

Oxford Cambridge and RSA Examinations
General Certificate of Secondary Education

Mathematics C (Graduated Assessment)
MODULE M6 – SECTION A

1966/2336A

Specimen Paper 2003

Candidates answer on the question paper.

Additional materials:

Geometrical Instruments
Tracing Paper (optional)

TIME 30 minutes.

Candidate Name	Centre Number	Candidate Number												
	<table border="1" style="width: 100%; height: 100%;"> <tr> <td style="width: 20px; height: 20px;"></td> <td style="width: 20px; height: 20px;"></td> <td style="width: 20px; height: 20px;"></td> <td style="width: 20px; height: 20px;"></td> <td style="width: 20px; height: 20px;"></td> <td style="width: 20px; height: 20px;"></td> </tr> </table>							<table border="1" style="width: 100%; height: 100%;"> <tr> <td style="width: 20px; height: 20px;"></td> <td style="width: 20px; height: 20px;"></td> <td style="width: 20px; height: 20px;"></td> <td style="width: 20px; height: 20px;"></td> <td style="width: 20px; height: 20px;"></td> <td style="width: 20px; height: 20px;"></td> </tr> </table>						

INSTRUCTIONS TO CANDIDATES

- Write your name, Centre number and candidate number in the boxes above.
- Answer **all** the questions.
- Write your answers, in blue or black ink, in the spaces provided on the question paper.
- Read each question carefully and make sure you know what you have to do before starting your answer.
- There is a space after most questions. Use it to do your working. In many questions marks will be given for a correct method even if the answer is incorrect.

INFORMATION FOR CANDIDATES

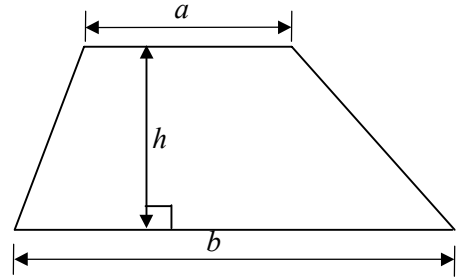
- The number of marks is given in brackets [] at the end of each question or part question.
- The total number of marks for this section is 25.

For Examiner's Use	
Section A	
Section B	
Total	

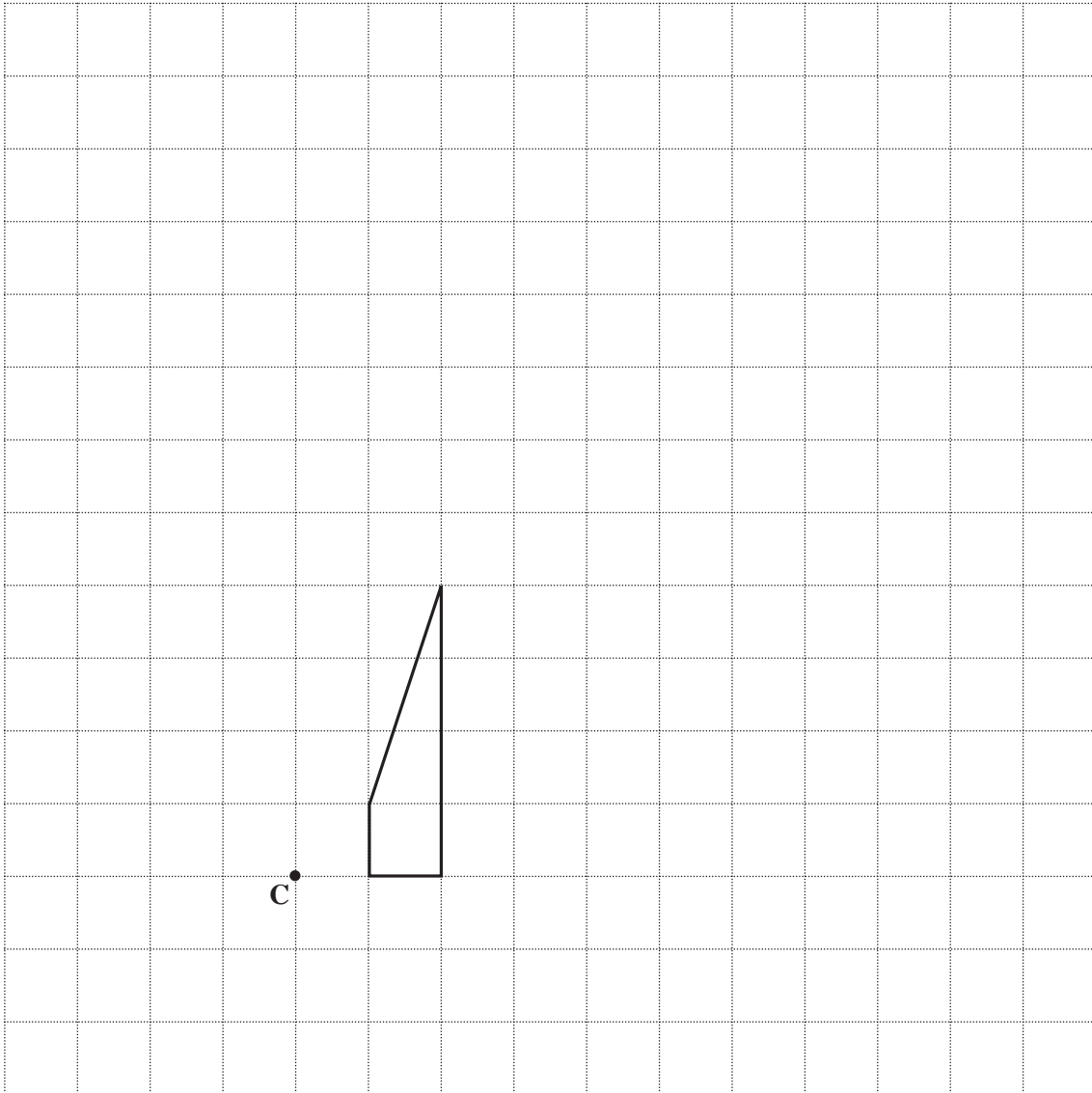
WARNING
You are not allowed to use a calculator in Section A of this paper.

FORMULA SHEET: FOUNDATION TIER

Area of trapezium = $\frac{1}{2}(a + b)h$



- 1 Enlarge this shape using a scale factor of 3.
Use C as the centre of enlargement.



[3]

3	
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2 The expression $n^2 + n + 17$ generates prime numbers for some values of n .

Substitute these numbers into this expression.

(a) $n = 4$

(a) _____ [1]

(b) $n = -3$

(b) _____ [2]

3	

3 Solve these equations.

(a) $3x + 2 = 2x + 5$

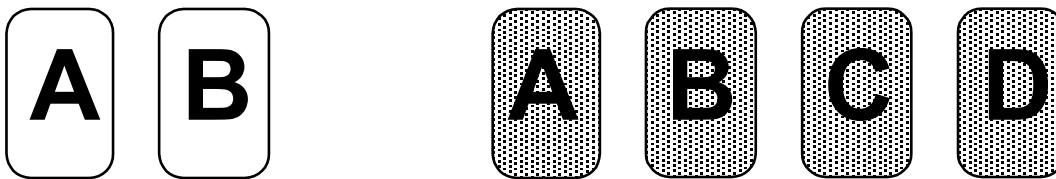
(a) $x =$ _____ [2]

(b) $2(x + 3) = 15$

(b) $x =$ _____ [2]

4	

4 Here are two sets of cards, one set white and the other set grey.



A card is chosen at random from each set.

(a) Complete this table listing all the possible outcomes.

You will not need to use all the spaces.

White Card	Grey Card
A	A
A	B

[1]

(b) What is the probability of choosing two cards with the same letter?

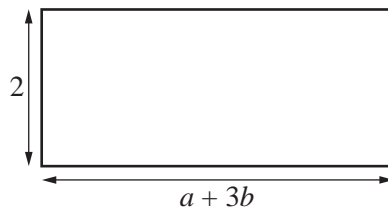
(b) _____ [1]

(c) What is the probability of choosing two cards with different letters?

(c) _____ [2]

4	
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- 5 (a) This rectangle has area $2(a + 3b)$.



Multiply out $2(a + 3b)$.

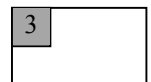
(a) _____ [1]

- (b) This rectangle has area $3a + 12$.
The width of the rectangle is 3.

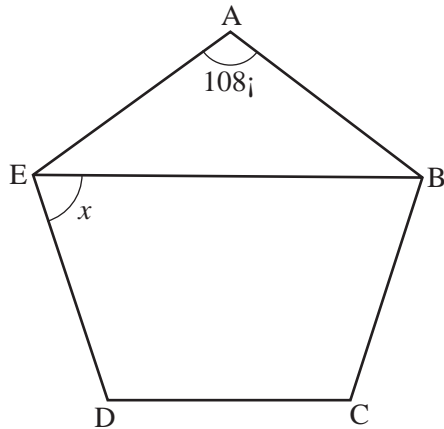


Write down an expression for the length of the rectangle.

(b) _____ [2]



6 ABCDE is a regular pentagon.



Not drawn accurately

Calculate the size of angle x
Give reasons for your answer.

$x =$ _____ $^\circ$ because _____

[4]

4

7 Calculate

(a) $\frac{3}{8} \times \frac{1}{2}$,

(a) _____ [1]

(b) $\frac{3}{8} \div 6$.

(b) _____ [1]

2

8 This table shows the temperature, in degrees Celsius, in some cities.

Amsterdam	- 7
Athens	5
Paris	2
Manchester	3
Geneva	

(a) How many degrees warmer was it in Paris than Amsterdam?

(a) _____ [1]

(b) In Geneva it was 7 degrees colder than in Paris.

What was the temperature in Geneva?

(b) _____ °C [1]

2

Oxford Cambridge and RSA Examinations
General Certificate of Secondary Education

Mathematics C (Graduated Assessment)
MODULE M6 – SECTION B

1966/2336B

Specimen Paper 2003

Candidates answer on the question paper.

Additional materials:

Geometrical Instruments
Tracing Paper (optional)
Electronic Calculator

TIME 30 minutes.

Candidate Name

Centre Number

Candidate Number

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INSTRUCTIONS TO CANDIDATES

- Write your name, Centre number and candidate number in the boxes above.
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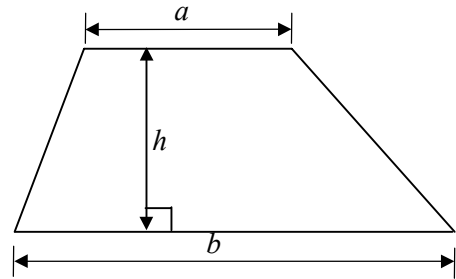
INFORMATION FOR CANDIDATES

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- The number of marks is given in brackets [] at the end of each question or part question.
- The total number of marks for this section is 25.

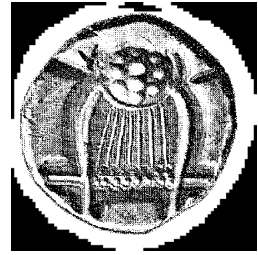
For Examiner's Use	
Section B	

FORMULA SHEET: FOUNDATION TIER

Area of trapezium = $\frac{1}{2}(a + b)h$



- 9 Ancient coins were made of electrum.
Electrum is a mixture of gold and silver in the ratio 4:1.



- (a) What is the weight of gold in an electrum coin weighing 20 g?

(a) _____ g [2]

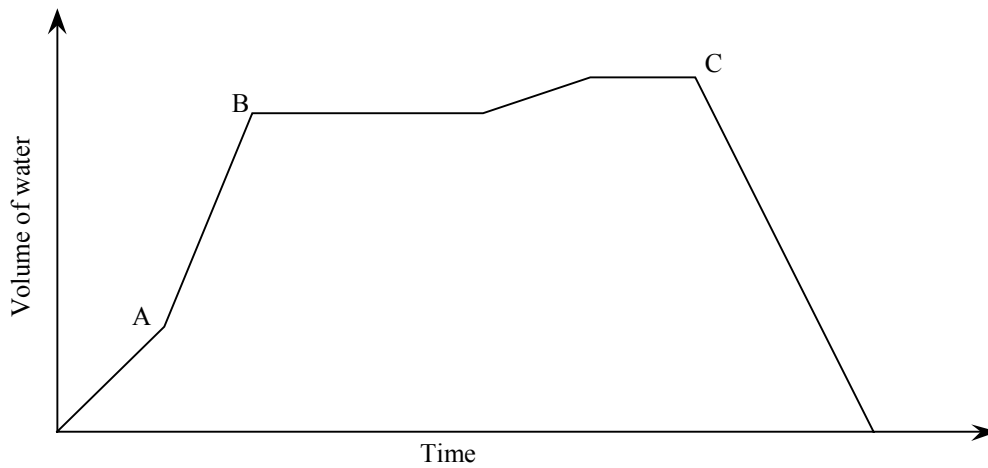
- (b) Ancient medals were made of a different mixture of gold and silver.
55% of this mixture was gold.

Write down the ratio of gold to silver in this mixture.
Give your answer in its simplest form.

(b) _____ : _____ [2]

4

10 This sketch shows what happens to the volume of water in a bath.



At the start the plug was put in and the cold tap was turned on fully.

(a) What happened at A?

[1]

(b) What happened at C?

[1]

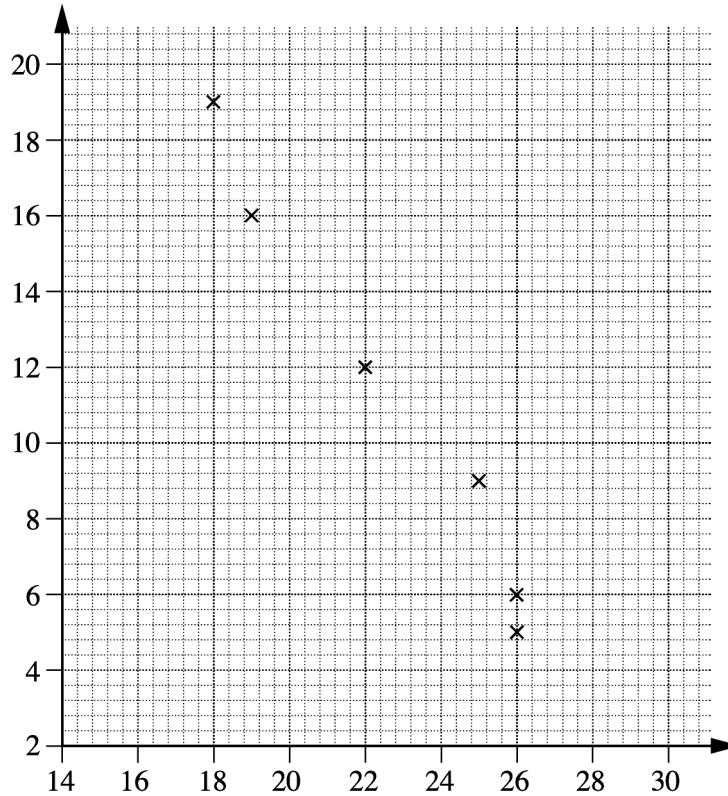
2

- 11 Amy wants to compare daily temperatures in Birmingham and Cape Town for 12 days. This table shows the temperatures.

Temperature in Cape Town ($^{\circ}\text{C}$)	26	26	25	22	19	18	17	18	18	21	23	24
Temperature in Birmingham ($^{\circ}\text{C}$)	5	6	9	12	16	19	20	20	17	13	9	6

The first six points have been plotted on the scatter diagram below.

- (a) Plot the last six points.



[2]

- (b) What does the diagram show about the relationship between the temperature in Birmingham and the temperature in Cape Town?

[1]

3

- 12 (a) Calculate, correct to 2 decimal places.

$$\frac{1}{3.4 + 2.01}$$

(a) _____ [2]

- (b) Calculate.

$$\frac{4.9^2 - 3.1^2}{3.7}$$

(b) _____ [2]

4

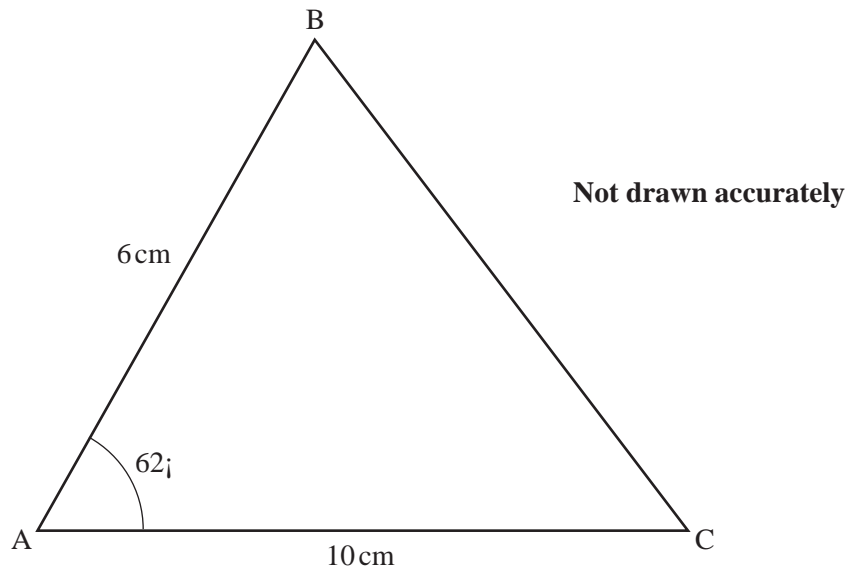
- 13 The Barringer Crater in Arizona is circular.
It has a diameter of 1.6 km.



Calculate the circumference of the Barringer Crater.

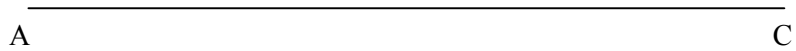
_____ km [2]

2



The diagram shows triangle ABC.

- (a) Construct triangle ABC in the space below.
The side AC has been drawn for you.



[1]

- (b) Measure the size of angle C.

(b) _____° [1]

2	
---	--

- 15** John and Peter did some gardening.
They shared the money they were paid in the ratio of the number of hours they worked.

John worked for 5 hours.
Peter worked for 7 hours.

They were paid a total of £28·80.

How much did they each receive?

John £ _____ [1]

Peter £ _____ [1]

2

- 16** A holiday company offers a discount of 5%.

Michael booked a holiday.
The full cost of the holiday was £910.

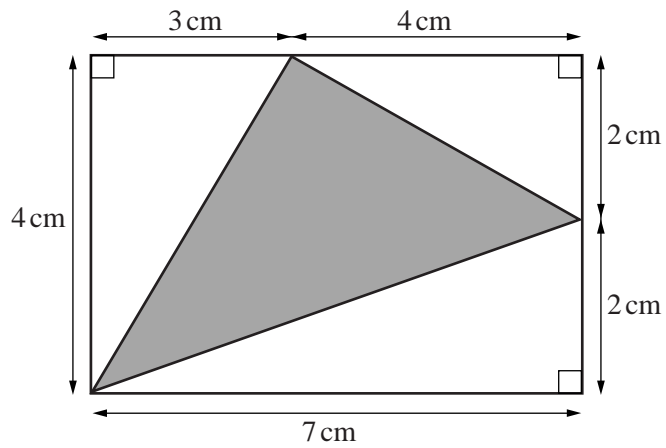
How much did Michael pay after the discount?

£ _____ [2]

2

17 ABCD is a rectangle measuring 4 cm by 7 cm.

Work out the area of the grey triangle.



Not drawn accurately

_____ [4]

4

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General Certificate of Secondary Education

Mathematics C (Graduated Assessment)
MODULE M6

1966/2336

MARK SCHEME

Specimen Paper 2003

SECTION A

1	Correct enlargement	W3	W2 for correct enlargement in the wrong place M1 for evidence of use of centre
		[3]	
<hr/>			
2	(a) 37	W1	
	(b) 23	W2	W1 for $9 - 3 + 17$ seen
		[3]	
<hr/>			
3	(a) 3	W2	M1 for $3x - 2x = 5 - 3$
	(b) 4.5	W2	M1 for $2x + 6 = 15$
		[4]	
<hr/>			
4	(a) Correct table	W1	
	(b) $\frac{1}{4}$ or 0.25 or 25%	W1	
	(c) $\frac{3}{4}$ or 0.75 or 75%	W2	M1 for $1 - \frac{1}{4}$ f.t
		[4]	
<hr/>			
5	(a) $2a + 6b$	W1	
	(b) $a + 4$	W2	M1 for $(3a + 12) \div 3$
		[3]	
<hr/>			
6	72°		W2 for 72° with no reasoning Or M1 ABE isosceles M1 $\angle AEB = 36^\circ$ M1 $\angle BED = 108 - 36$ A1 72°
		[4]	
<hr/>			
7	(a) $\frac{3}{16}$	W1	
	(b) $\frac{1}{16}$	W1	
		[2]	
<hr/>			
8	(a) 9	W1	
	(b) -5	W1	
		[2]	

Total for Section A: 25

SECTION B

9	(a) 16	W2	M1 for $20 \div (4+1)$
	(b) 11:9	W2	W1 for 55 : 45
[4]			
10	(a) Hot water on	W1	
	(b) Plug pulled out	W1	
[2]			
11	(a) 6 points plotted correctly	W2	W1 for 4 correct
	(b) (Negative) correlation or equivalent	W1	
[3]			
12	(a) 0.18	W2	W1 for 0.1848 ...
	(b) 3.89	W2	W1 for 14.4 seen
[4]			
13	5 (.0.....)	W2	M1 for $\pi \times 1.6$
[2]			
14	(a) Correct triangle	W1	Allow ± 0.1 cm and $\pm 1^\circ$
	(b) 35 to 37	W1	
[2]			
15	12 and 16.80	W2	M1 for $28.8 \div 12$
[2]			
16	864.50	W2	M1 for 0.95×910
[2]			
17	11 cm ²	W4	M3 for $28 - (6+4+7)$ (or 11) or M2 for 2 correct areas seen or M1 for use of formula for the area of a triangle
[4]			

Total for Section B: 25

Total mark available: 50

MODULE: M6

Question	Topic	Syll Ref	Mod Ref	16										Grades											
				N	Man A	7	Man A	5	SSM	14	7	UA ₁	3	UA2	2	UA3	2	Multi-s	5	Units	Acc	F	E	D	
1	Enlargement	F3/3c	S6.6									3												3	
2	Substitution	F2/5c	A6.3						3																3
3	Equation	F2/5e	A6.2			4																			4
4	Probability	F4/4f	D6.1,D5.1										4										4		4
5	Brackets	F3/2b	A6.1			3																			3
6	Polygons	F3/2c,2g,l,j	S6.1									4													4
7	Fractions	F2/3d	N6.4	2																				2	
8	Directed numbers	F2/3a	N6.5	2																				2	
	Section A Total			4	7	7	3	7	4	4														8	17
9	Ratio	F2/2f,3f	N6.3	4																					4
10	Graphs	F2/1e,6c	A6.5				2												2						2
11	Scatter diagrams	F4/4a,5b,1e	D6.2										3						1						3
12	Use of calculator	F2/3o	N6.1	4																					4
13	Circumference	F3/4h	S6.2									2													2
14	Construction	F3/4d	S6.3									2													2
15	Division in ratio	F2/2f,3f	N6.3	2																					2
16	Percentages	F2/3m	N6.2	2																					2
17	Areas	F3/4f,1b	S6.4									4													4
	Section B Total			12	7	7	2	8	3	3									3	3	3	4	4	1	21
	Total			16	7	7	5	15	7	3									3	3	3	8	1		38