1. Below are the results from a child's spelling tests over a term.
$\begin{array}{llllllllll}3 & 3 & 5 & 5 & 5 & 5 & 6 & 7 & 9 & 10\end{array}$
Calculate the mean mark over the whole term.
2. (a) Simplify the expression: $7 x+5 x+3 x$.
(b) Solve the following equations:
(i) $12 x=48$
(ii) $8+x+6+2 x=17$
(c) For the formula $f=3 s-4$ find the value of $f$, when $s=7$.
3. (a) Write the three missing terms of the sequence
$15 \quad 21 \quad 33$ _
(b) Write down the values of the following, in the simplest form.
(i) $\sqrt{64}$
(ii) $10^{2}$
(iii) $2^{3}$
4. Here are two triangles.

Triangle A has two sides the same length.
Triangle B has all it sides the same length.


B
(a) (i) Write down the special name for triangle $A$.
(b) (i) Write down the order of rotational symmetry for triangle A .
(ii) Write down the order of rotational symmetry for triangle B.
5. A car mechanic buys engine oil in 1.5 litre bottles. He buys 7 bottles.
(a) How many millilitres of oil does the mechanic have?
(b) The mechanic pours $3000 \mathrm{~cm}^{3}$ of the oil into a cuboid tank, the base of the tank measures $50 \mathrm{~cm} \times 20 \mathrm{~cm}$.
What height would the tank have to be, for it to be full of oil?
6. (a) Simplify
$6 r+5 s-3 s+r$

(b) Factorise
$x^{2}+7 x$
(c) Solve the equations-
(i) $4(3 x+5)=38$
(ii) $27+3 x-9=9 x$
7. Estimate the answer to the following: $\frac{10.33+889}{101-1.01}$
8. Rose goes for a bike ride down a long path, from her house to a church.

She then returns back down the path, from the church to her house.


Her ride is represented by this graph.

Distance from house along path (km)

(a) How far is the church from the house along the path?
(b) During her cycle Rose takes rests and sits down.
(i) How many hours in total during the cycle is Rose stopped for?
(ii) How many hours is she away from the house?
(iii) What is her average speed during her first hour's cycle?
(iv) On which section did she cycle slowest?
9. Copy the diagram. The diagram shows the position of, Rose's house (R) and Damian's house (D).
(a) Measure and use the scale to work out the true distance of R from D.
(b) Measure and write down the bearing (in degrees) of $D$ from $R$.


Scale: $1 \mathrm{~cm}=200 \mathrm{~m}$
10. Below is a recipe for making a cake. To make one cake you will need:

- 150 g Self raising flour
150 g Sugar
- 3 eggs
- $1 / 2$ pint of milk
(a) Complete the list of ingredients to make 8 cakes.
(i) Self raising flour
(ii) Sugar
(iii) Eggs
(iv) Milk
(b) The cakes are baked in the following baking tray. [not drawn to scale]


The cake mixture is placed in the circular spaces, making cylindrical cakes.
This diagram represents one of the cakes.

(i) Calculate the diameter of each of the cakes.
(ii) Calculate the shaded area of the cake shown in the diagram.

Take the value of $\pi$ to be 3.14.
11. a) Solve the inequality $3 x+2 \leq 5$

Solve the following equations:
b) $\quad x^{2}=9$
c) $\frac{x}{2}+\frac{x}{3}=2$
d) $\frac{x+1}{2}+\frac{x}{3}=1$
7 marks
12. a) Write down the next 2 numbers in the sequences
i) $\quad 1,5,9,13, \ldots$
ii) $\quad 2,5,10,17,26, \ldots$
b) Determine a formula for the $\mathrm{n}^{\text {th }}$ term of each of the above sequences?

Consider the following pattern:

c) How many dark squares will there be when there are 100 white squares?
d) How many dark squares will there be when there are $\mathbf{n}$ white squares?

6 marks
13. X and Y are lengths.
$\mathrm{J}=\mathrm{X}^{2}+\mathrm{Y}^{2}$
$\mathrm{K}=2 \mathrm{X}+\mathrm{Y}$
a) State whether J represents
i) a length
ii) an area
iii) a volume
iv) none of the previous
b) State whether K represents
i) a length
ii) an area
iii) a volume
iv) none of the previous

2 marks
14. a) Write 120 as the product of primes.
b) Write $1.234 \times 10^{-5}$ as an ordinary number.
c) Estimate: $\frac{13.8 \times 0.022}{133} \quad 4$ marks
15. a) Construct a triangle ABC such that $\mathrm{AB}=10 \mathrm{~cm} \mathrm{BC}=9 \mathrm{~cm}$ and $\mathrm{AC}=8 \mathrm{~cm}$. 4 marks
b) Shade all the points inside the triangle that are within 3 cm of AB and are nearer to AB than BC .
16. Bag A, and bag B both have green and yellow balls in.

The ratio of green to yellow balls in bag A is $1: 3$.

The ratio of green to yellow balls in bag B is 1:4.
Bag A
Bag B
The number of balls in each bag is the same.
a) Calculate the smallest number of balls that can be in bag A .

A ball is selected at random from each bag.
b) Copy and complete the tree diagram.
c) Calculate the probability that both balls are of the same colour.

6 marks


2 marks
18. The share price of a company was recorded every quarter for two years.
The results are shown in the table below.
a) Find a four point moving average for the data.
b) Comment on the trend of the moving average.

|  | 1998 | 1999 |
| :---: | :---: | :---: |
| $1^{\text {st }}$ quarter | $£ 1.80$ | $£ 2.00$ |
| $2^{\text {nd }}$ quarter | $£ 2.00$ | $£ 2.20$ |
| $3^{\text {rd }}$ quarter | $£ 2.10$ | $£ 2.30$ |
| $4^{\text {th }}$ quarter | $£ 2.10$ | $£ 2.30$ |

4 marks
19. a) Calculate the area shaded.
b) Calculate the volume of the smaller prism.

The two prisms are similar.
c) Calculate the missing length $\boldsymbol{x}$.

The surface area of the smaller prism is given by: $a+b \sqrt{ } c$ where $\mathrm{a}, \mathrm{b}$ and c are integers
d) Find $\mathrm{a}, \mathrm{b}$ and c .


12 cm

Not to Scale
20. Here are two squares.


The perimeter of the bigger square is 4 cm more than the smaller one.
a) Work out an expression in terms of $\boldsymbol{x}$ for the difference in the areas of the 2 squares, and simplify your answer.

The difference between the area of the small square above and an even smaller square is given by the expression: $6 \boldsymbol{x}-9$.
b) Find an expression for the perimeter of the smallest square in terms of $\boldsymbol{x}$.

8 marks

