



**General Certificate of Secondary Education  
June 2012**

**Applications of Mathematics (Pilot)      93701H**  
**(Specification 9370)**

**Unit 1: Applications of Mathematics**  
**Written Paper (Higher)**

***Mark Scheme***

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## Glossary for Mark Schemes

GCSE examinations are marked in such a way as to award positive achievement wherever possible. Thus, for GCSE Mathematics papers, marks are awarded under various categories.

- M** Method marks are awarded for a correct method which could lead to a correct answer.
- A** Accuracy marks are awarded when following on from a correct method. It is not necessary to always see the method. This can be implied.
- B** Marks awarded independent of method.
- Q** Marks awarded for quality of written communication. (QWC)
- M Dep** A method mark dependent on a previous method mark being awarded.
- B Dep** A mark that can only be awarded if a previous independent mark has been awarded.
- ft** Follow through marks. Marks awarded following a mistake in an earlier step.
- SC** Special case. Marks awarded within the scheme for a common misinterpretation which has some mathematical worth.
- oe** Or equivalent. Accept answers that are equivalent.  
eg, accept 0.5 as well as  $\frac{1}{2}$

## A1 Higher Tier

Q	Answer	Mark	Comments
<b>1(a)</b>	Women plane = 12 <b>and</b> coach = 21	B1	
	Men train = 49	B1	
	$(300 - (\text{their } 49 + 51 + 7 + \text{their } 21 + 19 + 12)) \div 3 (= 141 \div 3) = 47$	M1	oe
	Car for men = 94, women = 47	A1	
<b>1(b)</b>	Obs sheet with 3 correct headings	B1	
	Approx 10 entries, ticks or tallies	B1 Dep	
<b>2(a)</b>	$96\% = 48$ or $0.96 \times 50 = 48$	B1	
	$\frac{3}{4} \times \text{their } 48 (= 36)$	M1	
	Their $36 \times 3.99 (= 143.64)$	M1	
	$(\text{Their } 48 - \text{their } 36) \times 2.50 (= 30)$ or their $48 \div 4$	M1	The rest of their bulbs $\times 2.50$
	Their $(143.64 + 30) - 15$	M1	
	158.64	A1	
<b>2(b)</b>	$\frac{78}{120} \times 100$	M1	oe
	65	A1	SC1 For 35
<b>3</b>	3 boxes of 8 and 1 box of 6 = £13.30	B3	<p>B2 For</p> <p>Correct combination (3 packs of 8 and 1 of 6) with incorrect total or Two correct trials with correct totals for 30 cards</p> <p>Correct trials are</p> <p>5 boxes of 6 £14 3 boxes of 10 £13.35 2 boxes of 6 + 1 box of 8 + 1 box of 10 = £13.55</p> <p>B1 For any correct combination for 30 cards (total cost not required)</p>

Q	Answer	Mark	Comments
4	40	B3	B2 80 or multiples of 8 <b>and</b> 10 (at least 3 of each)  B1 120 or at least 3 multiples of 10 or at least 3 multiples of 8 or any common multiple or for 10% and 1/8 of any number $\leq 100$ correctly evaluated eg $96 \rightarrow 9.6$ and 12
5(a)(i)	$(15 \times 7) + (45 \times 17) + (75 \times 22) + (105 \times 4)$ or $105 + 765 + 1650 + 420$	M1	Attempt at $\sum fx$ with $x$ values within or on class boundaries
	Their $2940 \div 50$	M1 Dep	oe
	58.8	A1	oe Ignore further rounding/truncating if 58.8 seen SC2 For 58.3 or 59.3 seen with no working (from midpoints $\pm 0.5$ )
5(a)(ii)	No $26/50 > 25/50$ or No and 0.52 or 52% or No and half of 50 = 25 and there are 26	B2	B1 For $26/50$ (oe) with no conclusion or incorrect conclusion or (No) 26 is greater than half of 50
5(b)	Trial for any number eg, 10 people $10 \times \text{£}5 (= \text{£}50)$ <b>and</b> $0.8 \times 10 = 8, 8 \times \text{£}4 (= \text{£}32)$	M1	oe eg for 10 people $2 \times 5$ <b>and</b> $8 \times 9$
	Gives approximate total for their trial eg, $\text{£}82$  ft Their rounding or truncating of number of people for 80%	M1	10 people = $\text{£}82$ 11 people approx $\text{£}91$ 12 people approx $\text{£}100$ 13 people approx $\text{£}105$ 14 people approx $\text{£}117$
	Trial for 15 people $15 \times \text{£}5 + 12 \times \text{£}4 (= \text{£}123)$	M1	
	15	A1	SC3 For 15 with no working seen

Q	Answer	Mark	Comments
<b>Alt 5(b)</b>	$0.8 \times 4x$	M1	$0.8 \times 4 (= 3.2)$
	$5x + 0.8 \times 4x = 123$	M1	or $5 + (0.8 \times 4) (= 8.2)$ (Average per person, this implies 1st M1)
	$8.2x = 123$	M1	$123 \div 8.2$
	$(x =) 15$	A1	
<b>6(a)</b>	$575 \div (10 + 8 + 5) (= 25)$	M1	
	$5 \times \text{their } 25$	M1 Dep	Allow ft division by 22 or 24 if no working shown
	125	A1	
<b>6(b)</b>	$x + x + 5 + 2(x + 5) = 65$	B1	oe ( $x$ is the amount for Ella)
	$4x + 15 = 65$	M1	Combining their like terms
	$x = \frac{65 - 15}{4}$ or $4x = 50$	M1	Simplifying their equation to a $x = b$ or showing complete rearrangement for $x$
	£12.50	A1	SC3 For £12.50 (SC2 for 12.5) from T & I or numerical methods or no working shown  SC2 For 17.50, 35 and 12.50 (no indication of which value relates to each girl) given as answer with no working
	Organised algebraic response	Q1	Strand (iii) - 2nd and 3rd method marks gained and an answer given
<b>7</b>	$3L + S = 175$ and $5L + 2S = 300$	M1	
	$(6L + 2S = 350) - (5L + 2S = 350)$	M1	Multiplying and subtracting to eliminate $L$ or $S$
	$L = 50$	A1	
	$S = 25$	A1 ft	

Q	Answer	Mark	Comments
<b>8(a)</b>	495 × 0.95 (= 470.25) or 505 × 0.925 (= 467.125 or 467.13)	M1	oe Linking correct value and interest rate - choosing the correct path
	495 – their (495 × 0.95) or 24.75	M1	‘their’ values must be from use of the correct interest rate
	505 – their (505 × 0.9250) or 37.88 or 37.875	M1	‘their’ values must be from use of the correct interest rate
	Their 37.88 – their 24.75	M1	
	13.13 or 13.12	A1	SC2 3.13 or 3.12
<b>Alt 8(a)</b>	0.05 and 0.075 seen	M1	
	0.05 × 495 or 24.75	M1	If neither of these marks are awarded, give M1 for linking a correct value with its interest rate
	0.075 × 505 or 37.88 or 38.875	M1	
	Their 37.88 – their 24.75	M1	
	13.13	A1	
<b>8(b)</b>	Reference to counting the number of people in the shop and noting the amount of money taken	B1	
	Sample size of at least one week or 7 occasions	B1	
	Reference to drawing scatter diagram (of numbers of people against takings)	B1	
	Drawing a lobf or reference to correlation	B1	oe
	Reference to making a conclusion based on data by an interpretation of the correlation  For example “If the diagram shows positive correlation then the hypothesis is correct”  “If the graph shows that as the numbers of people increase so do the takings then the hypothesis is correct”	Q1	QWC - Strand (ii)  Allow positive gradient

Q	Answer	Mark	Comments
<b>9</b>	$0.084 \times 65$ (or 5.46)	M1	oe
	$0.036 \times 325$ (or 11.70)	M1	oe
	(their) 5.46 + (their) 11.70	M1	
	(£) 17.16	A1	Accept £ 18 or £20 with working shown
<b>10(a)</b>	$\frac{3}{500} \times 10\,000$	M1	oe
	60	A1	
<b>10(b)</b>	$20 \div 5 \times 18$ (or 24)	M1	3 bricklayers would build 24 walls in 20 days
	37 – their 24 (or 13) <b>and</b> 20 – 15 (or 5)	M1	13 extra walls need to be built in 5 days
	$18 \div (15 \div 5)$ (or 6)	M1	3 bricklayers build 6 walls in 5 days
	$3 \times 13 \div 6$ (or 6.5)	M1 Dep	6.5 bricklayers build 13 walls in 5 days Dependent on both previous method marks (2nd and 3rd)
	7	A1	
<b>Alt 1 10(b)</b>	$18 \div (15 \div 5) \div 3$ (or 2)	M1	1 bricklayer builds 2 walls in 5 days
	37 – 18 (or 19) <b>and</b> 20 – 15 (or 5)	M1	Need to build 19 walls in 5 days
	$19 \div 2$ (or 9.5)	M1 Dep	9.5 bricklayers build 19 walls in 5 days Dependent on both previous method marks
	Their 10 – 3 or their 9.5 – 3	M1	
	7	A1	
<b>Alt 2 10(b)</b>	$18 \div 3 \div 15$ (= 0.4)	M1	0.4 walls per bricklayer per day
	37 – 18 (or 19) <b>and</b> 20 – 15 (or 5)	M1	Need to build 19 walls in 5 days
	$19 \div 0.4 \div 5$ (or 9.5)	M1 Dep	Dependent on both previous method marks
	Their 10 – 3 or their 9.5 – 3	M1	
	7	A1	

Q	Answer	Mark	Comments
11(a)	Correct method seen for one item or one correct decimal seen 59.7, 29.1, 11.1	M1	eg, $\frac{1045}{1750} \times 100$
	60, 29 and 11	A2	A1 For 1 correct value
11(b)	One correct frequency density seen 1.2, 4.4, 5.6, 2 or 0.3	M1	May be implied by one correct height
	All heights correct	A1	$\pm \frac{1}{2}$ square
	All widths correct	A1	$\pm \frac{1}{2}$ square
11(c)	Centre A = 16(%)	B1	
	Centre B $5 \times 2.4 + 20 \times 0.4 (= 20)$	M1	
	$\frac{\text{their } 20}{80} \times 100$	M1	or converting both their A and B values to fractions with the same denominator or to decimals
	25%	A1	
	Centre B have greater proportion over 40 lessons (25% > 16% or 0.25 > 0.16)	Q1	QWC - Strand (ii) Method marks gained and conclusion given ft Their conclusion for their values if methods marks gained
12(a)	$30x + 70y \leq 7 \times 60$ (or 420)	B1	
12(b)	$40x + 20y \leq 300$	B2	oe Ignore subsequent incorrect simplifying B1 For $40x + 20y \geq 300$ (oe) or $40x + 20y = 300$ (oe) or $40x + 20y \leq$ any value
12(c)	Their $2x + y = 15$ drawn on graph	M1	Must be an equation in $x$ and $y$
	Shading correct for both inequalities	M1	
	At least one integer point at or close to corner point of their feasible region tried using $18x + 27y$	M1	(0, 6) gives profit of £ 162 (6, 3) gives profit of £ 189 (7, 1) gives profit of £ 153
	Make 6 stools and 3 chairs	A1	