# MARKSCHEME 

May 2006

## PHYSICS

## Higher Level

## Paper 3

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## Option D - Biomedical Physics

D1. stress $=F / A$;
maximum stress $=W / A$;
in new bone $A_{2}=4 A_{1}$;
$\Rightarrow$ new $W_{2}=4 W_{1}$;
Award full marks for correct answer with any sensible reasoning.

D2. (a) $I L$ (sound intensity level) $=10 \lg \left(I / I_{0}\right)$; where $I_{0}=1.0 \times 10^{-12} \mathrm{~W} \mathrm{~m}^{-2}$;
(b) intensity at eardrum $=\frac{2.8 \times 10^{-7}}{1.9 \times 10^{-5}}=1.5 \times 10^{-2} \mathrm{~W} \mathrm{~m}^{-2}$;

$$
\begin{align*}
& I L=10 \lg \left(\frac{1.5 \times 10^{-2}}{1.0 \times 10^{-12}}\right) ; \\
&=100 \mathrm{~dB}  \tag{3}\\
& \text { Accept } 102 \mathrm{~dB}
\end{align*}
$$

(c) long exposure / loud sound would cause deafness/tinnitus;

D3. (a) (i) $3.0( \pm 0.1) \mathrm{mm}$;
(ii) $\mu=\frac{\ln 2}{\mathrm{t}_{1 / 2}}$;

$$
\begin{equation*}
\mu=\frac{\ln 2}{3.0 \mathrm{~mm}}=0.23 \mathrm{~mm}^{-1} ; \tag{2}
\end{equation*}
$$

Allow ECF from (i) above range gives values from $0.20 \mathrm{~mm}^{-1}$ to $0.28 \mathrm{~mm}^{-1}$.
(b) $\frac{I}{I_{0}}=e^{-\mu x}$;
$\frac{I}{I_{0}}$ greater $\Rightarrow \mu$ smaller;
$\Rightarrow$ half-thickness will be greater (greater intensity for same thickness of bone);
Award [2 max] for correct statements with no explanation.
(c) abdomen has approximately constant $\mu$;
barium meal has high $\mu$ value;
barium meal lines stomach;
so outline of stomach becomes clear;

D4. (a) principle of moments mentioned/stated;
weight-pivot distances $>$ tendon-pivot distance;
force in tendon > weight;
(b) system has large velocity ratio;
only small movement of muscle available but large arm movement possible;

D5. (a) type of radiation;
intensity of radiation;
exposure time;
Do not allow "mass".
(b) (named) suitable shielding material absorbs energy before it reaches worker; increasing distance from source reduces intensity of radiation at worker;

## Option E - The History and Development of Physics

E1. (a) Copernicus $\Rightarrow$ planets move in circle about the Sun
Kepler $\Rightarrow$ planets move in ellipses about the Sun;
Copernicus $\Rightarrow$ hypothesis
Kepler $\Rightarrow$ based on experimental data;
(b) an inverse square law between the Sun and planets; this force produced the orbital motion of the planets; and accounted for the elliptical orbits; able to derive Kepler's law (of periods) theoretically;

E2. straight-line as a result of force;
curve as a result of weakening of force;
vertical when no force;
vertical (downward) motion is natural motion;

E3. (a) to determine the equivalence between mechanical energy and thermal energy / OWTTE;
(b) weights raised by turning handle;
then allowed to fall so turning the paddle;
mass of weights and height of fall measured;
mass of water measured;
rise in temperature of water measured;
repeat to obtain measurable temperature;

E4. (a) (i) fluorescence glowing; a shadow (of the cross) opposite to cathode/cross;
(ii) the shadow moved; [1]
(b) (presence of) shadow $\Rightarrow$ rays move along straight-line as light does / rays cast a shadow as light does;
shadow moves $\Rightarrow$ a magnet does not influence light;

E5. (a)

arrow between line 4 and line 2;
arrow points downwards;
(b) uses $c=f \lambda$ to determine wavelength; (explicit answer not required)
$R_{\mathrm{H}}=\left\{\left(\frac{1}{2^{2}}\right)-\left(\frac{1}{4^{2}}\right)\right\} \div 2.06 \times 10^{6} ;$
$=1.1 \times 10^{7} \mathrm{~m}^{-1}$;
(c) only hydrogen / singly-ionized helium predicted;
no relative intensities predicted / no transition probabilities predicted; no fine structure;
(d) electron can be described as a wave;
electron position is undefined;
wave nature determines probability of finding particle;
particle can be represented by standing wave;

## Option F - Astrophysics

F1. (a) there is an equilibrium;
between radiation pressure and gravitational pressure / OWTTE;
(b) visual binary:
stars (of system) can be separated through a telescope/binoculars / OWTTE;
spectroscopic binary:
(analysis of) light spectrum (from system) reveals two different (classes of) stars;

F2. (a) (class $M \Rightarrow$ low surface temperature $\Rightarrow$ ) red;
(b) $\quad d(p c)=\frac{1}{p}=\frac{1}{5.0 \times 10^{-3}}=200 \mathrm{pc}$;
$200 \mathrm{pc} \times 3.26 \times 9.46 \times 10^{15}=6.2 \times 10^{18} \mathrm{~m} ;$
(c) (i) use of $L=b\left(4 \pi d^{2}\right)$;

$$
\begin{align*}
& L=\left(1.6 \times 10^{-8}\right) \times(4 \pi) \times\left(6.2 \times 10^{18}\right)^{2} ; \\
& L=7.6 \times 10^{30} \mathrm{~W} ; \tag{3}
\end{align*}
$$

(ii) $T=\frac{2.9 \times 10^{-3}}{\lambda_{\max }}=\frac{2.9 \times 10^{-3}}{935 \times 10^{-9}}$;

$$
T=3100 \mathrm{~K}
$$

(d) $L=\sigma T^{4}\left(4 \pi R^{2}\right) \Rightarrow R=\frac{(L)^{\frac{1}{2}}}{\left(\sigma T^{4} 4 \pi\right)^{\frac{1}{2}}}$;
$R=\frac{\left(7.6 \times 10^{30}\right)^{\frac{1}{2}}}{\left(5.67 \times 10^{-8} \times(3100)^{4}(4 \pi)\right)^{\frac{1}{2}}} ;$
$\frac{R}{R_{\mathrm{s}}}=\frac{R}{7.0 \times 10^{8}}=500 ;$

F3. (a) the intensity of illumination falls off as $1 / r^{2}$;
(since stars uniformly distributed) the number of stars seen from Earth increases as $r^{2}$; therefore, the sky should be equally bright in any direction / OWTTE;
Award [1] for "in any direction, the line of sight will encounter the surface of a star $\Rightarrow$ sky as bright as sun".
(b) the BB model leads to the idea of the expansion of the universe;
the BB model leads to the idea that the observable universe is not infinite;
Award [1] for "because the universe (stars) is not infinitely old" (universe far younger than necessary for us to see a star in every direction. Finite speed of light means that we are not receiving light from all sources) / OWTTE.

F4. (a) (i)

line to red giant area;
line to white dwarf area;
(ii) white dwarf; [1]
(b) (i) helium fusion; [1]
(ii) carbon formed; [1]

F5. (a) (relative) recessional speed $v$ between galaxies; at separation distance of $d$;
(b) conversion of parsec to metres ( 1 parsec $=3.08 \times 10^{16} \mathrm{~m}$ );
$1 / H_{0}=$ age of universe;
$\left(\frac{3.08 \times 10^{16}}{6.5 \times 10^{-2}}\right)=4.7 \times 10^{17} \mathrm{~s}$;

## Option G - Relativity

G1. (a) proper time is the time measured in a FR at rest with respect to events;
clock is at rest with respect to muon;
(b) calculated value of gamma, $\gamma=5.0$;

$$
T_{m}=\frac{T_{g}}{\gamma}=\frac{10.2}{5.0}=2.0 \mu \mathrm{~s}
$$

G2. $c$ is constant in all FR / OWTTE; shorter path length to L for Nino; so flash on L seen first by Nino;

G3. (a) transformations made under the assumptions that time measurements (and space measurements) are independent of the observer;
Accept "absolute".
(b) (i) $u_{x}=u^{\prime}{ }_{x}+v=0.9800 c+0.9800 c=1.9600 c$;

Accept -1.9600 c corresponding to - values of $v$ and $u^{\prime}{ }_{x}$.
(ii) $u_{x}=\frac{u_{x}^{\prime}+v}{1+\frac{u_{x}^{\prime} v}{c^{2}}}=\frac{0.9800 c+0.9800 c}{1+\frac{0.9800 c(0.9800 c)}{c^{2}}}$;
$u_{x}=0.9998 c$;
Accept -0.9998 c corresponding to - values of $v$ and $u_{x}{ }_{x}$.
(c) $\quad$ in (b)(i) $v>c$;
since this is not possible, then the Galilean transformation equation is not applicable;

G4. (a) RME: rest mass times $c^{2}$;
TE: sum of RME + kinetic energy (assuming no potential energy); [2]
(b) 938 MeV ;
(c) $\gamma m_{0} c^{2}=m_{0} c^{2}+V e$;
$V e=\gamma m_{0} c^{2}-m_{0} c^{2}$
$V e=m_{0} c^{2}(\gamma-1)$;
$V e=938(4.0)$;
$V=3750 \mathrm{MV}$;

G5. (a) far away from any other mass; constant velocity;
(b) (i) diagram showing large mass and distant light source, light bends round mass; mass warps space-time so that it is curved; shortest path is now curved not straight;
(ii) describes observed effect when mass between observer and source; describes observed effect when mass not present; clear statement that star is the same in both observations;
(c) mass too small; radius too large;

## Option H - Optics

H1. (a) oscillating (varying) electric and magnetic fields/electromagnetic waves;
(b) (i) X-rays; [1]
(ii) $10^{14} \mathrm{~Hz} / 10^{15} \mathrm{~Hz}$;

H2. (a) (i)

one ray from fish with correct refraction;
2nd ray from fish with correct refraction;
rays backward to give correct position of image;
Here only a qualitative explanation (diagram) is expected, since no numerical values are given. A quantitative solution is asked for in part (a) (iii).
(ii) virtual since extension of rays gives its position / appear to come from fish / OWTTE;
(iii) $n=\frac{\text { real depth }}{\text { apparent depth }}$;
apparent depth $=\frac{48}{1.3}=37 \mathrm{~cm} ;$

H3.
(a)

H

ray through centre (pole) of lens;
ray parallel to principal axis;
location of image between 6.9 cm and 8.1 cm ;
Accept other suitable ray.
(b) eye to the right of lens;
(c) $\quad$ magnification $=\frac{H}{h}=\frac{3.7}{1.5}$;

$$
=2.5( \pm 0.2) \text {; }
$$

or

$$
\begin{aligned}
& v=7.6 \mathrm{~cm} \\
& u=3.0 \mathrm{~cm} \\
& m=\frac{7.6}{3.0}
\end{aligned}
$$

$$
=2.5( \pm 0.2)
$$

(d) (i) converging (convex) lenses;
(ii) $\frac{1}{3.4}+\frac{1}{v}=\frac{1}{4.0}$;
$v=(-) 22.7 \mathrm{~cm}$;
magnification: $\frac{22.7}{3.4}=6.7$;
total magnification: $6.7 \times 24=160$;
Allow two sig fig for answer (-)25 cm.
$\Rightarrow$ magnification $=7.4$
$\Rightarrow$ total magnification $=180$

H4. identifies correct reflecting surfaces (may be on diagram) e.g. reflection from bottom of lens surface interferes with reflection from top of flat surfaces;
reflection at top of flat surface has $\pi\left(180^{\circ}\right)$ phase change; describes meaning of "in phase" correctly, i.e. simultaneous maxima / OWTTE;
two waves superpose to give greater intensity/maximum $\rceil$ Do not allow repeat of "bright when arriving in phase;
fringe" for this mark.

H5. (a) shape of diffraction pattern acceptable; central maximum of one pattern falls on first minimum of other; relative heights of central and first maxima realistic for both patterns;

(b) $\theta=\frac{1.22 \lambda}{d}=\frac{1.22 \times 400 \times 10^{-9}}{0.003}\left(=1.63 \times 10^{-4} \mathrm{rad}\right)$;
$\left(\right.$ woman - car distance $\left.=\frac{\text { head lamp separation }}{\tan \theta}\right)=\frac{1.2}{1.6 \times 10^{-4}} ;$
$=7.5 \mathrm{~km}$;

