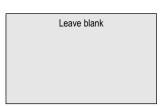
Surname				Other	Names			
Centre Number			Candida	ate Number				
Candidate Signature								



General Certificate of Secondary Education November 2005

ALIFICATIONS

MATHEMATICS (MODULAR) (SPECIFICATION B) Module 3 Higher Tier Section A

33003/HA



Monday 14 November 2005 9.00 am to 9.40 am



In addition to this paper you will require:

- a calculator
- mathematical instruments
- a treasury tag.



Time allowed for Section A: 40 minutes

Instructions

- Use blue or black ink or ball-point pen. Draw diagrams in pencil.
- Fill in the boxes at the top of this page.
- Answer all questions in the spaces provided.
- Do all rough work in this booklet.
- This paper is divided into **two** sections: Section A and Section B.
- After the 40 minutes allowed for Section A, you must put your calculator on the floor under your seat. You will then be given Section B.
- When you have answered Section B you may work again on Section A but you may **not** use your calculator. It must remain on the floor under your seat.
- At the end of the examination tag Section A and Section B together with Section A on top.

Information

- The maximum mark for Section A is 32.
- Mark allocations are shown in brackets.
- Additional answer paper and graph paper will be issued on request and must be tagged securely to this answer booklet.
- You are expected to use a calculator where appropriate.

Advice

• In all calculations, show clearly how you work out your answer.

For Examiner's Use						
Secti	on A		Sect	ion B		
Pages	Mark	Page	es	Mark		
2 – 3		2 – 3				
4 – 5		4 – 5				
6		6				
Total Section A						
Total Section B						
TOTAL						
Examiner	's Initials					

Answer all questions in the spaces provided.

1	Find	the v	value of $\sqrt{58 - 7.41^2}$	
	(a)	(i)	Write down your full calculator display.	
			Answer	(1 mark)
		(ii)	Write your answer to 3 significant figures.	
			Answer	(1 mark)
	(b)	Eval	luate 5^8	
		Writ	te your answer in standard form.	
		•••••		
		•••••	Answer	(2 marks)
2			ighed 3.7 kg when he was born. later he weighed 10.9 kg.	
	Calc	ulate	the percentage increase in his weight.	
	•••••	•••••		••••••
	•••••	•••••		
	•••••	•••••	Answer%	(3 marks)

3	In 2000, a motorway was used by 70 000 vehicles each day. Since 2000, the number of vehicles which used the motorway increased by 6% every year.
	How many vehicles used the motorway each day in 2005? Give your answer to an appropriate degree of accuracy.
	Answer (4 marks)
4	Gotland is an island which forms part of Sweden. The area of Gotland is 3140 square kilometres. This area is 0.8% of the total area of Sweden.
	What is the total area of Sweden?
	Answer square kilometres (3 marks)

TURN OVER FOR THE NEXT QUESTION

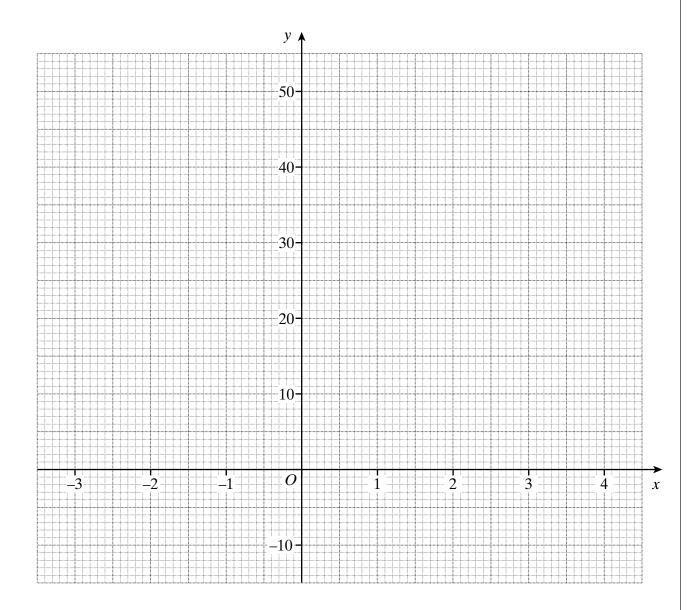


5 (a) Complete the table of values for $y = 3x^2 - 2x + 1$

х	-3	-2	-1	0	1	2	3	4
у	34	17	6	1	2		22	41

(1 mark)

(b) On the grid below, draw the graph of $y = 3x^2 - 2x + 1$ for values of x between -3 and +4.



(2 marks)

	$3x^2 - 6x + 2 = 0$				
	Answer				
	k's Law states that the area draining into a river, A , is proportional to the square of distance from its start, d .				
	Minneapolis, the area draining into the Mississippi river is 20000 square miles. neapolis is 200 miles from the start of the river.				
(a) Find an equation connecting A and d.					
	Answer				
(b)	Memphis is 1400 miles from the start of the Mississippi river.				
	Find the area draining into the river at Memphis.				



7	Prove that
	$0.3\dot{4}\dot{2} = \frac{113}{330}$
	(3 marks)
8	Karen saw a laptop for sale in 2004. In March 2005, the price of this laptop was reduced by 20%. In June 2005, the price of this laptop was reduced by one sixth of the March 2005 price.
	Compared with the 2004 price, what percentage discount would Karen obtain by buying this laptop in June 2005?
	Answer % (4 marks)

END OF SECTION A



Surname		Other N	lames			
Centre Number		Candidat	te Number			
Candidate Signature						

General Certificate of Secondary Education November 2005

MATHEMATICS (MODULAR) (SPECIFICATION B) Module 3 Higher Tier Section B

33003/HB



Monday 14 November 2005 9.45 am to 10.25 am



In addition to this paper you will require: mathematical instruments.

You must not use a calculator.



Time allowed for Section B: 40 minutes

Instructions

- Use blue or black ink or ball-point pen. Draw diagrams in pencil.
- Fill in the boxes at the top of this page.
- Answer all questions in the spaces provided.
- Do all rough work in this booklet.
- You may **not** use your calculator in Section B. Your calculator must remain on the floor under your seat.
- When you have answered Section B you may work again on Section A but you may **not** use your calculator. It must remain on the floor under your seat.
- At the end of the examination tag Section A and Section B together with Section A on top.

Information

- The maximum mark for Section B is 32.
- Mark allocations are shown in brackets.
- Additional answer paper and graph paper will be issued on request and must be tagged securely to this answer booklet.

Advice

• In all calculations, show clearly how you work out your answer.

Answer all questions in the spaces provided.

9	(a)	Express 60 as a product of its prime factors. Give your answer in index form.	
			•••••
			•••••
			••••••
		Answer	(3 marks)
	(b)	Find the Highest Common Factor (HCF) of 120 and 32.	
			••••••
			•••••
		Answer	(2 marks)

10	(a)	Find an	approximate	value	of
-----------	-----	---------	-------------	-------	----

$$\frac{391 \times 3.08}{0.613}$$

	0,013	
	You must show all your working.	
		•••••••••
	Answer	(3 marks)
(b)	Write 0.000 002 4 in standard form.	
	Answer	(1 mark)
(c)	Work out $64^{0.5} \times 3^{-2}$	
	Give your answer as a fraction.	
		(3 marks)
	Answer	(3 marks)

11	Exp	lain why the sum of three consecutive integers is divisible by three.	
	•••••		
	•••••		•••••
	•••••		•••••
	•••••		(2 marks)
12	(a)	Multiply 2.3×10^5 by 5×10^7	
		Give your answer in standard form.	
		Answer	(2 marks)
	(b)	Divide 2.3×10^5 by 5×10^7	
		Give your answer in standard form.	
			••••••
		Answer	(2 marks)

Tim fits television aerials in houses. He buys 100 metres of television cable. Each house needs 10 metres of television cable.
The length of cable which Tim buys is correct to the nearest metre. The length of cable needed for each house is correct to the nearest half metre.
After working on nine houses, what is the minimum length of cable which Tim could have left? You must show your working.
Answer metres (5 marks)

TURN OVER FOR THE NEXT QUESTION



13

L4	(a)	Work out	$125^{\frac{1}{3}}$			
			Answer .		 	(1 mark)
	(b)	Write 162 in the	he form 2×3	3^b		
	(c)	Express $32^{-\frac{3}{5}}$ a			 	(2 marks)
						(2 marks)
15	Simp	olify fully —	$\frac{\sqrt{150} - \sqrt{6}}{\sqrt{12}}$			
	•••••		Answer		 	(4 marks)



THERE ARE NO QUESTIONS PRINTED ON THIS PAGE

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