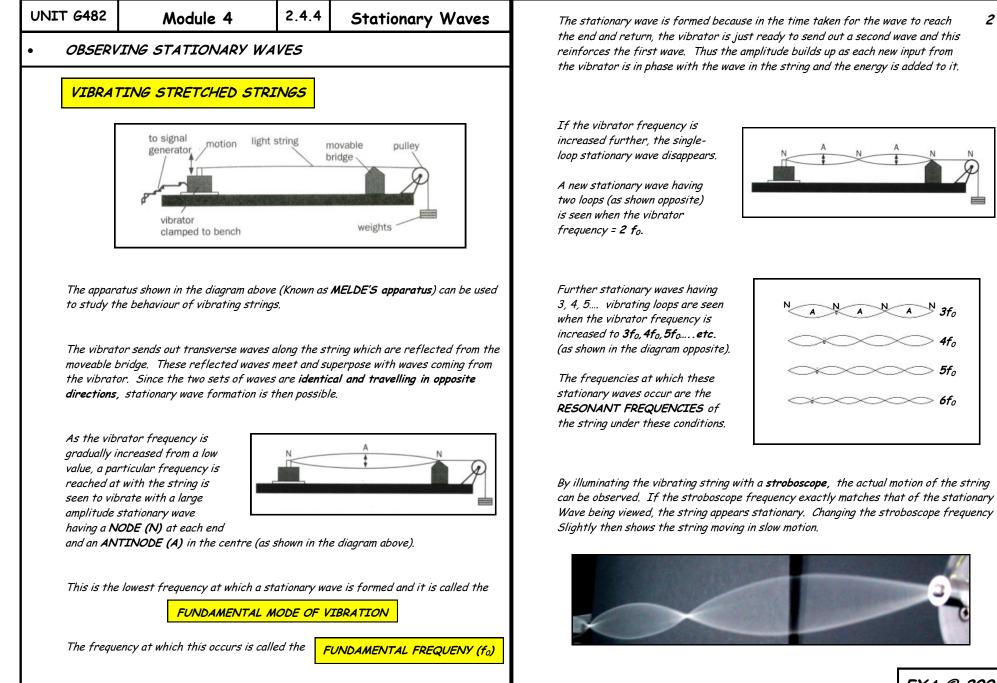
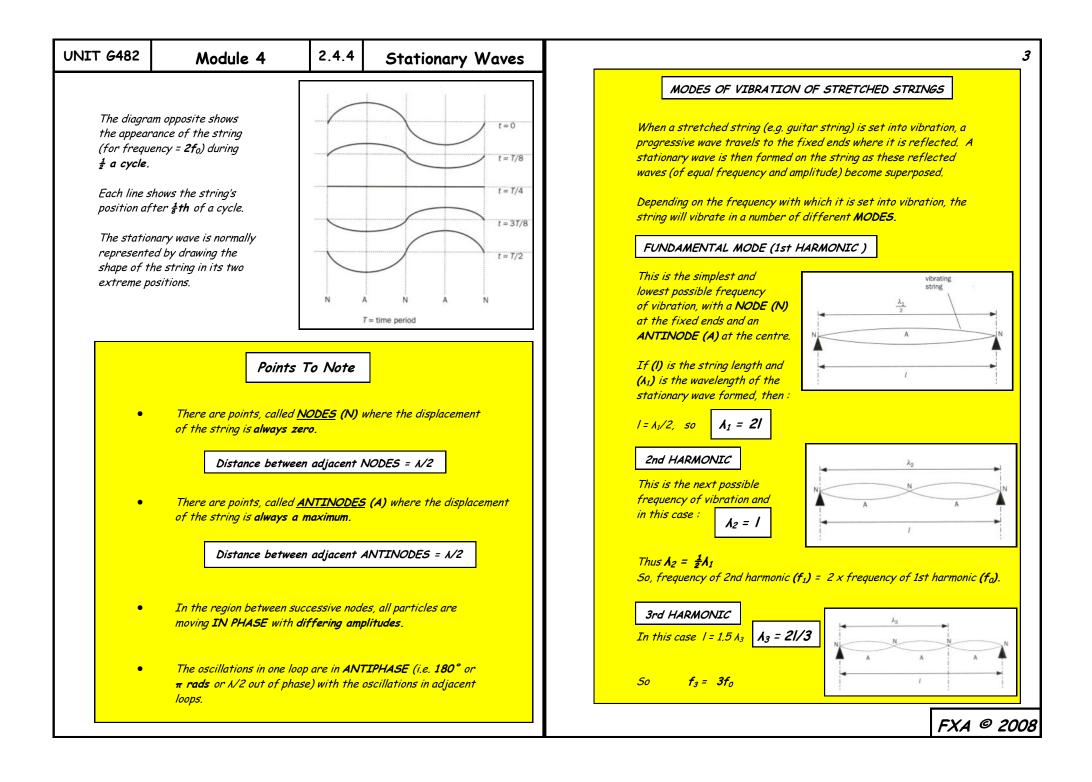
NIT 6482	Module 4 ^{2.4.4} Stationary Waves		Stationary Waves •	• DIFFERENCE BETWEEN PROGRESSIVE AND STATIONARY WAVES		
	ates should be able to					
	Explain the formation of prophical methods.	stationary ((standing) waves using	PROGRESSIVE WAVES These are waves which travel outwards from a source and transmit energy from one point to another.		
	Describe the similarities and stationary waves.	and differe	nces between progressive			
• D	Define the terms NODES	and ANTI	NODES.			
	Describe experiments to sing microwaves, stretc		•	STATIONARY (or STANDING) WAVES These are waves which :		
	Determine the standing wave patterns for stretched string and air columns in closed and open pipes .			• Are formed as a result of superposition between two identical waves (i.e. same speed, Frequency, and approximately equal equal amplitude) travelling in opposite		
• L	lse the equation :			directions.		
	Separation between a	djacent nod	les (or antinodes) = λ/2	• DO NOT TRANSMIT ENERGY from one point to another.		
	Define and use the terms FUNDAMENTAL VIBRATION and HARMONICS.		NTAL MODE OF	Stand in a fixed position and have : NODES - Points of zero displacement.		
	Determine the speed of . Itationary waves in a pipe		r from measurements on ne end.	ANTINODES - Points of maximum displacement.		



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2.4.4

Stationary Waves

VIBRATIONS IN AIR COLUMNS (PIPES)

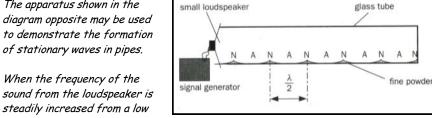
Module 4

When the air at one end of a tube is caused to vibrate, a progressive, longitudinal wave travels down the tube and is reflected at the opposite end (which may be closed or open to the outside air). The incident and reflected waves have the same speed, frequency and amplitude and superpose to form a stationary, longitudinal wave.

The apparatus shown in the diagram opposite may be used to demonstrate the formation of stationary waves in pipes.

When the frequency of the

steadily increased from a low



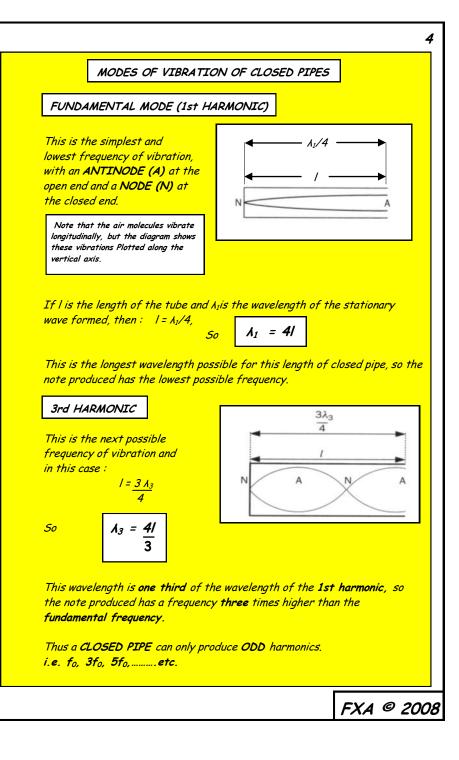
value, the sound produced becomes louder at certain frequencies. These loudness peaks are caused when the air column in the tube is set into resonant vibration by the vibrating loudspeaker cone.

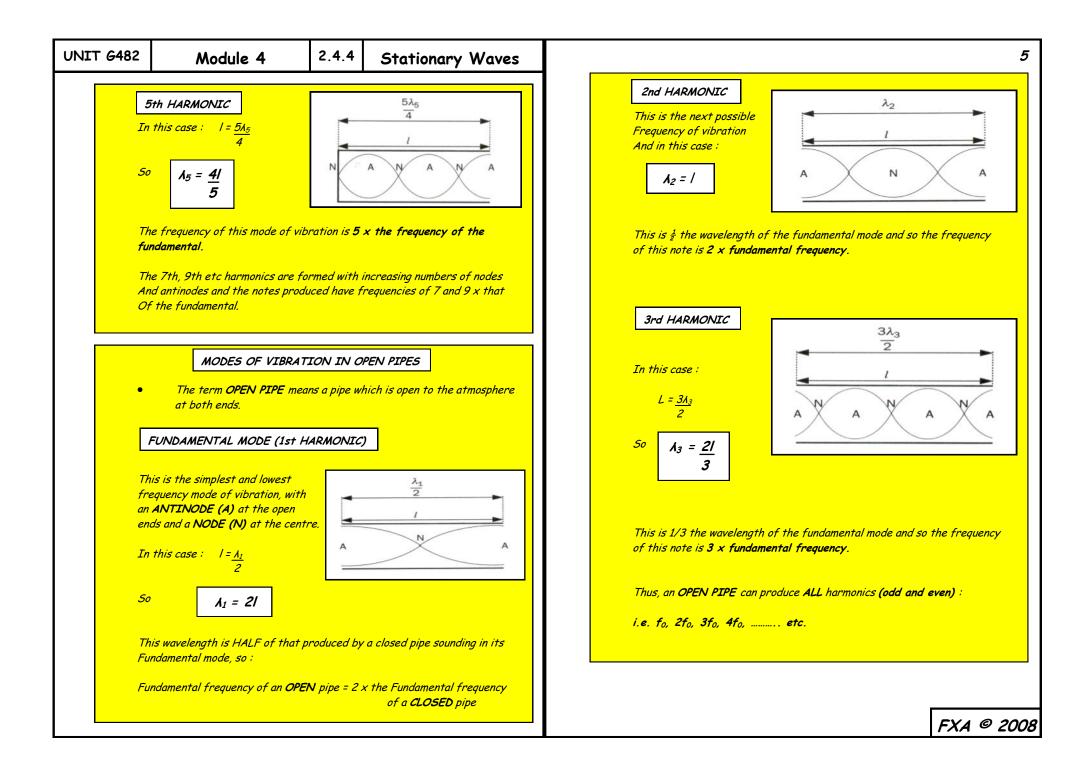
At these resonant frequencies, the fine powder in the tube forms into equally-spaced heaps. This is because the air molecules vibrate longitudinally along the tube axis and the amplitude of vibration varies from a **maximum** at the **antinodes (A)** to **zero** at the nodes (N). At the antinode positions the large amplitude vibration shifts the fine powder and so causes it to accumulate near the node positions, where the amplitude of vibration of the molecules is zero

POINTS TO NOTE

- The stationary wave in the tube is LONGITUDINAL. •
- The amplitude of vibration of the air molecules is always a maximum • at the open end of the tube (i.e. it is an ANTINODE).
- The amplitude of vibration of the air molecules is always **zero** at the • closed end of the tube (i.e. it is a NODE).
- All molecules between two adjacent nodes vibrate IN PHASE. ٠
- All molecules on either side of a node vibrate IN ANTIPHASE.

Distance between adjacent nodes (or antinodes) = $\frac{1}{2}\Lambda$





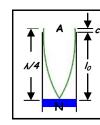
UNIT 6482	Module 4	2.4.4	Stationary Waves					
SUMMARY wavelengths and positions of NODES and ANTINODES for strings & pipes								
Harmonic	String	Closed p	oipe Open pipe					
1st	$\lambda_1 = 2l$	λ ₁ = -	$\frac{4l}{\underline{\qquad}} \qquad \qquad \lambda_1 = 2l$					
2nd	$\lambda_2 = l$	Imposs	ible $\lambda_2 = l$					
3rd	$\lambda_3 = 2l/3$	$\lambda_3 = 4$	$\frac{l/3}{N} = 2l/3$					
4th	$\lambda_4 = l/2$	Imposs	ible $\frac{\lambda_4 = l/2}{A A A A A A}$					

DETERMINATION OF THE SPEED OF SOUND IN AIR

In the **RESONANCE TUBE** shown in the diagram opposite, an air column can be set into vibration by holding a sounding tuning fork over the open end.

A given length of air column has a particular natural frequency of vibration and if the tuning fork frequency matches this, the air column is set into **RESONANT** vibration and the tuning fork sounds **much louder**.

With the tuning fork sounding over the open end, the inner tube is slowly raised, increasing the air column length until a **LOUD** sound is heard.

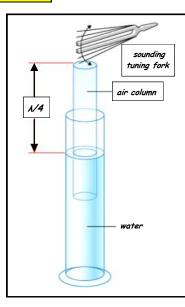


N

Α

Зл/4

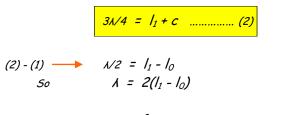
In this first resonance position the air column is vibrating in its **fundamental mode** with a **node** (N) at the closed end and an **antinode** (A) at a distance (c) above the open end. 'c' is called the 'END CORRECTION'. Then :



By further increasing the length of the air column, a **second** resonance position is obtained.

 $\lambda/4 = I_0 + c$ (1)

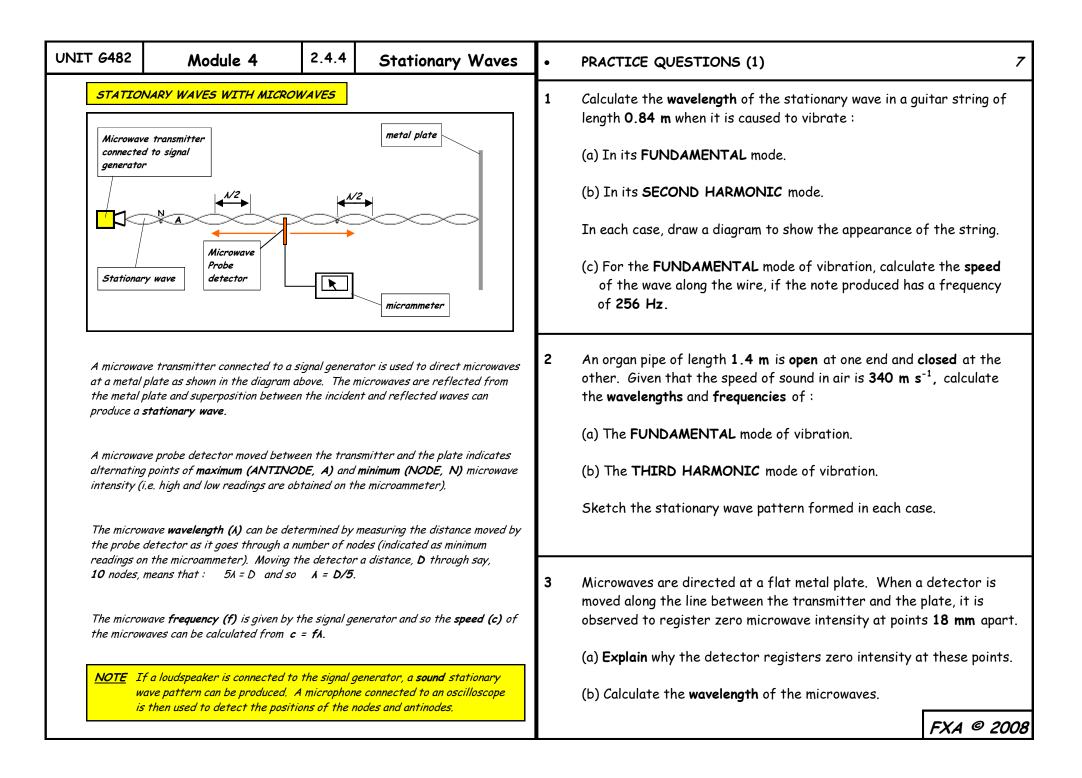
The air column is now vibrating in its first harmonic with two **nodes** (N) and two **antinodes** (A) as shown opposite. In this case :

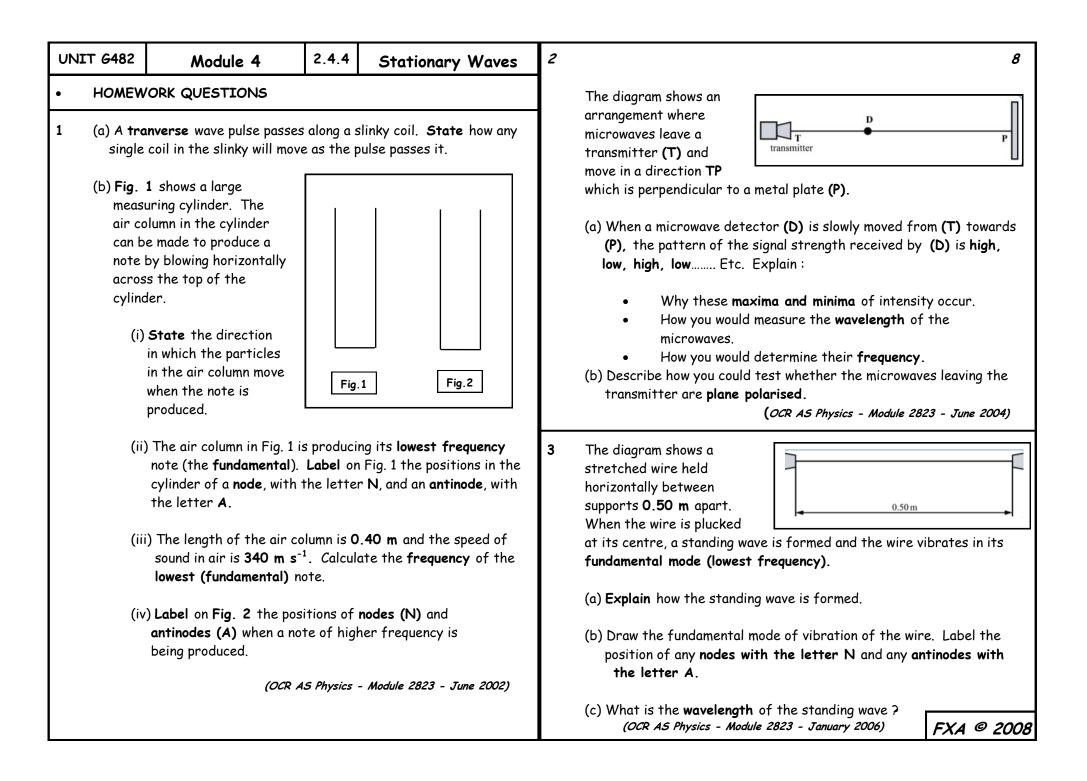


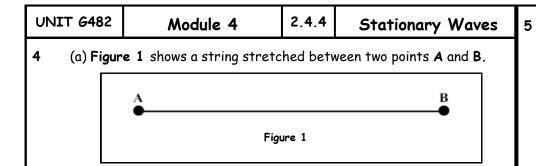
Then speed of sound, V = fA

 $v = 2f(l_1 - l_0)$

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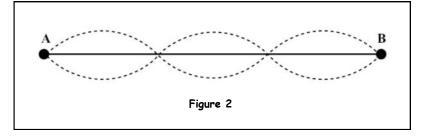






State how you would set up a standing wave on the string.

- (b) The standing wave vibrates in its fundamental mode (i.e. the lowest frequency at which a standing wave can be formed). Draw this standing wave.
- (c) Figure 2 shows the appearance of another standing wave formed on the same string.



The distance between ${\bf A}$ and ${\bf B}$ is ${\bf 1.8}\ m.$ Use Figure 2 to calculate :

- (i) The distance between neighbouring NODES.
- (ii) The wavelength of the standing wave.

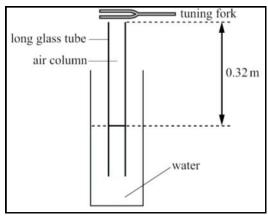
(OCR AS PHYSICS - Module 2823 - June 2003)

(a) In standing waves there are NODES and ANTINODES.

Explain what is meant by :

(i) A NODE. (ii) An ANTINODE.

(b) The diagram shows a long glass tube within which standing waves can be set up.
A vibrating tuning fork Is placed above the glass tube and the length of the air column is adjusted, by raising or lowering the tube in the water until a sound is heard.



- (i) The standing wave formed in the air column is the fundamental (the lowest frequency). Make a copy of the diagram and show on it the position of a NODE - Label as N, and an ANTINODE - Label as A.
- (ii) When the fundamental wave is heard, the length of the air column is 0.32 m. Determine the wavelength of the standing wave formed.
- (iii) The speed of sound in air is **330 m s**⁻¹. Calculate the **frequency** of the tuning fork.

(OCR AS Physics - Module 2823 - June 2005)



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