

## **Cambridge International Examinations**

Cambridge International General Certificate of Secondary Education

CANDIDATE NAME			
CENTRE NUMBER		CANDIDATE NUMBER	
MATHEMATICS			0580/31
Paper 3 (Core)		October	/November 2018
			2 hours
Candidates answer or	n the Question Paper.		
Additional Materials:	Electronic calculator Tracing paper (optional)	Geometrical instruments	

## **READ THESE INSTRUCTIONS FIRST**

Write your Centre number, candidate number and name on all the work you hand in.

Write in dark blue or black pen.

You may use an HB pencil for any diagrams or graphs.

Do not use staples, paper clips, glue or correction fluid.

DO NOT WRITE IN ANY BARCODES.

Answer all questions.

If working is needed for any question it must be shown below that question.

Electronic calculators should be used.

If the degree of accuracy is not specified in the question, and if the answer is not exact, give the answer to three significant figures. Give answers in degrees to one decimal place.

For  $\pi$ , use either your calculator value or 3.142.

At the end of the examination, fasten all your work securely together.

The number of marks is given in brackets [ ] at the end of each question or part question.

The total of the marks for this paper is 104.



## 1 Lena owns a café.

(a) One day, Lena records the drinks she sells in one hour.

Tea	Tea	Coffee	Juice	Milkshake	Milkshake	Coffee	Coffee
Milkshake	Coffee	Tea	Juice	Tea	Coffee	Tea	Juice
Milkshake	Tea	Milkshake	Tea	Coffee	Tea	Milkshake	Coffee

(i) Complete the frequency table.

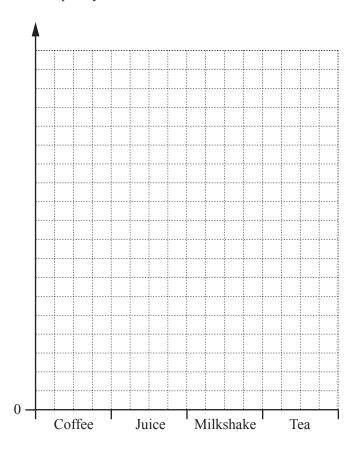
You may use the tally column to help you.

Drink	Tally	Frequency
Coffee		
Juice		
Milkshake		
Tea		
	Total	24

[2]

(ii) Draw a bar chart to show this information. Complete the scale on the frequency axis.

Frequency



[3]

(b) This table shows the opening hours of the café.

Day	Opening hours
Monday to Thursday	0830 to 1700
Friday and Saturday	08 30 to 19 00
Sunday	09 00 to 18 00

			Sunday	09 00 to 18 00	
	(i)	Work out the to	otal number of hours t	he café is open in one wo	eek.
					hours [2]
	(ii)		café for 40 hours each afé when Lena is not t		nours [2]
		Calculate the p	ercentage of the total	opening hours that Ron i	s in the café each week.
					% [2]
(c)		dak buys 3 cups up of tea costs \$	of tea and 2 cookies 1.75.	for \$6.95 .	
	Wor	rk out the cost of	f one cookie.		
					\$[2]
(d)		price of a cake he end of the day		rice of each cake by 35%	
	Calo	culate the reduce	ed price of a cake.		

\$ .....[2]

2	(a)	Write down all the factors of 18.	
	(b)	Write down a prime number between 40 and 50.	[2]
	(c)	Calculate $1.09 + \frac{7.85}{6.21 - 4.37}$ . Give your answer correct to 1 decimal place.	[1]
	(d)	Find the value of	[2]
		(i) $\sqrt{2.89}$ , (ii) $14^3$ ,	[1]
		(iii) 4 <sup>-2</sup> .	[1]

.....[1]

(e) (i)	$126 = 2 \times 3^2 \times k$	
	Find the value of $k$ .	
(ii)	Write 90 as the product of its prime factors.	<i>k</i> =[1]
(iii)	Find the lowest common multiple (LCM) of 90 and 126.	[2]
		[2]

3 (a) The table gives some information about the numbers of visitors at a leisure centre one day.

	Adult	Child	Total
Male		144	240
Female	129		260
Total	225	275	500

(i)	Complete the table.	[1]
(ii)	Work out how many more child visitors than adult visitors the	ere are.
(iii)	Write down the fraction of visitors that are adults. Give your answer in its lowest terms.	[1]
(iv)	Write the ratio number of males: number of females. Give your answer in its simplest form.	[2]
(v)	One of these visitors is selected at random.  Find the probability that this visitor is a male child.	[2]
		[1]

**(b)** The number of people in each of 150 cars entering the leisure centre car park is recorded. The table shows the results.

Number of people	1	2	3	4	5
Frequency	44	43	30	25	8

	Frequency	44	43	30	25	8	
(i)	Write down the mode.						
(ii)	Calculate the mean.						[1]
							[3]
	survey of 50 visitors to the leist day, 1500 people visited the le			the gym.			
Calo	culate an estimate for the numb	er of peop	ole who us	sed the gy	m on this	day.	

.....[2]

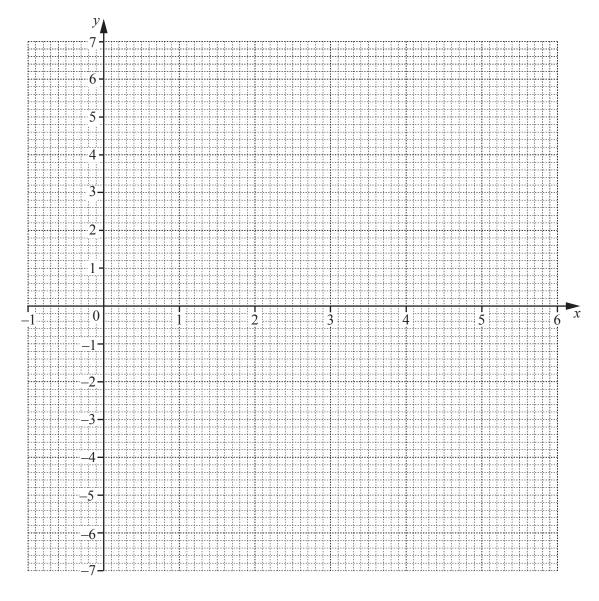
(c)

4 (a) (i) Complete the table of values for  $y = x^2 - 5x$ .

x	-1	0	1	2	3	4	5	6
У			-4	-6	-6	-4	0	

[2]

(ii) On the grid, draw the graph of  $y = x^2 - 5x$  for  $-1 \le x \le 6$ .



[4]

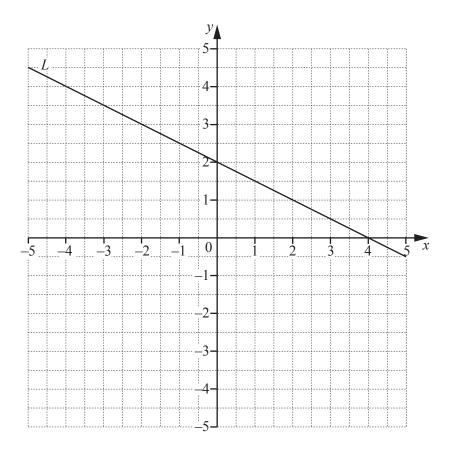
(iii) Write down the co-ordinates of the lowest point of your graph.

(.....)[1]

(iv) Use your graph to solve the equation  $x^2 - 5x = 3$ .

 $x = \dots$  or  $x = \dots$  [2]

**(b)** 



Line L is drawn on the grid.

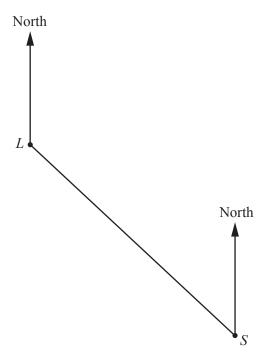
(i) Find the equation of line L in the form y = mx + c.

y =....[3]

(ii) Line P is parallel to line L and passes through the point (0, -1).

On the grid above, draw line P for  $-5 \le x \le 5$ . [2]

5 (a) The scale drawing shows the positions of a lighthouse L and a ship S. The scale is 1 centimetre represents 5 kilometres.



Scale: 1 cm to 5 km

(i) Work out the actual distance, in kilometres, from S to L.

		km [2]
(ii)	Measure the bearing of $S$ from $L$ .	
		[1]

(iii) Another ship, T, is 22 km from L on a bearing of 210°.

Mark and label the position of *T* on the scale drawing. [2]

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The scale drawing shows the positions of two yachts, P and Q. The scale is 1 centimetre represents 100 metres.

 $\bullet Q$ 

 $P \bullet$ 

Scale: 1 cm to 100 m

(i) Construct the locus of points equidistant from P and Q.

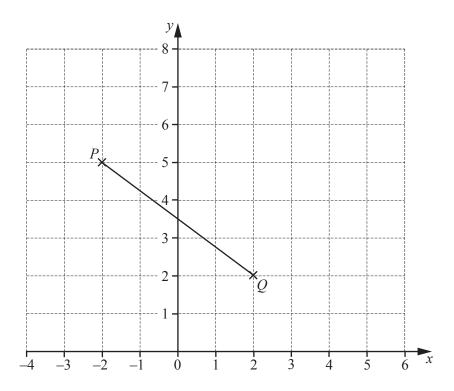
[2]

- (ii) Another yacht, Y, is
  - closer to P than to Q and
  - less than  $700 \,\mathrm{m}$  from Q.

On the scale drawing, construct and shade the region where yacht *Y* is.

[3]

6 (a)



(i) Write down the co-ordinates of point P.

() [1]	(					•																		,																								)	)			1		
--------	---	--	--	--	--	---	--	--	--	--	--	--	--	--	--	--	--	--	--	--	--	--	--	---	--	--	--	--	--	--	--	--	--	--	--	--	--	--	--	--	--	--	--	--	--	--	--	---	---	--	--	---	--	--

(ii) Write down the column vector  $\overrightarrow{PQ}$ .

$$\overrightarrow{PQ} = \left( \right)$$
 [1]

(iii) 
$$\overrightarrow{QR} = \begin{pmatrix} 3 \\ 2 \end{pmatrix}$$

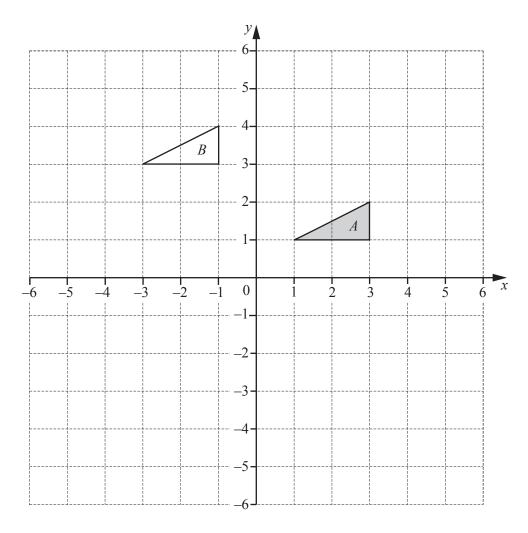
On the grid, plot point 
$$R$$
. [1]

(iv) *PQRS* is a parallelogram.

On the grid, complete the parallelogram *PQRS*. Write down the co-ordinates of point *S*.

(							_		_	_								_					_	_				_	_				_	_						_	_	_		_			_	_	)	)	I	Γ.	2	•	1
1	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	 •	•	•	•	٠	•	•	,	•	•	•	•	•	•	•	•	•	•	•	•	• •	•	•	•	٠	•	•	•	 •	•	•	•	J	,	ı	Ŀ	_	٠.	J

**(b)** 



(i) Describe fully the **single** transformation that maps triangle A onto triangle B.

[2]

- (ii) On the grid, draw the image of triangle A after a reflection in the line y = -1. [2]
- (iii) On the grid, draw the image of triangle A after a rotation through  $180^{\circ}$  about (0, 0). [2]

	7	Nora	makes	a	birthday	cake
--	---	------	-------	---	----------	------

(	(a)	Nora	has a	nacket	containing	250g	of	cherries.
۸		, I tolu	mus u	pacition	Commining	2005	$\mathbf{O}_{\mathbf{I}}$	CHICHTICS.

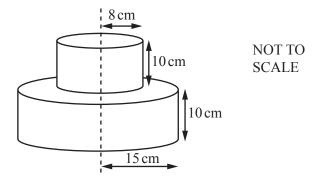
She uses  $\frac{7}{10}$  of the cherries in the cake.

Find the mass of cherries she has left.

g [2]
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**(b)** The cake is made by putting a small cylinder of cake on top of a large cylinder of cake.

The radius of the large cylinder is 15 cm. The radius of the small cylinder is 8 cm. The height of each cylinder is 10 cm.



(i) Calculate the total volume of the cake.

c	$m^{3}[3]$
---	------------

(ii) Nora wraps a ribbon around the large cylinder.

The ribbon is 4 cm longer than needed to go all the way around this cylinder.

Calculate the length of this ribbon.

cm [3]
--------

(c) The mass, m grams, of the cake is 1250 g, correct to the nearest 10 g.

Complete this statement about the value of m.

 $\dots \leq m \leq \dots [2]$ 

8 (a) Simplify.

$$4c + 2d - c + 6d$$

 [2]
 14

**(b)** h = 5m - 2n

Calculate *h* when m = 4 and n = -6.

(c) Solve.

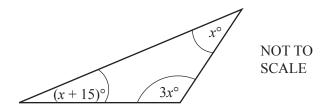
$$7(x-3) = 56$$

$$x = \dots [2]$$

(d) Make t the subject of the formula r = 6t + 7.

$$t = \dots [2]$$

(e) The diagram shows a triangle.

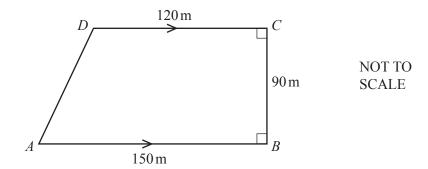


Use the diagram to write down an equation and solve it to find the value of x.

$$x = \dots [4]$$

Question 9 is printed on the next page.

9



The diagram shows a field in the shape of a trapezium.

 $AB = 150 \,\text{m}$ ,  $BC = 90 \,\text{m}$  and  $CD = 120 \,\text{m}$ .

Angle ABC = angle BCD = 90°.

(a) Calculate the area of the field.

$m^2$ [2]	m <sup>2</sup> F2
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**(b) (i)** Show that AD = 95 m, correct to the nearest metre.

[3]

(ii) A fence is built around the perimeter of the field. It costs \$48 to build each 5-metre section of the fence.

Calculate the cost of building this fence.

\$ ......[3]

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