

Monday 18 January 2021 – Morning

Level 3 Cambridge Technical in Applied Science

05848/05849/05874 Unit 3: Scientific analysis and reporting

Time allowed: 2 hours
C342/2101



You must have:

- a ruler (cm/mm)

You can use:

- a scientific or graphical calculator
- an HB pencil

Please write clearly in black ink.

Centre number

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|--|--|--|--|--|
| | | | | |
|--|--|--|--|--|

Candidate number

| | | | |
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| | | | |
|--|--|--|--|

First name(s)

Last name

Date of birth

| | | | | | | | |
|---|---|---|---|---|---|---|---|
| D | D | M | M | Y | Y | Y | Y |
|---|---|---|---|---|---|---|---|

INSTRUCTIONS

- Use black ink. You can use an HB pencil, but only for graphs and diagrams.
- Write your answer to each question in the space provided. If you need extra space use the lined pages at the end of this booklet. The question numbers must be clearly shown.
- Answer **all** the questions.

INFORMATION

- The total mark for this paper is **100**.
- The marks for each question are shown in brackets [].
- The Periodic Table is on the back page.
- This document has **32** pages.

ADVICE

- Read each question carefully before you start your answer.

FOR EXAMINER USE ONLY

| Question No | Mark |
|--------------|-------------|
| 1 | /21 |
| 2 | /20 |
| 3 | /14 |
| 4 | /11 |
| 5 | /8 |
| 6 | /16 |
| 7 | /10 |
| Total | /100 |

Answer **all** the questions.

- 1 Alex is investigating the dispersal of seeds from a sycamore tree.

Sycamore seeds are wing shaped as shown in **Fig.1.1**.

Their shape causes them to spin away from the tree as they fall through the air.

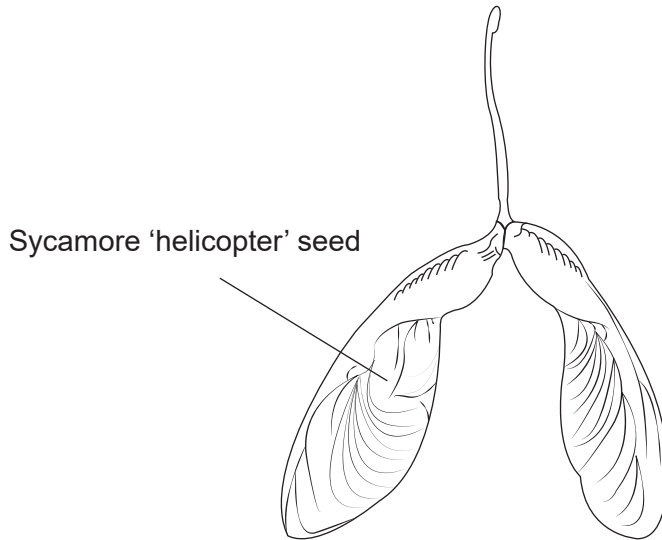


Fig. 1.1

Alex counts the number of seeds in quadrats on one side of a 10 m line transect.

The quadrat used is a wire square-shaped grid (0.5×0.5 m) divided into 100 equal sections. The sections make it easier for Alex to count the seeds.

Fig. 1.2 is a diagram of Alex's method.

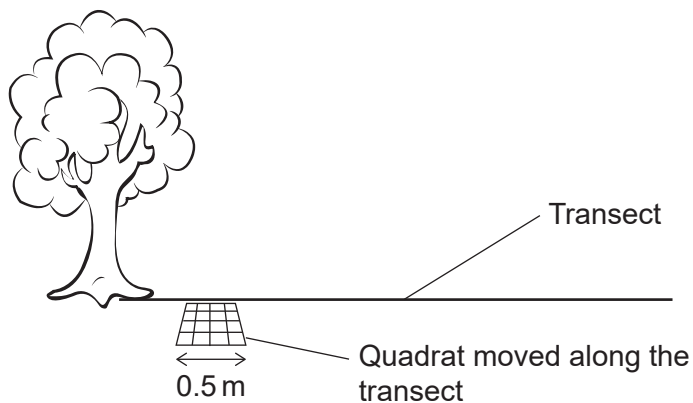


Fig. 1.2

Alex's results are shown in **Table 1.1**.

| Distance from tree along the transect line (m) | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 |
|--|----|----|----|----|----|----|----|----|---|----|
| Number of sycamore seeds in each quadrat | 39 | 36 | 27 | 18 | 16 | 16 | 10 | 12 | 3 | 0 |

Table 1.1

- (a) Alex uses the scale in **Table 1.2** to convert the number of seeds shown in **Table 1.1** into an abundance rating.

| Number of seeds per quadrat | Abundance rating |
|-----------------------------|------------------|
| 28 or more | 5 |
| 22 to 28 | 4 |
| 15 to 21 | 3 |
| 8 to 14 | 2 |
| 1 to 7 | 1 |

Table 1.2

- (i) Complete **Table 1.3** to show the abundance rating of sycamore seeds at each distance from the tree.

| Distance from tree (m) | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 |
|------------------------|----|----|----|----|----|----|----|----|---|----|
| Number of seeds | 39 | 36 | 27 | 18 | 16 | 16 | 10 | 12 | 3 | 0 |
| Abundance rating | | | | | | | | | | |

Table 1.3

[1]

- (ii) Use your answer in **Table 1.3** to draw a kite diagram on the grid in **Fig. 1.3**.

Your kite diagram should show how the abundance rating of sycamore seeds varies with distance from the tree.

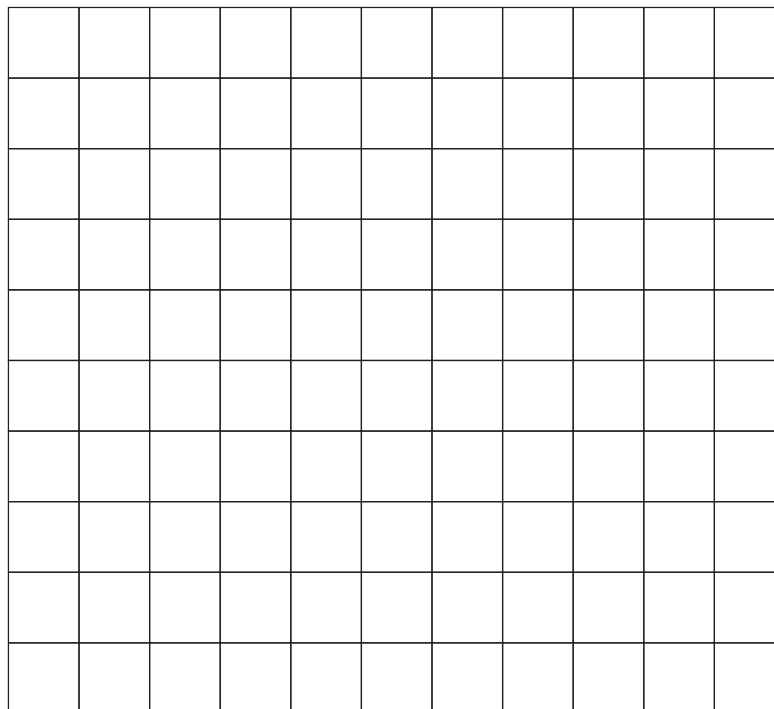


Fig. 1.3

[4]

(b) Alex repeats his investigation.

He places the transect line in different directions around the tree and counts the number of sycamore seeds in the quadrat along the length of each position of the transect line.

Alex then calculates the number of seeds in each direction as a percentage of the total number of seeds in all directions.

His results are shown in **Table 1.4**.

| Direction | Percentage of total number of seeds |
|----------------------------|-------------------------------------|
| north (0°) | 5 |
| north-east (45°) | 40 |
| east (90°) | 25 |
| south-east (135°) | 10 |
| south (180°) | 5 |
| south-west (225°) | 5 |
| west (270°) | 5 |
| north-west (315°) | 5 |

Table 1.4

Complete the pie chart in **Fig. 1.4** to show the percentage of seeds in the **north-east**, **east** and **south-east** directions.

Label these three sectors.

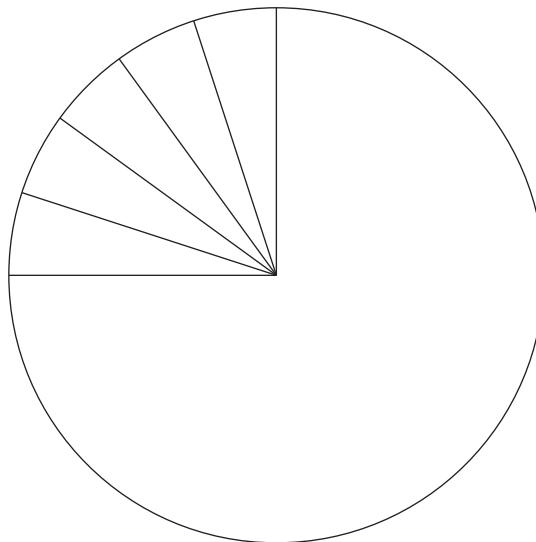


Fig. 1.4

[3]

(c) Alex looks online for an explanation of the seed dispersal.

He finds the chart in **Fig. 1.5** in a journal about UK weather.

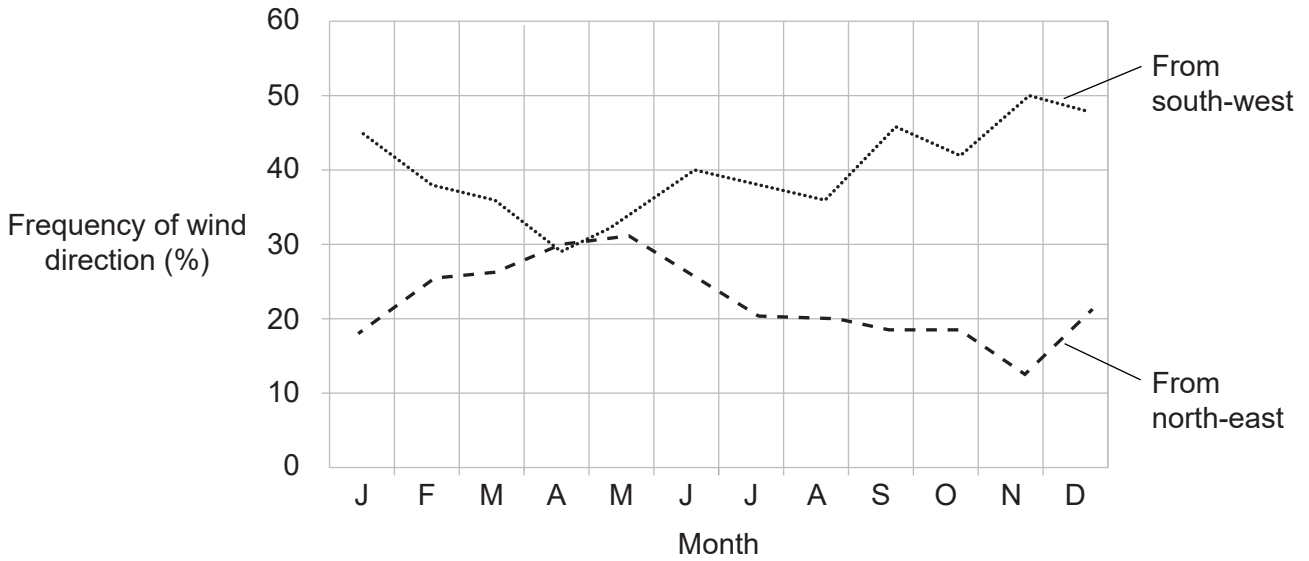


Fig. 1.5

He knows that wind blowing from one direction will blow seeds in the opposite direction. For example, wind from the south-west will blow seeds in the north-east direction.

(i) Use the data in **Fig. 1.5** to complete the sentence.

In April and there is a % chance that the wind will be blowing from either the north-east or the

[3]

(ii) Discuss whether the evidence in **Fig. 1.5** explains the data in **Table 1.4**.

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.....
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.....
.....

[5]

(iii) Identify which **three** of the following are **most** likely to make a conclusion more secure.

Tick (✓) **three** boxes.

Obtain frequency data for other wind directions.

Repeat the method in **Fig. 1.2** and find the average.

Repeat the measurements in **Table 1.4** using more directions.

Collect seed dispersal data from different tree species.

Collect seed dispersal data from more than one year.

Obtain wind direction frequency data from more than one year.

[3]

(d) Describe the conflicting evidence in **Table 1.4** and **Fig. 1.5**.

.....

.....

.....

.....[2]

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2 Mia is an astrophysicist.

She studies the relationship between the size of stars and their temperatures.

(a) To calculate the volume of a star Mia uses the formula: Volume of star = $\frac{4}{3}\pi r^3$

(i) Determine the value of $\frac{4}{3}\pi$ as a decimal.

Give your answer to **2** significant figures.

$$\frac{4}{3}\pi = \dots\dots\dots [2]$$

(ii) The average radius, r , of the Sun is 7.0×10^8 m.

Calculate the volume of the Sun.

Give your answer in **standard form**.

$$\text{Volume of the Sun} = \dots\dots\dots \text{m}^3 [3]$$

(iii) The mass of the Sun is 2.0×10^{30} kg.

Calculate the density of the Sun.

Use your answer to (a)(ii) and the equation: mass = volume \times density.

Give your answer to **2** significant figures and give the SI unit of density.

$$\text{Density of the Sun} = \dots\dots\dots \text{unit} \dots\dots\dots [3]$$

(b) Astronomers measure star brightness in terms of luminosity and magnitude.

Luminosity is the amount of light that a star emits from its surface.

Magnitude is a measure of how bright the star appears. The lower the magnitude, the brighter is the star.

The Sun is a main sequence star.

The two charts in **Fig. 2.1** show the relationships between some of the physical properties of main sequence stars.

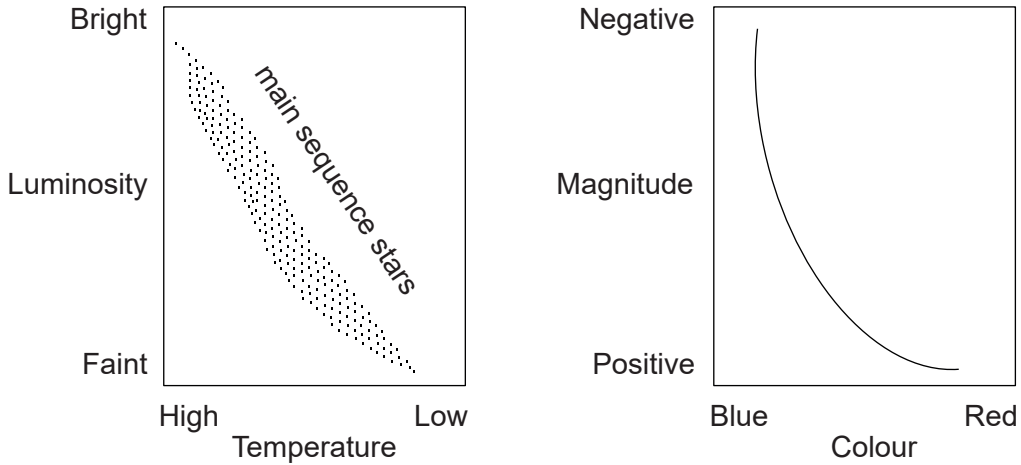


Fig. 2.1

(i) Complete the following sentences to describe the trends in **Fig. 2.1**.

Choose from the following list of words.

You may use each word once, more than once, or not at all.

- blue bright colour faint increases magnitude**
- negative neutral positive red temperature**

As the of main sequence stars becomes increasingly positive, their colour changes from to

As their increases, their luminosity changes from to

[4]

(ii) Mia studies White Dwarf stars. These are the remnants of main sequence stars. White Dwarf stars are in the region below and to the left of the main sequence stars in both charts in **Fig. 2.1**.

Use the information shown in **Fig. 2.1** to describe White Dwarf stars.

.....

.....

.....

.....

.....

[2]

(c) Only main sequence stars within a certain range of mass become White Dwarfs.

The relationship between the mass of a White Dwarf (compared to the Sun) and its radius (compared to the Sun) is shown in **Fig. 2.2**.

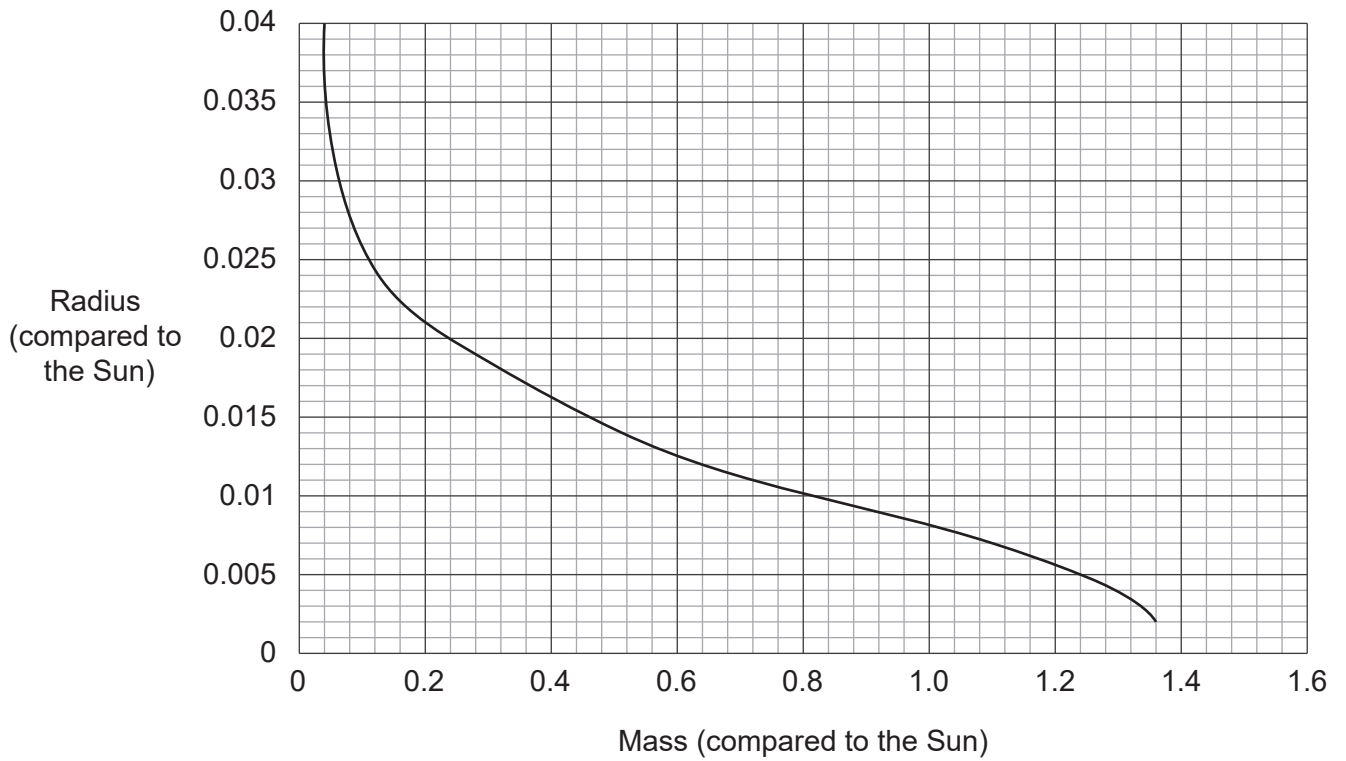


Fig. 2.2

(i) Use **Fig. 2.2** to determine the radius (compared to the Sun) of a White Dwarf formed by a star with a mass of 1.0 (compared to the Sun).

Radius (compared to the Sun) = [1]

- (ii) Calculate the volume of a White Dwarf with the same mass as the Sun as a percentage of the Sun's volume.

Percentage volume = % [3]

- (iii) Describe the trend shown by the graph in **Fig. 2.2**.

.....
..... [1]

- (iv) Beyond a certain mass, a White Dwarf collapses forming a Black Hole.
Use the graph in **Fig. 2.2** to determine the upper limit to the mass of a White Dwarf.

..... [1]

3 Fungi are classified into different families.

One family is called Agaricaceae.

Fig. 3.1 shows some of the structural features of Agaricaceae fungi.

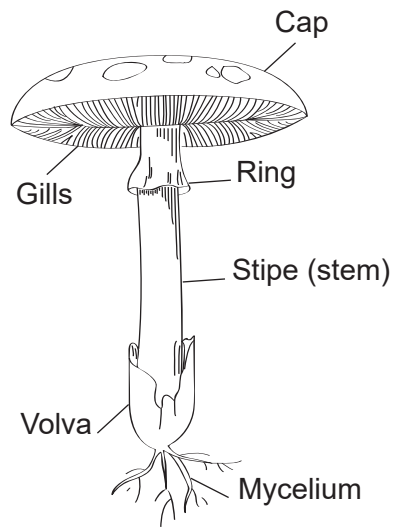


Fig. 3.1

The attachment of each gill to the stipe (stem) of a fungus is called the hymenium.

There are different types of hymenium, as shown in **Table 3.1**.











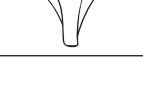

| Hymenium | | | Description |
|---|---|--------------|--|
|  |  | free | gills do not reach the stipe (stem) |
|  |  | adnexed | gills are narrowly attached to the stipe (stem) |
|  |  | sinuate | gills curve back down the stipe (stem) before attaching |
|  |  | adnate | gills are broadly attached to the stipe (stem) |
|  |  | subdecurrent | gill extends down slightly just as it reaches the stipe (stem) |
|  |  | decurrent | the whole gill extends down the stipe (stem) |

Table 3.1

(a) Use the information in **Table 3.1** to complete the sentences below.

The gills of the fungus shown in **Fig. 3.1** do **not** extend to the base of the stipe (stem).

This means that the hymenium **cannot** be

The cap of the fungus in **Fig. 3.1** is the same shape as fungi with a

..... hymenium.

The stipe (stem) of the fungus in **Fig. 3.1** is the same shape as fungi with a

..... hymenium.

[3]

(b) Suggest **three** reasons why biologists use dichotomous keys.

1

.....

2

.....

3

.....

[3]

(c) **Table 3.2** shows some of the habitats and features of different fungi.

You will need to refer to **Fig. 3.1** and **Table 3.1** to see the different types of stipe (stem) and hymenium.

| Fungus name | Habitat | Features | | |
|-----------------------------|-----------|--------------|--------|-----------|
| | | Stipe (stem) | Spores | Hymenium |
| <i>Amanitopsis vaginata</i> | grassland | volva | white | free |
| <i>Entoloma cetratum</i> | woodland | free | pink | sinuate |
| <i>Galerina marginata</i> | on wood | ring | brown | adnexed |
| <i>Lepiota procera</i> | grassland | ring | white | free |
| <i>Paxillus involutus</i> | woodland | free | brown | decurrent |
| <i>Pholiota squarosa</i> | woodland | ring | brown | adnate |
| <i>Pleurotus ostreatus</i> | on wood | free | white | decurrent |
| <i>Pluteus cervinus</i> | on wood | free | pink | free |
| <i>Tricholoma gambosum</i> | grassland | free | white | sinuate |
| <i>Volvariella speciosa</i> | grassland | volva | pink | free |

Table 3.2

Use the information in **Table 3.2** to complete the blank spaces in the key in **Fig. 3.2**.

Give the **feature** of the fungus in the blank **grey** rectangles.

Give the **fungus name** in the blank **unshaded** rectangles.

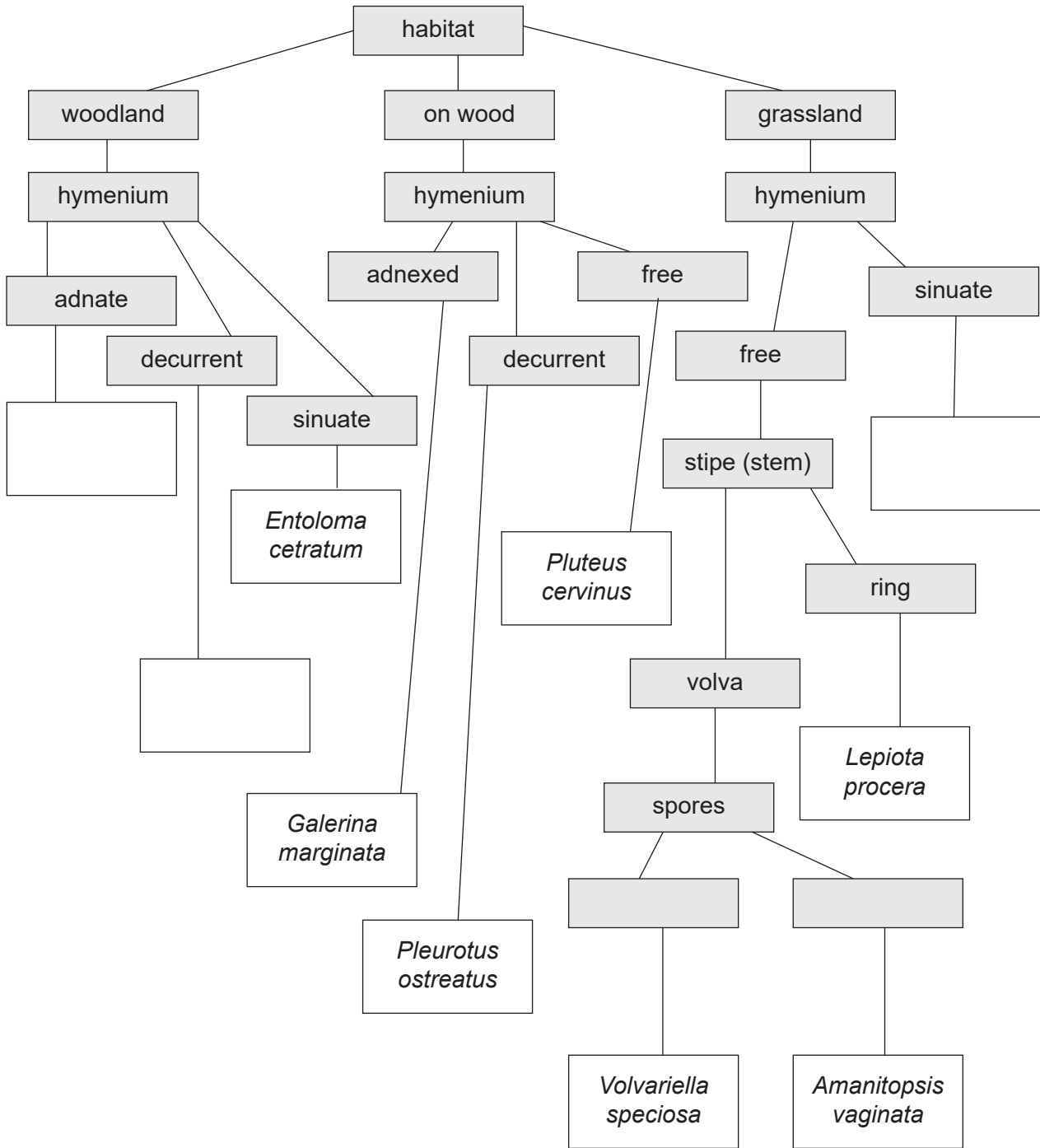


Fig. 3.2

[5]

(d) A fungus described in **Table 3.2** is shown in **Fig. 3.3**.

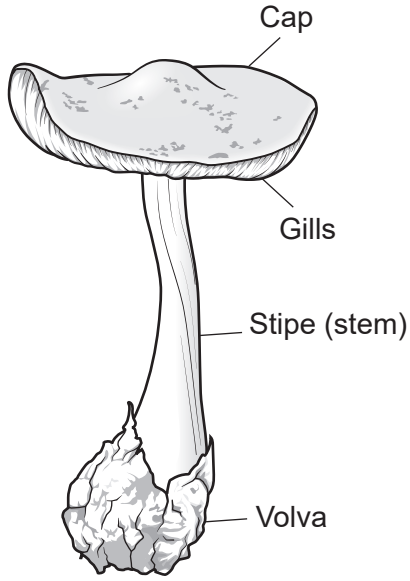


Fig. 3.3

(i) Use **Table 3.2** or the **key in Fig. 3.2** to identify the name of the fungus shown in **Fig. 3.3**.

Tick (✓) **one** box.

Amanitopsis vaginata

Entoloma cetratum

Galerina marginata

Lepiota procera

[1]

(ii) The names of the fungi in **Table 3.2** are based on binomial nomenclature.

Describe the key features of binomial nomenclature and **one** advantage of using this naming system.

Key features

.....

Advantage

.....

[2]

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4 Eve is investigating reflections in plane mirrors.

She places a coin between two mirrors.

Fig. 4.1 shows the coin and two images of the coin reflected in the mirrors.



Fig. 4.1

Eve adjusts the angle between the mirrors.

She observes that there is a range of angles between which whole images first appear and just before another image begins to appear.

(a) Identify what Eve needs to specify to ensure that her investigation is repeatable.

Tick (✓) **three** boxes.

The range of angles between the mirrors.

The diameter of the coin.

The distance between the coin and the junction between the mirrors.

The position of the observer relative to the mirrors.

The number of images.

The surface area of the mirrors.

The thickness of the coin.

[3]

(b) Eve starts her investigation with the two mirrors at an angle of 180° .

As she reduces the angle between the mirrors from 180° to 166° , Eve observes one image of the coin.

When she reduces the angle to 165° , a second image starts to appear.

She continues to reduce the angle between the mirrors until a third image begins to appear. She measures this angle to be 98° .

(i) Describe the relationship between the variables.

.....
[2]

(ii) Determine the range and interval of angles for the appearance of two images.

Range =

Interval =
 [2]

(c) Eve finds this formula for the number of images n formed between two plane mirrors:

$$n = \frac{360}{\theta} - 1$$

where θ is the angle between the mirrors.

(i) Use the formula to determine the angle of θ that gives two whole images.

$$\theta = \dots\dots\dots^\circ \text{ [1]}$$

(ii) Calculate the number of images which (according to the formula) should be produced when the angle between the mirrors is 165° .

Give your answer to **1** decimal place.

$$\text{Number of images} = \dots\dots\dots \text{ [1]}$$

(iii) Calculate the error of the observed angle, 98° , as a percentage of the angle calculated in (c)(i).

Use the equation: Percentage error = $\frac{(O - A)}{A} \times 100$

where A is the calculated angle in (c)(i), and O is the observed angle.

$$\text{Percentage error of } 98^\circ = \dots\dots\dots\% \text{ [2]}$$

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- 5 Kai is investigating how the angle θ of a sloping track affects the acceleration a , of a glass ball as it rolls down the track.

The track is shown in **Fig. 5.1**.

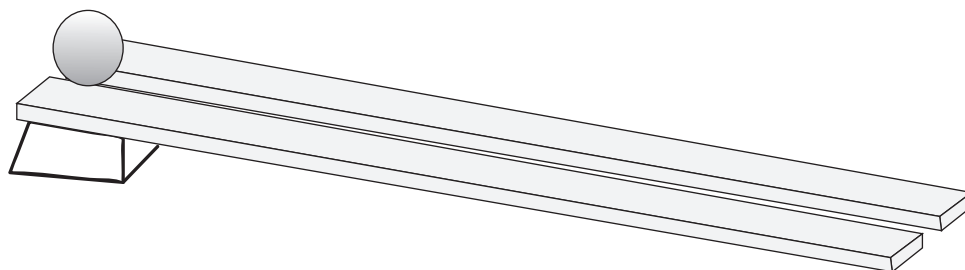


Fig. 5.1

Before he starts the investigation, he uses this equation to calculate some theoretical results:
 $a = g \sin \theta$

This equation determines the horizontal component of the acceleration.

Kai uses a value of the acceleration due to gravity, $g = 10 \text{ m s}^{-2}$.

He then plots these results on the graph in **Fig. 5.2**.

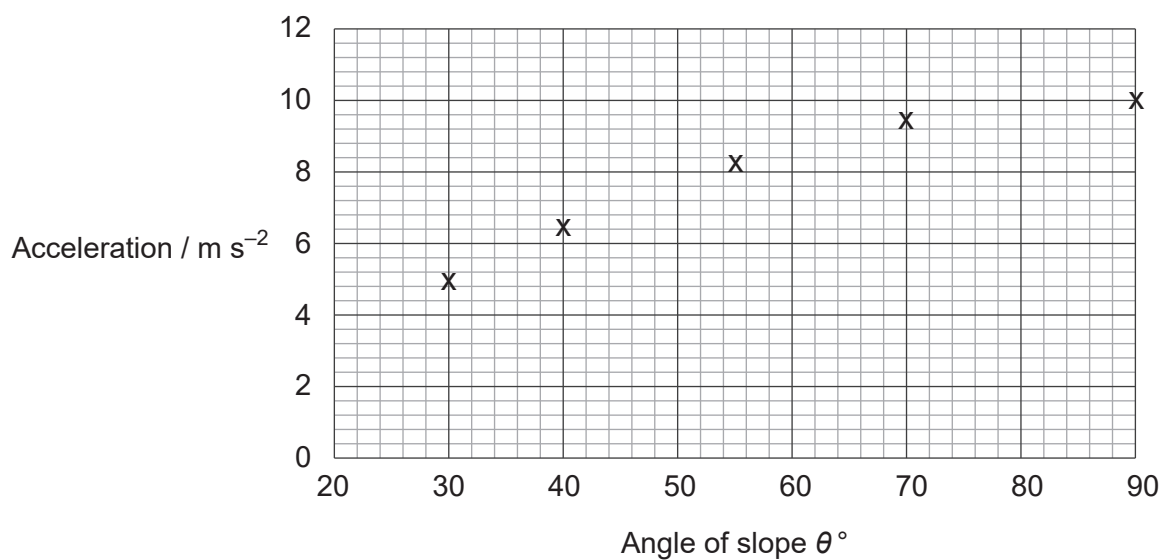


Fig. 5.2

(a) (i) On **Fig. 5.2** draw a curve of best fit.

[1]

(ii) Use your curve to determine the acceleration of the ball on a track with an angle of slope $\theta = 20^\circ$.

Acceleration = m s^{-2} [1]

(iii) Calculate the gradient of the curve of best fit when the angle of the slope is 55° .

Show your working on **Fig. 5.2**.

Gradient at $55^\circ = \dots\dots\dots$ [3]

(b) Suggest **two** reasons why Kai's theoretical results are **not** accurate.

1
.....

2
.....

[2]

(c) Suggest why Kai produces theoretical results to compare with the actual results of his investigation.

.....
.....[1]

6 Jack is a technician working in a food science laboratory.

(a) Jack uses a colorimeter to determine the mass of iron in 100 g of spinach leaves.

He knows that when ammonium thiocyanate is added to a solution containing Fe^{3+} ions, a red complex is formed.

Jack obtains a calibration graph by following four steps:

Step 1 He puts 2 cm^3 of water in a cuvette in the colorimeter and adjusts the absorbance reading to give a value of zero.

Step 2 He prepares 5 solutions of iron(III) chloride of known concentrations as shown in **Table 6.1**.

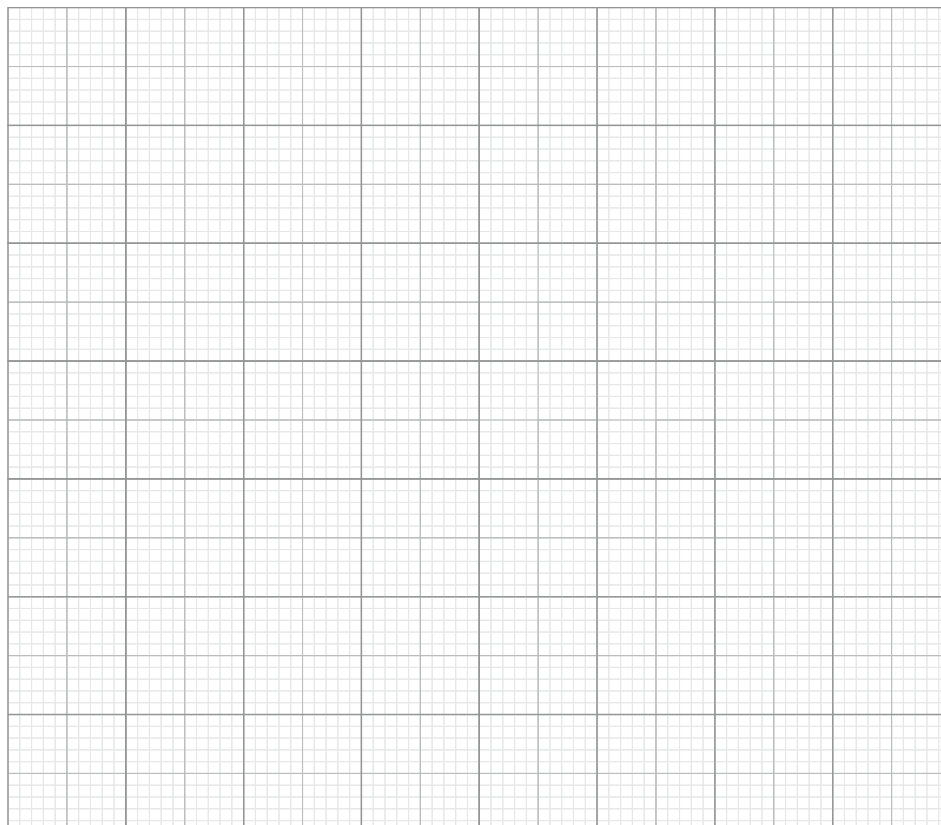
Step 3 He takes 10 cm^3 of each solution, adds 10 cm^3 of ammonium thiocyanate and mixes thoroughly so that the red colour is evenly distributed.

Step 4 He records the absorbance of 2 cm^3 of each solution as shown in **Table 6.1**.

| Concentration of Fe^{3+} / mg dm^{-3} | Absorbance |
|---|------------|
| 2.6 | 0.19 |
| 5.2 | 0.58 |
| 7.8 | 0.67 |
| 10.4 | 0.89 |
| 13.0 | 1.11 |

Table 6.1

(i) Plot a graph of concentration of Fe^{3+} (x-axis) against absorbance (y-axis).



[4]

(ii) Draw a line of best fit on the graph and circle the outlier.

[2]

(b) Jack then uses his calibration graph to find the amount of iron in spinach leaves.

- He gently heats 3.60 g of spinach leaves until they have all burnt.
- He adds 10 cm³ of water and filters the mixture to remove the ash.
- He then adds 10 cm³ of ammonium thiocyanate solution to the 10 cm³ of spinach extract and measures the absorbance.

He finds that the **absorbance value** is 0.70.

Use the following steps to calculate the mass of iron in 100 g of spinach leaves.

(i) Use the graph to determine the concentration of iron (in mg dm⁻³) in the spinach extract.

Show your working on the graph.

Concentration of iron = mg dm⁻³ [1]

(ii) Your answer to (b)(i) is the number of mg of iron in 1000 cm³ of the solution.

Use this value to calculate the mass of iron in **10 cm³** of the spinach extract.

Mass of iron in 10 cm³ of the spinach extract = mg [1]

(iii) Jack uses 3.60 g of spinach leaves in his experiment.

Use your answer to (b)(ii) to calculate the mass in mg of iron in **100 g** of spinach leaves.

Mass of iron in 100 g of spinach leaves = mg [1]

(c) The recommended dietary allowance (RDA) of iron in an average person's diet is 14 mg.

Calculate what percentage of the RDA of iron an average person will get by eating 100 g of the spinach leaves used in Jack's experiment.

Percentage of the RDA of iron = % [1]

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7 Scientific journal publications contain peer-reviewed articles. Such articles often contain tables of data.

Fig. 7.1 is an example of a table taken from an article which evaluates three different cell counting methods.

The three cell counting methods used were:

- a manual method using a hemocytometer
- a semi-automated method using a Countess cell-counter
- a fully automated method using a Vi-Cell analyser.

| Cell counting system | Auto sample | Staining options | Size range (µm) | Sample volume (µL) | Concentration range (cells/mL) | Imaging technology |
|--------------------------------|-------------|--|-----------------|--------------------|--|--|
| Hemocytometer ^{a,b,c} | No | Erythrosin B, Nigrosin, Safranin, Methylene blue and Trypan blue | Undefined | 50 | 2.5x10 ⁵ 8.0x10 ⁶ | Microscope objective 40x |
| Countess cell-counter | No | Trypan blue | 8-60 | 20 | 1x10 ⁴ 1x10 ⁷ | Camera 2.3x objective and 3.1 Megapixel |
| Vi-Cell [®] analyser | Yes | Trypan blue | 2-70 | 500 | 5x10 ⁴ 1x10 ⁷ | Auto-focus routine firewire camera 1394x 1040CCD array |

^a Bastidas O. Cell counting with Neubauer chamber. Technical note. Celeromics 1-6

^b Hsiung F McCollum T, Hefner E and Rubio T. Comparison of count reproducibility, accuracy, and time to results between a hemocytometer and TC20[™] Automated cell counter. Technical note: Bio-Rad Laboratories, Inc., 2013.

^c Maruhashi F, Murakami S, Baba K. Automated monitoring of cell concentration and viability using image analysis system. Cytotechnology 1994; 15: 282-289.

Fig. 7.1

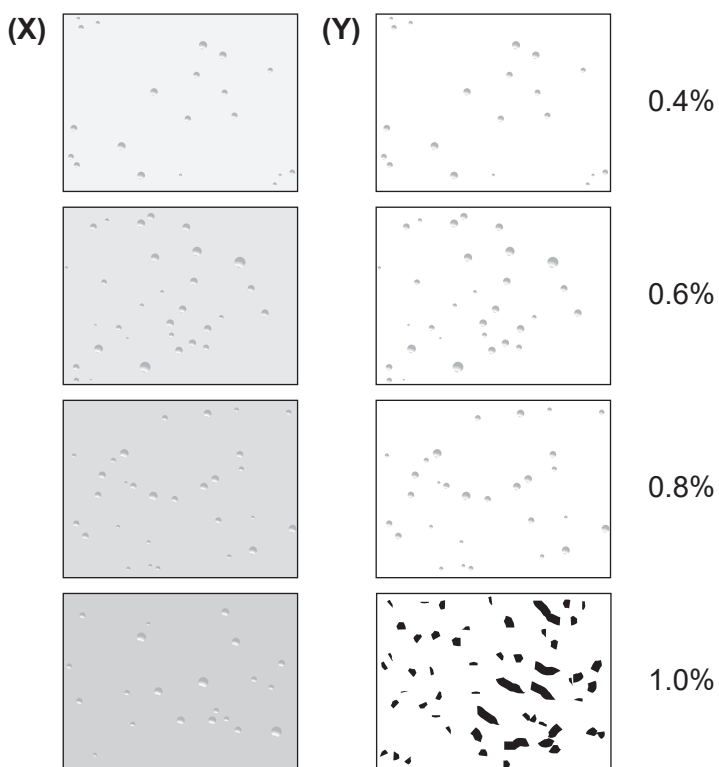
(a) Give **one** reason why a table is a useful way to show this kind of information.

.....[1]

(b) Suggest why the authors of the research article have included references in the table.

.....
[1]

(c) The authors presented some of their data in photographic form.
 An example of this form of data presentation is shown in **Fig. 7.2**.



Comparison of images produced using the Countess cell-counter with different concentrations of the staining solution.

(X) shows images from the camera, (Y) represents images as analysed by computer software

Fig. 7.2

State **two** advantages of presenting data in photographic form in a scientific publication.

1
 2

[2]

(d) Data can also be presented graphically.

One of the graphs included in the research paper is shown in **Fig. 7.3**.

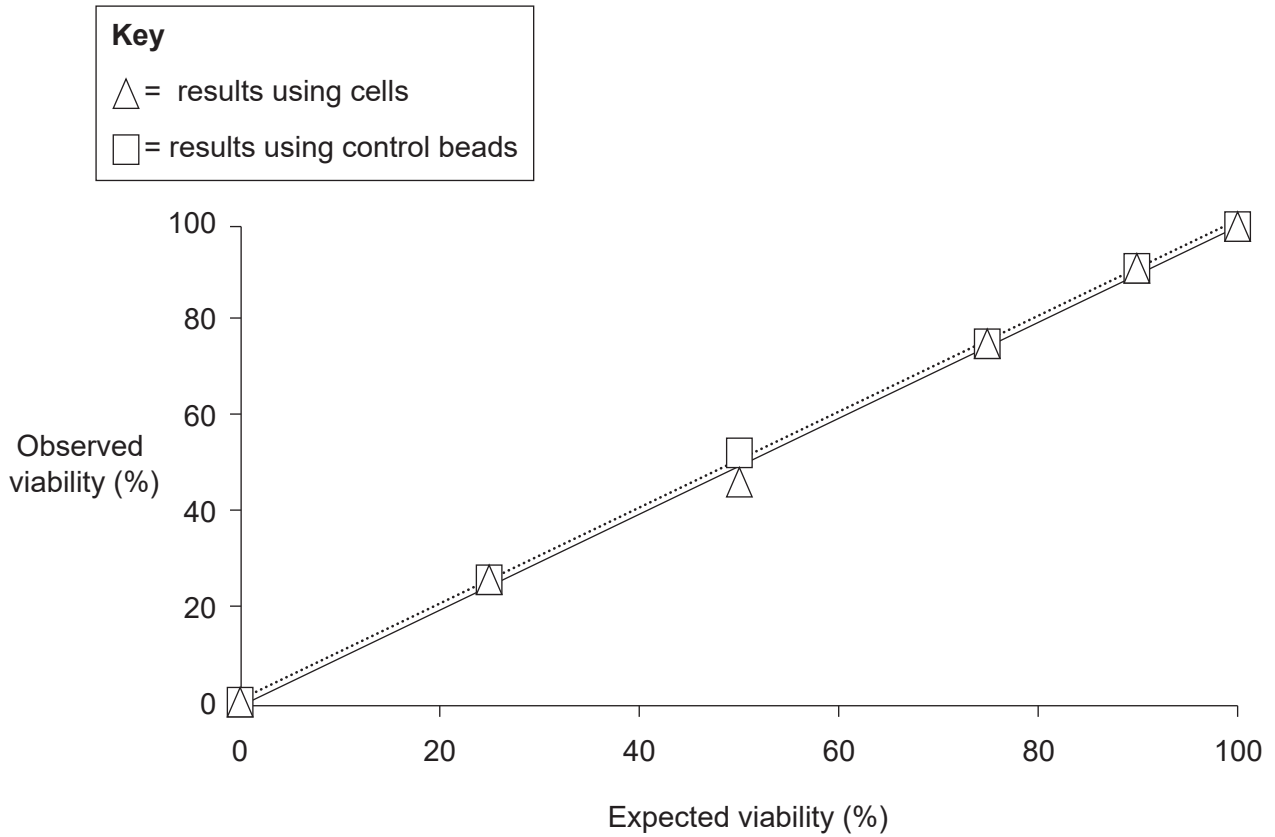


Fig. 7.3

Suggest **two** reasons why the authors chose to show the data in **Fig. 7.3** graphically.

- 1
- 2

[2]

(e) In addition to tables, photographs and graphs, data can be recorded in other ways.

List **two** other ways that scientific data can be recorded.

- 1
- 2

[2]

(f) In terms of scientific data, explain the meaning of validity and accuracy.

Validity

Accuracy

[2]

END OF QUESTION PAPER

ADDITIONAL ANSWER SPACE

If additional answer space is required, you should use the following lined pages. The question numbers must be clearly shown in the margins – for example, 1(c) or 4(a).

A vertical line on the left side of the page is followed by 25 horizontal dotted lines, providing a ruled area for writing answers.

