

Statistics (MEI)

Advanced Subsidiary GCE AS H132

Mark Scheme for the Unit

June 2006

H132/MS/R/06

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Mark schemes should be read in conjunction with the published question papers and the Report on the Examination.

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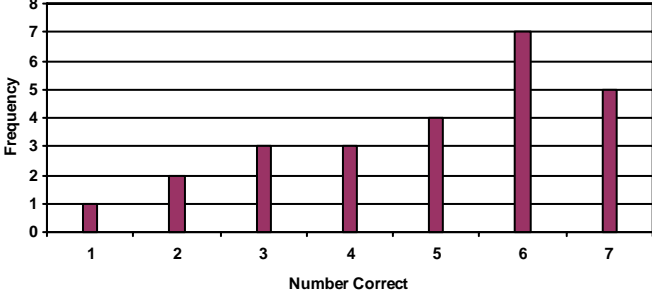
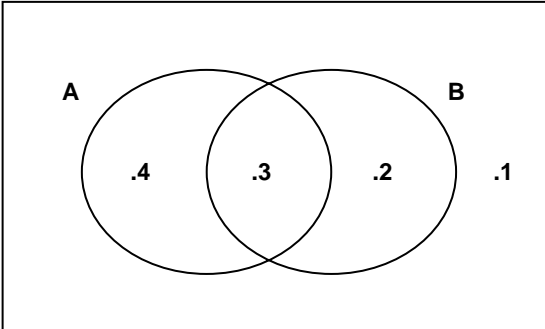
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Advanced Subsidiary GCE Statistics (H132)

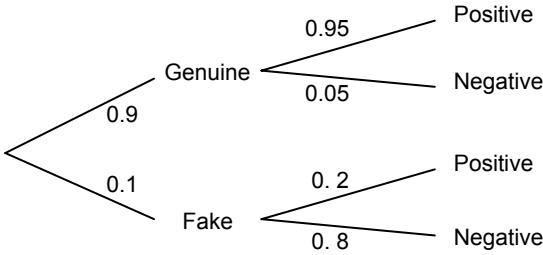
MARK SCHEMES FOR THE UNITS

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Mark Scheme G241
June 2006

Q1 (i)		G1 Labelled linear scales G1 Height of lines	2
(ii)	Negative (skewness)	B1	1
(iii)	$\Sigma fx = 123$ so mean = $123/25 = 4.92$ o.e. $S_{xx} = 681 - \frac{123^2}{25} = 75.84$ M.s.d = $\frac{75.84}{25} = 3.034$	B1 M1 for S_{xx} attempted A1 FT their 4.92	3
(iv)	Total for 25 days is 123 and totals for 31 days is 155. Hence total for next 6 days is 32 and so mean = 5.33	M1 $31 \times 5 - 25 \times$ their 4.92 A1 FT their 123	2
		TOTAL	8
Q2 (i)	$P(A \cap B) = P(A)P(B A) = \frac{7}{10} \times \frac{3}{7}$ $\rightarrow P(A \cap B) = 0.3$ o.e.	M1 Product of these fractions A1	2
(ii)		B1FT either 0.4 or 0.2 in correct place B1FT all correct and labelled	2
(iii)	$P(B A) \neq P(B)$, $3/7 \neq 0.5$ Unequal so not independent	E1 Correct comparison E1dep for 'not independent'	2
(iv)	$3/7 < 0.5$ so Isobel is less likely to score when her parents attend	E1 for comparison E1dep	2
		TOTAL	8

Q3 (i)	$P(X = 1) = 7k, P(X = 2) = 12k, P(X = 3) = 15k, P(X = 4) = 16k$ $50k = 1$ so $k = 1/50$	M1 for addition of four multiples of k A1 ANSWER GIVEN	2
(ii)	$E(X) = 1 \times 7k + 2 \times 12k + 3 \times 15k + 4 \times 16k = 140k = 2.8$ OR $E(X) = 1 \times \frac{7}{50} + 2 \times \frac{12}{50} + 3 \times \frac{15}{50} + 4 \times \frac{16}{50} = \frac{140}{50} = 2.8$ oe $\text{Var}(X) = 1 \times 7k + 4 \times 12k + 9 \times 15k + 16 \times 16k - 7.84 = 1.08$ OR $\text{Var}(X) = 1 \times \frac{7}{50} + 4 \times \frac{12}{50} + 9 \times \frac{15}{50} + 16 \times \frac{16}{50} - 7.84$ $= 8.92 - 7.84 = 1.08$	M1 for $\sum xp$ (at least 3 terms correct) A1 CAO M1 $\sum x^2p$ (at least 3 terms correct) M1 <i>dep</i> for – their $E(X)^2$ NB provided $\text{Var}(X) > 0$ A1 FT their $E(X)$	5
		TOTAL	7
Q4 (i)	$4 \times 5 \times 3 = 60$	M1 for $4 \times 5 \times 3$ A1 CAO	2
(ii)	(A) $\binom{4}{2} = 6$ (B) $\binom{4}{2} \binom{5}{2} \binom{3}{2} = 180$	B1 ANSWER GIVEN B1 CAO	2
(iii)	(A) $1/5$ (B) $\frac{3}{4} \times \frac{4}{5} \times \frac{2}{3} = \frac{2}{5}$	B1 CAO M1 for $\frac{3}{4} \times \frac{4}{5} \times \frac{2}{3}$ A1	3
		TOTAL	7
Q5 (i)	$P(X = 2) = \binom{3}{2} \times 0.87^2 \times 0.13 = 0.2952$	M1 $0.87^2 \times 0.13$ M1 $\binom{3}{2} \times p^2q$ with $p+q=1$ A1 CAO	3
(ii)	In 50 throws expect $50(0.2952) = 14.76$ times	B1 FT	1
(iii)	P (two 20's twice) = $\binom{4}{2} \times 0.2952^2 \times 0.7048^2 = 0.2597$	M1 $0.2952^2 \times 0.7048^2$ A1 FT their 0.2952	2
		TOTAL	6

<p>Q6</p> <p>(i)</p>		<p>G1 for left hand set of branches fully correct including labels and probabilities G1 for right hand set of branches fully correct</p>	<p>2</p>
<p>(ii)</p>	<p>$P(\text{test is positive}) = (0.9)(0.95) + (0.1)(0.2) = 0.875$</p>	<p>M1 Two correct pairs added A1 CAO</p>	<p>2</p>
<p>(iii)</p>	<p>$P(\text{test is correct}) = (0.9)(0.95) + (0.1)(0.8) = 0.935$</p>	<p>M1 Two correct pairs added A1 CAO</p>	<p>2</p>
<p>(iv)</p>	<p>$P(\text{Genuine} \text{Positive})$ $= 0.855/0.875$ $= 0.977$</p>	<p>M1 Numerator M1 Denominator A1 CAO</p>	<p>3</p>
<p>(v)</p>	<p>$P(\text{Fake} \text{Negative}) = 0.08/0.125 = 0.64$</p>	<p>M1 Numerator M1 Denominator A1 CAO</p>	<p>3</p>
<p>(vi)</p>	<p>EITHER: A positive test means that the painting is almost certain to be genuine so no need for a further test.</p> <p>However, more than a third of those paintings with a negative result are genuine so a further test is needed.</p> <p>NOTE: Allow sensible alternative answers</p>	<p>E1FT E1FT</p>	<p>2</p>
<p>(vii)</p>	<p>$P(\text{all 3 genuine}) = (0.9 \times 0.05 \times 0.96)^3$ $= (0.045 \times 0.96)^3$ $= (0.0432)^3$ $= 0.0000806$</p>	<p>M1 for 0.9×0.05 (=0.045) M1 for complete correct triple product M1 <i>indep</i> for cubing A1 CAO</p>	<p>4</p>
		<p>TOTAL</p>	<p>18</p>

<p>Q7 (i)</p>	<p>$X \sim B(20, 0.1)$</p> <p>(A) $P(X = 1) = \binom{20}{1} \times 0.1 \times 0.9^{19} = 0.2702$</p> <p>OR from tables $0.3917 - 0.1216 = 0.2701$</p> <p>(B) $P(X \geq 1) = 1 - 0.1216 = 0.8784$</p>	<p>M1 0.1×0.9^{19}</p> <p>M1 $\binom{20}{1} \times pq^{19}$</p> <p>A1 CAO</p> <p>OR: M2 for $0.3917 - 0.1216$ A1 CAO</p> <p>M1 $P(X=0)$ <i>provided that</i> $P(X \geq 1) = 1 - P(X \leq 1)$ <i>not seen</i></p> <p>M1 $1 - P(X=0)$</p> <p>A1 CAO</p>	<p>3</p> <p>3</p>
<p>(ii)</p>	<p>EITHER: $1 - 0.9^n \geq 0.8$ $0.9^n \leq 0.2$ Minimum $n = 16$</p> <p>OR (using trial and improvement): Trial with 0.9^{15} or 0.9^{16} or 0.9^{17} $1 - 0.9^{15} = 0.7941 < 0.8$ and $1 - 0.9^{16} = 0.8147 > 0.8$ Minimum $n = 16$</p> <p>NOTE: $n = 16$ unsupported scores SC1 only</p>	<p>M1 for 0.9^n</p> <p>M1 for inequality</p> <p>A1 CAO</p> <p>M1</p> <p>M1</p> <p>A1 CAO</p>	<p>3</p>
<p>(iii)</p>	<p>(A) Let p = probability of a randomly selected rock containing a fossil (for population) $H_0: p = 0.1$ $H_1: p < 0.1$</p> <p>(B) Let $X \sim B(30, 0.1)$ $P(X \leq 0) = 0.0424 < 5\%$ $P(X \leq 1) = 0.0424 + 0.1413 = 0.1837 > 5\%$</p> <p>So critical region consists only of 0.</p> <p>(C) 2 does not lie in the critical region.</p> <p>So there is insufficient evidence to reject the null hypothesis and we conclude that it seems that 10% of rocks in this area contain fossils.</p>	<p>B1 for definition of p</p> <p>B1 for H_0</p> <p>B1 for H_1</p> <p>M1 for attempt to find $P(X \leq 0)$ or $P(X \leq 1)$ using binomial</p> <p>M1 for both attempted</p> <p>M1 for comparison of either of the above with 5%</p> <p>A1 for critical region dep on both comparisons (NB Answer given)</p> <p>M1 for comparison</p> <p>A1 for conclusion in context</p>	<p>3</p> <p>4</p> <p>2</p>
	<p>TOTAL</p>	<p>18</p>	

**Mark Scheme G242
June 2006**

Q1			
(a)(i)	$P(\text{time} < 94) = P\left(Z < \frac{94 - 93}{0.9}\right)$ $P(Z < 1.111)$ 0.8667	M1 A1 A1	3
(a)(ii)	For 4 games, the probability that all four last less than 94 minutes is $(0.8667)^4 = 0.5642\dots$ $1 - (0.8667)^4$ 0.4357...	M1 M1 A1	3
(b)(i)	$\frac{1989670 - \frac{10920^2}{60}}{59}$ $= 37.7966\dots = 37.80 \text{ (2d.p.)}$	M1 A1	2
(b)(ii)	Sample mean = 182 $182 \pm 1.96 \times \sqrt{37.80 \div 60}$ (B1 for 1.96) (180.4, 183.6)	B1 B1M1 A1	4
(b)(iii)	The C.I. does not contain 188 suggesting the mean height of goalkeepers could be greater than that of outfield players. Relevant comment based on probability – in context - e.g. A wider CI based on the outfield players data – 99%, say - would still not contain 188 cm.	E1(188 not in) E1(suggesting) E1(mean greater) E1(prob ^y link)	4

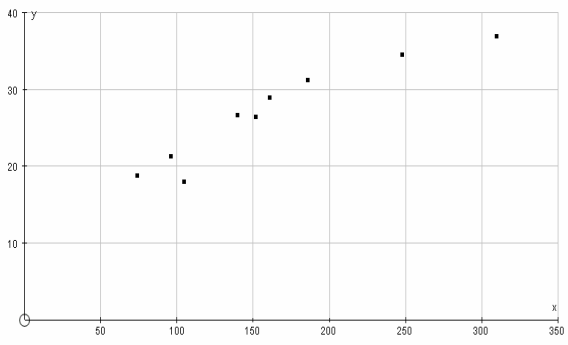
Q2			
(i)	$\Sigma fx \div \Sigma f = 340 \div 100 (=3.4)$ $(1486 - 340^2/100) \div 99$ $\text{Sample variance} = 3\frac{1}{3}$ No reason to doubt manager as mean \approx variance	B1 M1 A1 E1	4
(ii)	0.0334, 0.1134, 0.1929, 0.2187, 0.1858, 0.1263, 0.0716, 0.0348, 0.0231 3.34, 11.34, 19.29, 21.87, 18.58, 12.63, 7.16, 3.48, 2.31	M1A 2 M1A 1	5
(iii)	(A) Low expected frequencies have a disproportionate influence on the value of X^2 and may make the procedure a poor approx ⁿ (B) 5 degrees of freedom (7 – 1 – 1) Critical value at 5% level is $\chi^2 = 11.07$ $5.127 < 11.07$ so not significant The Poisson model seems a good fit.	E1 B1 B1 M1 E1	5

Q3			
(i)	Mean = $3\frac{13}{30}$ & SD = 1.49989...	B1, B1	2
(ii)	<p>$H_0 : \mu = 4.9$ & $H_1 : \mu < 4.9$ Where μ represents the population mean pollution level <i>t</i> distribution needed</p> $t = \frac{3\frac{13}{30} - 4.9}{\frac{SD}{\sqrt{12}}} = -3.39 \text{ (3s.f.)}$ <p>11 degrees of freedom At 5% level, critical value of $t = 1.796$ $-3.394 < -1.796$ so the result is significant</p> <p>Evidence suggests there is a reduction in mean pollution level</p>	B1 B1 B1 M1A 1 (FT) B1 B1 M1 A1 E1	10
(iii)	Sample is random	B1	1

Q4																																					
(i)	<p>H_0: there is no association between personality and colour preference H_1: there is an association between personality and colour preference</p> <p>Expected frequencies</p> <table border="1"> <thead> <tr> <th></th> <th></th> <th>Introvert</th> <th>Extrovert</th> </tr> </thead> <tbody> <tr> <th rowspan="4">Preferred colour</th> <th>Red</th> <td>32.4</td> <td>47.6</td> </tr> <tr> <th>Yellow</th> <td>9.72</td> <td>14.28</td> </tr> <tr> <th>Green</th> <td>20.25</td> <td>29.75</td> </tr> <tr> <th>Blue</th> <td>18.63</td> <td>27.37</td> </tr> </tbody> </table> <p>Contribution to χ^2</p> <table border="1"> <thead> <tr> <th></th> <th></th> <th>Introvert</th> <th>Extrovert</th> </tr> </thead> <tbody> <tr> <th rowspan="4">Preferred colour</th> <th>Red</th> <td>2.18</td> <td>1.48</td> </tr> <tr> <th>Yellow</th> <td>0.76</td> <td>0.52</td> </tr> <tr> <th>Green</th> <td>0.15</td> <td>0.10</td> </tr> <tr> <th>Blue</th> <td>4.71</td> <td>3.21</td> </tr> </tbody> </table> <p>$\chi^2 = 13.11$ (13.11399... without rounding)</p> <p>3 degrees of freedom</p> <p>Critical value for 5% significance level is 7.815 As $13.11 > 7.815$ the result is significant</p> <p>There is evidence of an association between personality and colour preference.</p>			Introvert	Extrovert	Preferred colour	Red	32.4	47.6	Yellow	9.72	14.28	Green	20.25	29.75	Blue	18.63	27.37			Introvert	Extrovert	Preferred colour	Red	2.18	1.48	Yellow	0.76	0.52	Green	0.15	0.10	Blue	4.71	3.21	B1 B1 M1A1 M1A1 A1 B1 B1 M1A1 E1	12
		Introvert	Extrovert																																		
Preferred colour	Red	32.4	47.6																																		
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	Yellow	0.76	0.52																																		
	Green	0.15	0.10																																		
	Blue	4.71	3.21																																		
(ii)	<p>People classed as extrovert tend to prefer red. People classed as introvert tend to prefer blue. Third relevant comment e.g. referring to specific contribution to χ^2</p>	E1 E1 E1	3																																		

Q5			
(i)	H_0 : population median = 12 H_1 : population median < 12 Actual differences +8 -1 -3 +5 +7 -11 -6 -2 -9 -10 Associated ranks 7 1 3 4 6 10 5 2 8 9 $T = 1 + 3 + 10 + 5 + 2 + 8 + 9 = 38$ $T^+ = 7 + 4 + 6 = 17$ $\therefore T = 17$ From tables – at the 5% level of significance in a one-tailed Wilcoxon signed rank test, the critical value of T is 10 $17 > 10 \therefore$ the result is not significant The evidence does not suggest the drug is effective.	B1 B1 B1 M1A1 B1 B1 B1 B1 M1A1 E1	12
(ii)	Sample too small t distribution	B1 B1	2

**Mark Scheme G243
June 2006**

Q1				
(i)	 <p>Looks reasonably linear, maybe flattens a bit at the top.</p>	<p>G1 G1 G1 E1 E1</p>	<p>Axes, including labels. “x” and “y” suffice as they are defined in the question. Correct zero, or clear “breaks”. All points correct. Allow one error.</p>	5
(ii)	<p>x ranks 5 1 2 9 8 3 4 7 6 y ranks 4 2 3 9 8 1 5 7 6 d 1 1 1 0 0 2 1 0 0 Σ d² = 8 $r_s = 1 - \frac{6 \times 8}{9 \times 80} = 0.9333$</p>	<p>B1 B1 M1 A1</p>	<p>c.a.o.</p>	4
(iii)	<p>Critical value for $n = 9$ at two-sided 5% level is 0.7000. Significant. Seems there is an association between rainfall and yield.</p>	<p>B1 E1 E1</p>	<p>No ft if wrong. S.C. Use of the 1-tail point (0.6000) can get either, but not both, of these E marks.</p>	3
(iv)	<p>No real suggestion of bivariate Normality. H_0 is $\rho = 0$, where ρ is the correlation coefficient for the underlying bivariate population.</p>	<p>E1 B1 B1</p>	<p>Or equivalent statement.</p>	3
				15

Q2																																	
(a) (i)	<p>H_0 : the medians of the two populations are the same. H_1 : the medians of the two populations are different. Wilcoxon rank sum test (or Mann-Whitney form thereof). Ranks are</p> <table style="margin-left: 40px;"> <tr> <td>A</td><td>1</td><td>2</td><td>4</td><td>5</td><td>6</td><td>10</td><td>11</td><td>13</td> </tr> <tr> <td>B</td><td>3</td><td>7</td><td>8</td><td>9</td><td>12</td><td>14</td><td>15</td><td>16</td><td>17</td> </tr> <tr> <td></td><td></td><td></td><td></td><td></td><td></td><td></td><td></td><td></td><td>18</td> </tr> </table> <p>Rank sum for smaller sample is 52.</p> <p>Refer to (8,10) table. 2-tail 5% critical value is 53. Significant. Seems areas are not equivalent in this regard.</p>	A	1	2	4	5	6	10	11	13	B	3	7	8	9	12	14	15	16	17										18	<p>B1 B1</p> <p>M1</p> <p>B1</p> <p>M1 A1 E1 E1</p>	<p>Or more formal statements.</p> <p>(Or M-W statistic = 16)</p> <p>No ft from here if wrong. (Or 17 for M-W). No ft if wrong. ft only c's test statistic. ft only c's test statistic.</p>	8
A	1	2	4	5	6	10	11	13																									
B	3	7	8	9	12	14	15	16	17																								
									18																								
(ii)	<p>There is nothing obvious that can be measured. Depends on subjective judgement of analyst.</p>	<p>E1 E1</p>	<p>Or other sensible comments. Or other sensible comments.</p>	2																													
(b) (i)	<p>The population standard deviation.</p>	<p>B1 B1</p>		2																													
(ii)	<p>The critical point is 1.96. Not significant. Appears that the average air pollution in towns in the two regions may be assumed to be the same.</p>	<p>M1 E1 E1</p>	<p>No ft if wrong.</p>	3																													
				15																													

Q3				
(i)	There is a list of the population. (As far as is known) there are no cycles or patterns in the list that might be related to the aim of the sampling.	E1 E1		2
(ii)	Pick one of first 8 in alphabetical list at random then every 8 th .	M1 M1		2
(iii)	<p>$H_0: \mu_D = 0$ (or $\mu_1 = \mu_1$ etc)</p> <p>$H_1: \mu_D > 0$ (or $\mu_2 > \mu_1$ etc) where μ_D is the population mean for the differences.</p> <p><u>MUST</u> be PAIRED COMPARISON t test. Use of differences. Differences are: 38 18 72 29 -12 99 23 41 -2 46 52 62 $\bar{d} = 38.8\dot{3}$ $s_{n-1} = 30.924(64)$</p> <p>Test statistic is $\frac{38.8\dot{3} - 0}{\frac{30.924(64)}{\sqrt{12}}}$ $= 4.35.$</p> <p>Refer to t_{11}. Upper 5% point is 1.796. Significant. Seems mean score for second test is greater than for first.</p>	<p>B1</p> <p>B1 B1</p> <p>M1</p> <p>A1</p> <p>M1</p> <p>A1</p> <p>M1 A1 E1 E1</p>	<p>Do NOT allow \bar{D} or similar unless it is clearly and explicitly stated to be a <u>population</u> mean. Hypotheses in words only must include "population". Or "<" for "first" – "second". For adequate verbal definition. Allow absence of "population" here if correct notation μ has been used.</p> <p>For both. [$s_n = 29.6081$ <u>NOT</u> allowed.] Allow c's \bar{d} and/or s_{n-1}. Allow alternative: $0 + (c's\ 1.796) \times \frac{30.924(64)}{\sqrt{12}}$ (= 16.03) for subsequent comparison with \bar{d}. (Or $\bar{d} - (c's\ 1.796) \times \frac{30.924(64)}{\sqrt{12}}$ (= 22.80) for comparison with 0.) c.a.o. but ft from here if M1 awarded, but no marks from here on if not paired t test. Use of $0 - \bar{d}$ scores M1A0, but ft.</p> <p>No ft from here if wrong. No ft from here if wrong. ft only c's test statistic. ft only c's test statistic.</p>	11
				15

Q4				
(i)	Both the pressure and the temperature are tried at settings above and below those currently used. There is no replication so variability cannot be assessed.	E2 E2	(E0, E1, E2) (E0, E1, E2)	2 2
(ii)	<p>Pooled $s^2 = \frac{(4 \times 10 \cdot 243) + (4 \times 14 \cdot 647)}{8} = 12 \cdot 445$</p> <p>Test statistic is</p> $\frac{26 \cdot 96 - 24 \cdot 92}{\sqrt{12 \cdot 445 \sqrt{\frac{1}{5} + \frac{1}{5}}}} = \frac{2 \cdot 04}{2 \cdot 2311} = 0 \cdot 9143$ <p>Refer to t_8. Double-tailed 5% point is 2.306. Not significant. No evidence that population mean yields are different.</p>	M1 A1 M1 M1 M1 A1 M1 A1 E1 E1	For any reasonable attempt at pooling. If correct. For numerator. $\sqrt{12 \cdot 445}$. Use of c's pooled variance. $\sqrt{\frac{1}{5} + \frac{1}{5}}$. ft from here if all M marks earned. No ft from here if wrong. No ft from here if wrong. ft only c's test statistic. ft only c's test statistic.	10
(iii)	All runs in first chamber are on different days from all runs in second, so any variability in the raw materials may affect the chambers in different ways. Do a run in each chamber on Monday, then a run in each chamber on Tuesday, and so on. Any variability would affect each chamber equally.	E1 E1 E1 E1	Or equivalent.	4
(iv)	<p>Differences are 0.4 -0.5 1.2 -0.3 0.7 2.0 -0.1 0.6 1.5 1.0</p> <p>Ranks of d 3 4 8 2 6 10 1 5 9 7</p> <p>Test statistic is $4 + 2 + 1 = 7$ (or $3 + 8 + 6 + 10 + 5 + 9 + 7 = 48$)</p> <p>Refer to paired Wilcoxon table with $n = 10$ Need lower $2\frac{1}{2}$ % point which is 8 (or, if 48 used, upper $2\frac{1}{2}$ % point which is 47). Result is significant. Seems underlying medians are not the same.</p>	B1 M1 A1 M1 A1 M1 A1 E1 E1	No ft from here if wrong. No ft from here if wrong. ft only c's test statistic. ft only c's test statistic.	9
				27

**Advanced Subsidiary GCE (MEI Statistics) (H132)
June 2006 Assessment Series**

Unit Threshold Marks

Unit		Maximum Mark	a	b	c	d	e	u
G241	Raw	72	54	47	40	33	27	0
	UMS	100	80	70	60	50	40	0
G242	Raw	72	56	49	42	35	28	0
	UMS	100	80	70	60	50	40	0
G243	Raw	72	56	48	40	32	24	0
	UMS	100	80	70	60	50	40	0

Specification Aggregation Results

Overall threshold marks in UMS (i.e. after conversion of raw marks to uniform marks)

	Maximum Mark	A	B	C	D	E	U
H132	300	240	210	180	150	120	0

The cumulative percentage of candidates awarded each grade was as follows:

	A	B	C	D	E	U	Total Number of Candidates
H132	0	0	0	50.0	50.0	100	6

For a description of how UMS marks are calculated see;
www.ocr.org.uk/OCR/WebSite/docroot/understand/ums.jsp

Statistics are correct at the time of publication

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