}{2} = 200m^2$$

Blunders (-3)

B1 Area = $\frac{ah}{2}$ or $\frac{bh}{2}$ or $\frac{ab}{2}$ and continues

B2 Failure to divide by 2

B3 $10 \times 16 \times 24$ apply $2 \times (-3)$, no division by 2 and multiplication for addition.

B4 $16 + 24 = 40$ only, apply $2 \times (-3)$, no multiplication by h and no division

B5 $16 \times 10 = 160$ or $24 \times 10 = 240$ or 16×24 apply $2 \times (-3)$

Slips (-1)

S1 Numerical errors to a max of three

S2 Area = $\frac{24(10 + 16)}{2}$

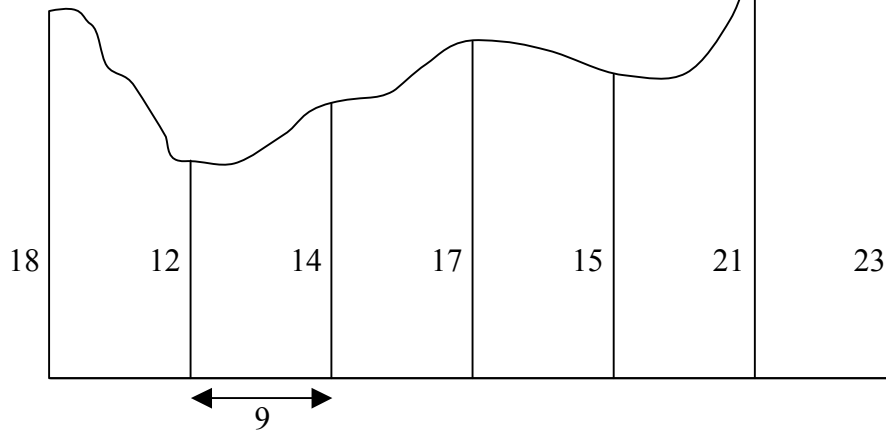
Attempts (8 marks)

A1 Copies diagram

A2 Defines length or area.

A3 Correct formula only

A garden has one irregular side. Offsets of lengths 18, 12, 14, 17, 15, 21, and 23 metres are measured from the irregular side to the opposite side, as shown. The offsets are 9 metres apart.



Calculate the area of the garden using Simpson's Rule.

$$Area = \frac{1}{3} height [1^{st} + Last + 2(odd) + 4(even)]$$

$$Area = \frac{9}{3} [18 + 23 + 2(14 + 15) + 4(12 + 17 + 21)]$$

$$Area = 3[299] = 897m^2$$

Blunders (-3)

B1 Uses 'four odd and twice even'

B2 Omits 2 or 4 in the formula or both.

B3 Omits h or uses an incorrect h or does not divide h by 3.

Slips (-1)

S1 Each incorrect or omitted altitude

S2 Numerical errors to a max of three.

Attempts (12)

A1 Gives Simpson's formula only

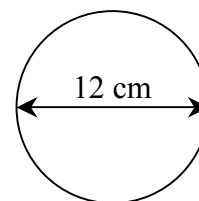
A2 Copies diagram

QUESTION 2

Part (a)	20 (10,10) marks	Att (4, 4)
Part (b)	30 (15, 15) marks	Att (6, 6)

Part (a) **20 (10, 10) marks** **Att (4, 4)**

- (a) A disc has a diameter of 12 cm.
Write down the radius of the disc.
Find the area of the disc, correct to the nearest cm^2 .



Radius **10 marks** **Att 4**

$$\text{Diameter} = 12\text{cm} \Rightarrow \text{Radius} = 6\text{cm}$$

Blunders (-3)

B1 Multiplies 12 by 2

Slips (-1)

S1 Error in calculations

Attempts (3)

A1 Draws diagram

A2 Defines radius

Area **10 marks** **Att 4**

$$\text{Area} = \pi r^2 \Rightarrow \text{Area} = 113\text{cm}^2$$

or

$$\text{Area} = \frac{\pi d^2}{4} = \frac{\pi (12^2)}{4} = 113\text{cm}^2$$

Blunders (-3)

B1 Incorrect value of radius, accept candidate's value.

B2 Addition for multiplication

B3 $r^2 = 2r$

B4 Incorrect or no value for π .

B5 No round off or incorrect round off.

Slips(-1)

S1 Numerical errors

Misreading: uses $4\pi r^2$

Att(-4)

A1 Gives any circle formula or value for π from any line with circle disc or sphere.

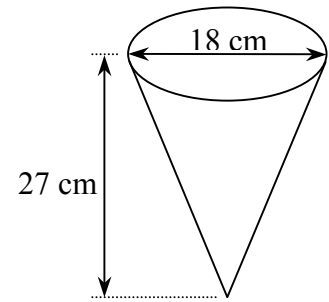
(b)(i)

15 marks

Att6

(b) A container in the shape of an inverted cone is filled with orange juice. The diameter of the cone is 18 cm and the height is 27 cm.

(i) Find the volume of orange juice in the container, in terms of π .



(b)(i)

15 marks

Att6

$$Vol = \frac{\pi r^2 h}{3}$$

$$Vol = \frac{\pi \times (9)^2 \times 27}{3} = 729\pi$$

Blunders(-3)

- B1 $r^2 = 2r$ or fails to evaluate r^2
- B2 Incorrect value for r
- B3 Incorrect or no value for h.
- B4 729 or 2290.22

Slips(-1)

- S1 Numerical errors

Attempts

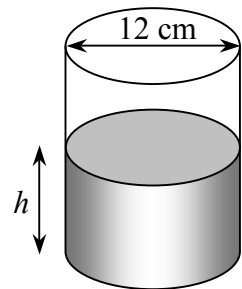
- A1 Draws diagram

(ii)

15 marks

Att 6

The orange juice is then poured into a cylindrical can of diameter 12 cm. Find h , the depth of the orange juice in the can.



(ii)

15 marks

Att 6

$$\pi r^2 h = 729\pi$$

$$\Rightarrow h = \frac{729\pi}{36\pi} = 20.25$$

Blunders(-3)

- B1 Uses incorrect radius
- B2 Transposition error
- B3 $r^2 = 2r$

Slips(-1)

- S1 Numerical errors A1

Att(3)

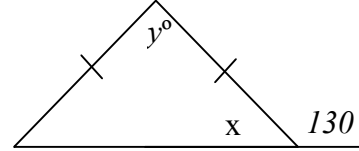
- Draws diagram

QUESTION 3

Part (a)	10 (5, 5) marks	Att (2, 2)
Part (b)	20 (5, 5, 5, 5) marks	Att (2, 2, 2, 2)
Part (c)	20 (5, 5, 5, 5) marks	Att (2, 2, 2, 2)

Part (a) **10 marks** **Att (2, 2)**

- (a) The diagram shows an isosceles triangle.
(i) Find the value of x
(ii) Find the value of y



- (i) x **5 marks** **Att 2**
(ii) y **5 marks** **Att 2**

$$x = 180^\circ - 130^\circ = 50^\circ$$

$$y = 180^\circ - 100^\circ = 80^\circ$$

* Accept answers on diagram

Blunders (-3)

B1 Sum of internal angles $\neq 180^\circ$

B2 Straight angle $\neq 180^\circ$

Slips(-1)

S1 Numerical error

Attempts(4,2,2)

A1 Uses protractor

A2 Copies diagram

Part (b)

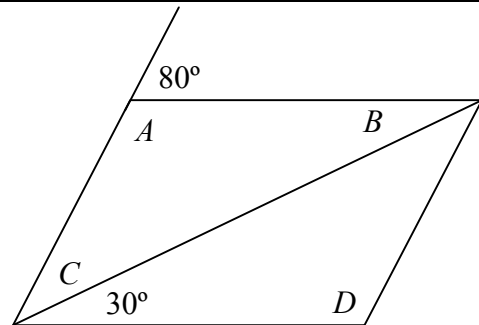
20(5, 5, 5, 5) marks

Att (2, 2, 2, 2)

(b) The diagram shows a parallelogram.

Find the measure of:

- (i) the angle A
- (ii) the angle B
- (iii) the angle C
- (iv) the angle D



Angle A

5 marks

Att2

Angle B

5 marks

Att2

Angle C

5 marks

Att2

Angle D

5 marks

Att2

$$A = 100^\circ$$

$$B = 30^\circ$$

$$C = 50^\circ$$

$$D = 100^\circ$$

Blunders(-3)

B1 Angle on straight line $\neq 180^\circ$

B2 $B \neq 30^\circ$

B3 $C \neq 50^\circ$

B4 $D \neq 100$ (watch for $A=D$)

Slips (-1)

S1 Numerical errors

Attempts(2)

A1 Additional material on a diagram

A2 Copies diagram

(c)

20 (5, 5, 5, 5) marks

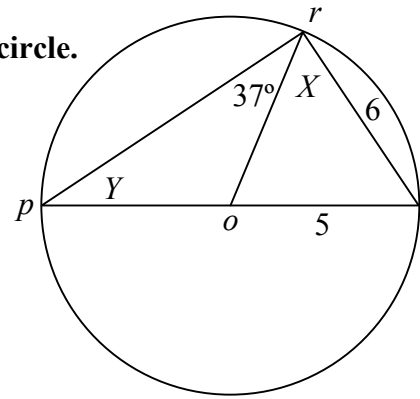
Att (2, 2, 2, 2)

o is the centre of the circle,
 $[pt]$ is a diameter of the circle and r is a point on the circle.

$$|\angle pro| = 37^\circ, |rt| = 6 \text{ cm and } |ot| = 5 \text{ cm.}$$

Find:

- (i) the measure of the angle X
- (ii) the measure of the angle Y
- (iii) the length of the diameter $[pt]$
- (iv) the length of $[pr]$.



- | | | |
|-------|---------|------|
| (i) | 5 marks | Att2 |
| (ii) | 5 marks | Att2 |
| (iii) | 5 marks | Att2 |
| (iv) | 5 marks | Att2 |

$$(i) X = 90^\circ - 37^\circ = 53^\circ$$

$$(ii) Y = 37^\circ$$

$$(iii) |pt| = 10 \text{ cm}$$

$$(iv) |pr|^2 = 100 - 36$$

$$\Rightarrow |pr| = 8$$

Blunders (-3)

B1 $|\angle prt| \neq 90^\circ$

B2 $Y \neq 37^\circ$

B3 Diameter = 5 divided by 2

B4 Any error in setting up or solving Pythagoras

Slips (-1)

S1 Numerical errors

Attempts(2,2,2,2)

A1 Draws diagram

A2 Any attempt to define Pythagoras

A3 Uses trigonometric ratio unsuccessfully

QUESTION 4

Part (a)	15 marks	Att 6
Part (b)	20(5, 5, 5, 5) marks	Att (2, 2, 2, 2)
Part (c)	15(5, 5, 5)marks	Att (2, 2, 2)

Part (a) **15 marks** **Att 6**

(a) p(3,6) and q(-3,-2) are two points.
Find the length of $[pq]$

Part (a) **15 marks** **Att 6**

$$|pq| = \sqrt{(-3-3)^2 + (-2-6)^2}$$
$$|pq| = 10$$

Blunders (-3)

- B1 No use of square root
- B2 $X^2 = 2X$
- B3 Error in signs

Slips (-1)

- S1 Numerical errors
- S2 Each incorrect substitution

Attempts(6)

- A1 Plots points only
- A2 Correct slope or mid point formula plus some substitution

Part (b)**20(5, 5, 5, 5)****Att (2, 2, 2, 2)**

$a(-1,3)$ and $b(3,5)$ are two points.

- (i) Plot the points a and b on graph paper
- (ii) Write down the co-ordinates of the midpoint of $[ab]$.
- (iii) Find the slope of ab
- (vi) Find the equation of the line ab

(i)	5 marks	Att2
(ii)	5 marks	Att2
(iii)	5 marks	Att2
(iv)	5 marks	Att2

(i) Plot points

(ii) $Mid\ Point = \left(\frac{-1+3}{2}, \frac{3+5}{2} \right) = (1,4)$

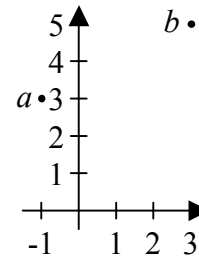
(iii) $Slope = \frac{5-3}{3-(-1)} = \frac{2}{4} = \frac{1}{2}$

(iv)

$$y - 5 = \frac{1}{2}(x - 3)$$

or

$$y - 3 = \frac{1}{2}(x + 1)$$

**Blunders (-3)**

- B1 No division by 2
- B2 No division
- B3 Mathematical error

Slips(-1)

- S1 Numerical errors
- S2 Each incorrectly plotted point
- S3 Each incorrect substitution

Atts(2)

- A1 Draws axes

Part (c)**15 (5, 5, 5) marks****Att (2, 2, 2)**

The line L has equation $4x + y - 7 = 0$
 k is the point $(2, -1)$.

- (i) Show that the point k lies on the line L .
 (ii) Write down the slope of L .
 (iii) Find the equation of the line through point $k(2, -1)$ which is perpendicular to the line L .

(i)	5 marks	Att 2
(ii)	5 marks	Att 2
(iii)	5 marks	Att 2

(i)	$4x + y - 7 = 0$ $4(2) + (-1) - 7$ $8 - 1 - 7 = 0$
(ii)	$4x + y - 7 = 0$ $\Rightarrow y = -4x + 7$ $\Rightarrow m = -4$
(iii)	$y - (-1) = \frac{1}{4}(x - 2)$ $\Rightarrow y + 1 = \frac{1}{4}(x - 2)$

Blunders(-3)

B1 In (ii) slope = $4, \pm 1, \pm 7, \pm \frac{1}{4}, \pm \frac{7}{4}, \pm \frac{4}{7}$

B2 Incorrect slope in (iii)

Slips(-1)

S1 Numerical errors

S2 Each incorrect substitution

Attempts(2,2,2)

A1 Draws a sketch

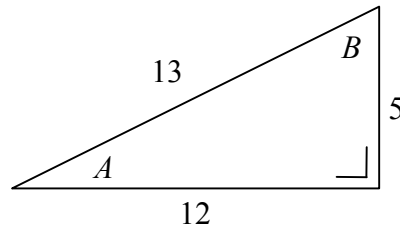
A2 Writes down correct relevant formula

QUESTION 5

Part (a)	10 (5, 5) marks	Att (2, 2)
Part (b)	20 marks	Att 8
Part (c)	20(5, 15) marks	Att (2, 6)

Part (a) **10 marks** **Att (2, 2)**

The diagram shows a right-angled triangle with sides of length 5, 12 and 13 cm and angles named A and B .



- (i) Write down $\sin A$ as a fraction
- (ii) Write down $\cos B$ as a fraction

(i) **5 marks** **Att 2**
(ii) **5 marks** **Att 2**

(i) $\sin A = \frac{5}{13}$	(ii) $\cos B = \frac{5}{13}$
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- * Accept correct decimals
- * Accept $\sin\left(\frac{5}{13}\right), \cos\left(\frac{5}{13}\right)$

Blunders(-3)

B1 Incorrect trigonometric ratio

Slips

S1 Uses $\sin = \sin^{-1}$ or $\cos = \cos^{-1}$ to find the value of the angle $A = 22.62^\circ$ or $B = 67.38^\circ$

Attempts(2,2)

- A1 $\cos = \frac{\text{adj}}{\text{hyp}}$ only, same for \sin .
- A2 SOHCAHTOA or equivalent in (i),(ii)
- A3 Draws diagram

Part(b)

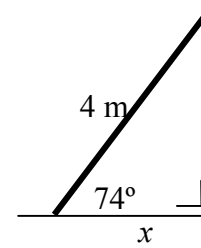
20 marks

Att 8

A ladder leans against a wall. The ladder is 4 m long and makes an angle of 74° with the ground.

Find x , the distance from the base of the wall to the foot of the ladder.

Give your answer correct to one decimal place.



Part(b)

20 marks

Att 8

$$\cos 74^\circ = \frac{x}{4} \Rightarrow x = 4 \cos 74^\circ \Rightarrow x = 1.1 \text{ m (to 1 dec. place)}$$

Blunders(-3)

- B1 Incorrect trigonometric ratio
- B2 Transposition error

Slips(-1)

- S1 Fails to round off
- S2 Numerical errors
- S3 Wrong mode (calculator)

Attempts(6)

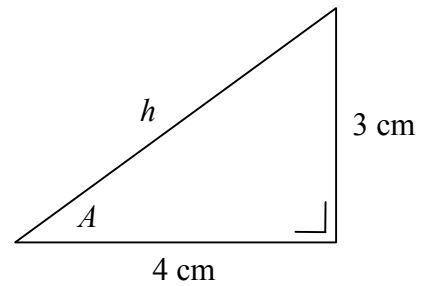
- A1 Measures from diagram
- A2 Some attempt at Pythagoras
- A3 Any combination of 4 and 7

Part(c)

20 (5, 15) marks

Att (2, 6)

- (i) Find the length of the side h in the diagram.
- (ii) Find the measure of the angle A . Give your answer to the nearest degree.



(i)

5 marks

Att2

$$h^2 = 3^2 + 4^2$$

$$h = \sqrt{25} = 5$$

Blunders(-3)

B1 Any error in setting up Pythagoras

B2 $3^2 = 3 \times 2$

Slips(-1)

S1 Numerical errors

Attempts(-1)

A1 States Pythagoras

(ii)

15 marks

Att 6

$$\tan A = 0.75$$

$$\Rightarrow A = 37^\circ$$

Blunders(-3)

B1 Uses incorrect ratio

Slips(-1)

S1 Numerical errors

Atts

A1 Copies diagram

* Note:

RATIO	DRG	RAD	GRAD
$\cos\left(\frac{4}{5}\right)$	0.013	0.6967	0.9999
$\sin\left(\frac{3}{5}\right)$	0.01047	0.5646	0.0094
$\tan\left(\frac{3}{4}\right)$	0.013	0.9315	0.0118

QUESTION 6

Part(a)	10 marks	Att 4
Part(b)	20 (10, 5, 5) marks	Att (4, 2, 2)
Part(c)	20 (5, 5, 5, 5) marks	Att (2, 2, 2, 2)

Part (a) **10marks** **Att 4**

(a) Lunch in a certain hotel consists of a main course and a dessert. There are five different main courses and three different desserts. How many different lunch selections are possible?

Part (a) **10marks** **Att 4**

$5 \times 3 = 15$

Blunders(-3)

- B1 3+5
- B2 3! by 5!=720
- B3 3! + 5!=126
- B4 3 by 3 + 5 by 5 =34

Slips(-1)

S1 Numerical

Att(4)

A1 Number other than those above

Part (b) **20(10, 5, 5) marks** **Att(4, 2, 2)**

A student has 15 homework copies in her bag. Eight of these are red, four are green and three are blue.

The student takes one copy at random from the bag. Find the probability that it is

- (i) a blue copy**
- (ii) a green or a red copy**
- (iii) not a red copy.**

(i)	10 marks	Att 4
(ii)	5 marks	Att 2
(iii)	5 marks	Att 2

(i) $P(\text{Blue}) = \frac{3}{15} = \frac{1}{5}$, **(ii)** $P(\text{G or R}) = \frac{12}{15}$, **(iii)** $P(\text{Not Red}) = \frac{7}{15}$

Blunders(-3)

- B1 Incorrect n(S)
- B2 Incorrect n(E)
- B3 $\frac{15}{3}$ or $\frac{5}{1}$

Slips(-1)

S1 Numerical

Part (c)**20 (5, 5, 5, 5) marks****Att (2, 2, 2, 2)**

A school has two second-year classes: 2A and 2B. The table below shows the number of boys and girls in these classes.

	2A	2B
Boys	10	15
Girls	14	11

- (i) How many second-year students are there in the school?
One second-year student is chosen at random.
Find the probability that the student
- (ii) is a boy in 2A
(iii) is not a boy in 2A
(iv) is a girl.

(i)	5 marks	Att2
(ii)	5 marks	Att2
(iii)	5 marks	Att2
(iv)	5 marks	Att2

$$(i) \text{Students} = 50$$

$$(ii) P(\text{Boy} / 2A) = \frac{10}{50} = \frac{1}{5}$$

$$(iii) P(\text{Not} / \text{Boy} 2A) = \frac{40}{50} = \frac{4}{5}$$

$$(iv) P(\text{Girl}) = \frac{25}{50} = \frac{1}{2}$$

Blunders(-3)

- B1 Incorrect n(S) apply once only, accept answer from (i)
B2 Incorrect n(E)
B3 Fails to divide by n(S) apply once only
B4 Inverted fraction apply once only

Slips(-1)

- S1 Numerical errors

QUESTION 7

Part (a)	10 marks	Att 4
Part (b)	25 (5, 10, 5, 5) marks	Att (2, 4, 2, 2)
Part (c)	15 (5,10) marks	Att (2, 4)

Part (a) **10 marks** **Att 4**

Find the mean of the five numbers 6, 8, 12, 15, 19 .

Part (a) **10 marks** **Att 4**

$$\text{Mean} = \frac{6+8+12+15+19}{5} = 12$$

Blunders(-3)

- B1 Incorrect numerator
- B2 Incorrect denominator
- B3 No division indicated

Slips(-1)

- S1 Numerical errors

Attempts(4)

- A1 Defines mean
- A2 Picks a number between 6 and 19

Part (b) **25 (5, 10, 5, 5) marks** **Att (2, 4, 2, 2)**

The table below is a record of the number of days each of 80 students was absent during a school year.

Number of days absent	0 – 5	6 – 10	11 – 15	16 – 20	21 – 25
Number of students	8	12	30	24	6

Copy and complete the following cumulative frequency table.

Number of days absent	≤5	≤10	≤15	≤20	≤25
Number of students					

Draw the cumulative frequency curve.
Put the number of students on the vertical axis.
Use your curve to estimate

- (i) the median number of days absent
- (ii) the number of students who missed more than 18 days.

Table **5m** **Att 2**

Number of days absent	≤5	≤10	≤15	≤20	≤25
Number of students	8	20	50	74	80

Cumulative Frequency Curve

10 m

Att 4

(i)

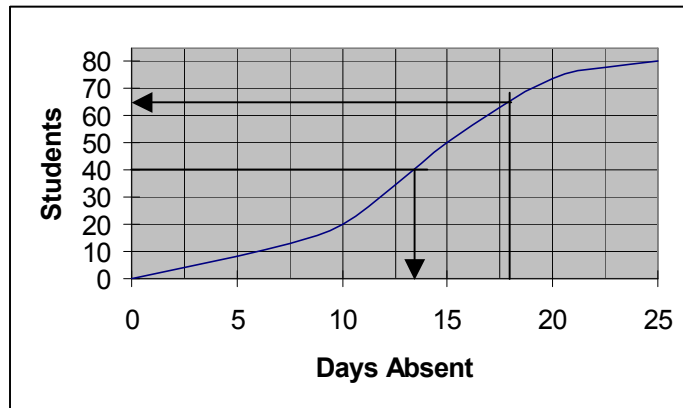
5 marks

Att 2

(ii)

5 marks

Att 2



(i) Median = 14(±3)

(ii) More than 18 days = 15

Blunders(-3)

- B1 Plot on mid-points
- B2 Error in scales one blunder
- B3 Points not joined
- B4 Uses incorrect axis for median

Slips(-1)

- S1 Each incorrect or omitted value in table
- S2 Median not specified
- S3 Each incorrectly plotted point
- S4 Reverses axes
- S5 Joins points with straight lines

Attempts(2,4,2)

- A1 Draws axes only
- A2 Copies table

Part(c)

15 (5, 10) marks

Att (2, 4)

Find the mean and the standard deviation of the numbers

4, 6, 11, 15

correct to two places of decimals.

Mean

5 marks

Att 2

Standard Deviation

10 marks

Att 4

x	Mean	d	d^2
4	9	5	25
6	9	3	9
11	9	2	4
15	9	6	36
$\Sigma x = 36$			$\Sigma d^2 = 74$

$$\text{Mean} = \frac{\sum x}{n} = \frac{36}{4} = 9, \quad \text{Standard Deviation} = \sqrt{\frac{74}{4}} = 4.3011 = 4.30$$

- * Calculates mean merits 5, standard deviation merits 10
- * Accept correct answer without work
- * Any error in structure of SD merits attempt only

Blunders(-3)

B1 $4 + 6 + 11 + 15 = 36$ only

B2 Incorrect or no round off

Slips(-1)

S1 Numerical errors

Attempts(2,4)

A1 Any addition

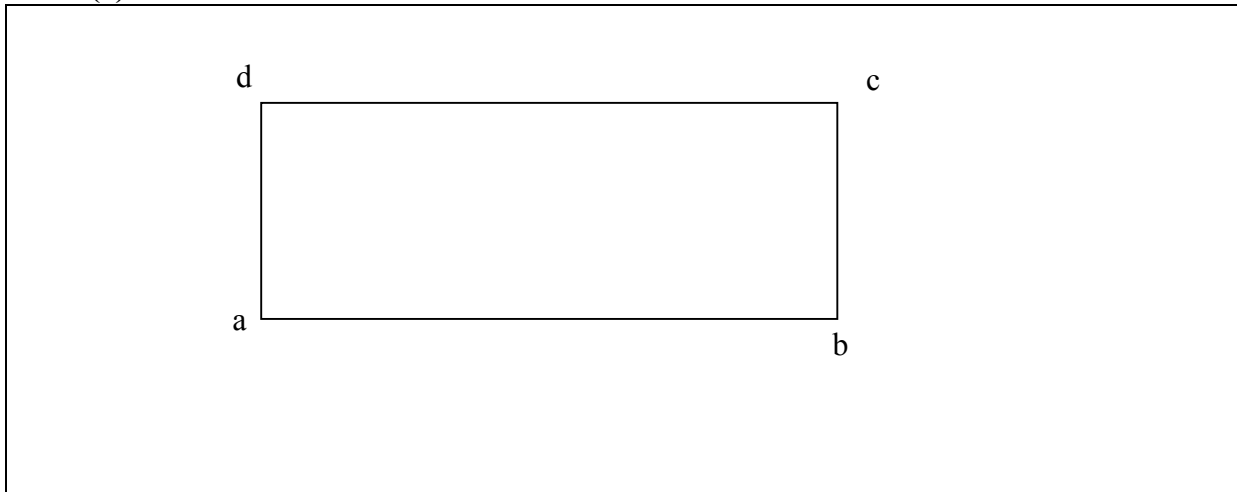
QUESTION 8

Part (a)	10 marks	Att 4
Part (b)	20 (5,5,5,5) marks	Att (2,2,2,2)
Part (c)	20 marks	Att 8

Part (a) **10 marks** **Att 4**

Construct a rectangle $abcd$ with
 $|ab| = 7 \text{ cm}$, $|bc| = 4 \text{ cm}$.

Part (a) **10 marks** **Att 4**



Blunders(-3)

- B1 No two sides perpendicular
- B2 One or two sides left out

Slips(-1)

- S1 Each side outside tolerance $\pm 1 \text{ cm}$
- S2 each angle outside tolerance of $\pm 5^\circ$

Att(4)

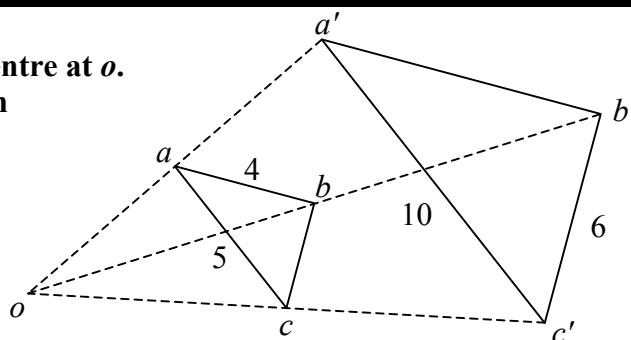
- A1 Any straight line

Part (b) **20 (5, 5, 5, 5) marks** **Att (2, 2, 2, 2)**

The triangle $a'b'c'$ is the image of the triangle abc under an enlargement with centre at o .

$|ac| = 5 \text{ cm}$, $|ab| = 4 \text{ cm}$, $|a'c'| = 10 \text{ cm}$
 and $|b'c'| = 6 \text{ cm}$.

- Find the scale factor.
- Find the length of $[a'b']$.
- Find the length of $[bc]$.
- The area of the triangle abc is 6 cm^2 .
- Find the area of the triangle $a'b'c'$.



(i)

5 marks

Att 2

$$\text{Scale Factor} = \frac{10}{5} = 2$$

Blunders(-3)

- B1 Inverts fraction
- B2 Incorrect numerator or denominator
- B3 Multiplies lengths

Slips(-1)

- S1 Numerical errors

(ii)

5 marks

Att 2

$$|a'b'| = 4 \times 2 = 8$$

Blunders(-3)

- B1 Makes no use of scale factor or uses incorrectly

Slips(-1)

- S1 Division for multiplication
- S2 Numerical once only

(iii)

5 marks

Att 2

$$|bc| = \frac{6}{2} = 3$$

Blunders(-3)

- B1 Makes no use of scale factor or uses incorrectly

Slips(-1)

- S1 Multiplication for division

(iv)

5 marks

Att 2

$$a'b'c' = 6 \times 2^2 = 24$$

or

$$a'b'c' = \frac{1}{2}(6) \times (8) = 24$$

Blunders(-3)

- B1 Does not square scale factor
- B2 Error in area formula

Slips(-1)

- S1 Division for multiplication
- S2 Numerical error

Part (c)

20 (5, 15) marks

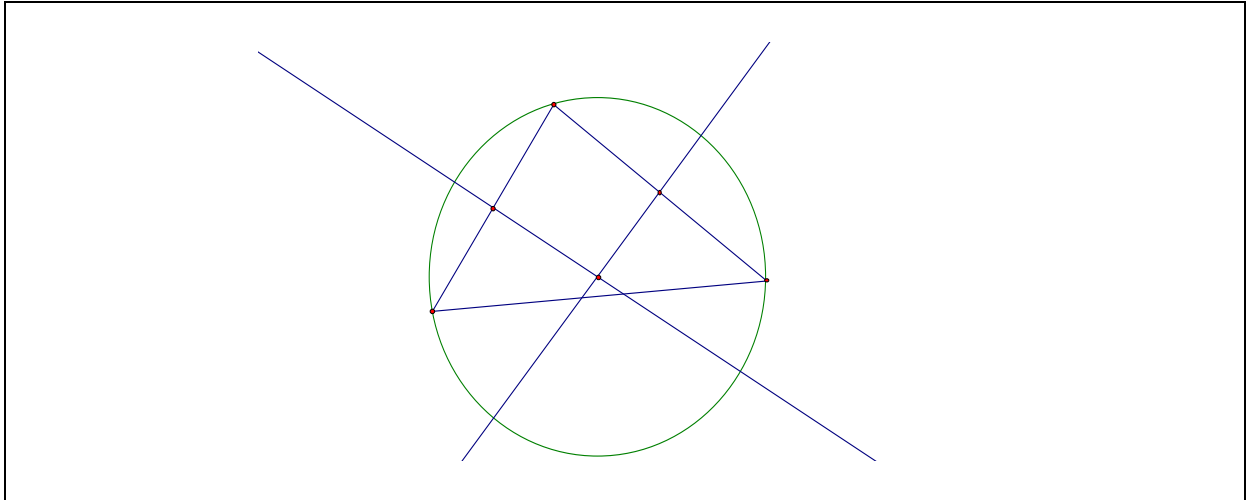
Att (2, 6)

Construct any triangle in your answerbook. Construct the circumscribed circle of the triangle. Show all construction lines clearly.

Part (c)

20 (5, 15) marks

Att (2, 6)



* Draws any triangle is worth 5m

Blunders(-3)

B1 Omits bisectors each time

B2 Draws bisectors only, no circle

Slips(-1)

S1 Circle does not pass through vertices, each time

BONUS MARKS FOR ANSWERING THROUGH IRISH

Bonus marks are applied separately to each paper as follows:

If the mark achieved is less than 226, the bonus is 5% of the mark obtained, rounding *down*.
(e.g. 198 marks \times 5% = 9.9 \Rightarrow bonus = 9 marks.)

If the mark awarded is 226 or above, the following table applies:

Marks obtained	Bonus
226 – 231	11
232 – 238	10
239 – 245	9
246 – 251	8
252 – 258	7
259 – 265	6
266 – 271	5
272 – 278	4
279 – 285	3
286 – 291	2
292 – 298	1
299 – 300	0

