# Advanced subsidiary GCE Physics B 

## Unit G491 Physics in Action - Medium banded Candidate style answer

## Introduction

OCR has produced these candidate style answers to support teachers in interpreting the assessment criteria for the new GCE specifications and to bridge the gap between new specification release and availability of exemplar candidate work.

This content has been produced by senior OCR Examiner's, with the input of Chairs of Examiner's, to illustrate how the sample assessment questions might be answered and provide some commentary on what factors contribute to an overall grading. The candidate style answers are not written in a way that is intended to replicate student work but to demonstrate what a "good" or "excellent" response might include, supported by examiner commentary and conclusions.

As these responses have not been through full moderation and do not replicate student work, they have not been graded and are instead, banded "medium" or "high" to give an indication of the level of each response.

Please note that this resource is provided for advice and guidance only and does not in any way constitute an indication of grade boundaries or endorsed answers.

1 Here is a list of electrical units


2 Three temperature sensors $\boldsymbol{A}, \vec{B}$ and $\underline{C}$ were plunged into boiling water at the same moment. The graph below shows their responses.

(a) State the sensor with the longest response time.

| Candidate style answer | Examiner's commentary |
| :--- | :--- |
| B. | Response time means the time interval from <br> when the change of conditions starts to when <br> the output is stabilised at its new level (or a <br> fixed fraction of it). <br> In (a) B is correctly the slowest to respond, <br> and has the longest response time. |

(b) The temperature rise of each sensor was $80^{\circ} \mathrm{C}$.

Calculate the average sensitivity of sensor A between room and boiling water temperatures.

$$
\text { sensitivity }=\Delta \mathrm{V} / \Delta T=(1.6-0.4) \mathrm{V} / 80^{\circ} \mathrm{C}=1.2 / 80=0.015 \mathrm{~V} /{ }^{\circ} \mathrm{C}
$$

| Candidate style answer | Examiner's commentary |
| :--- | :--- |
| sensitivity $=0.40$ unit $\mathrm{V} \mathrm{s}-1$ | The student has remembered that the <br> sensitivity of a sensor is the gradient of a <br> graph, but has chosen the wrong graph and <br> confused the x-variable as time. The graph in <br> the question has been used incorrectly, <br> instead of a voltage vs temperature graph <br> which needs to be imagined, using the $80^{\circ} \mathrm{C}$ <br> temperature rise given. |
| In (b) the candidate would score zero. |  |
| For an electrical sensor, the sensitivity is |  |
| defined as: |  |
| sensitivity = change in electrical output / |  |
| change in physical variable measured $=\Delta V /$ |  |


|  | $\Delta T$ |
| :--- | :--- |
|  | All three sensors change temperature $(\Delta T)$ by <br> $80^{\circ} \mathrm{C}$. <br> A's output p.d. rises from 0.40 to 1.60 Volts <br> $(\Delta V=$ after - before $=1.60-0.40=1.20$ Volts $)$ <br> So $\Delta V / \Delta T=1.20 / 80=0.015 \mathrm{~V}^{\circ} \mathrm{C}^{-1}$ |

$3 \quad$ Fig. 3.1 and Fig. 3.2 show two satellite images, taken about two weeks apart in early 2000, of the Ninnis Glacier disintegrating into the Antarctic Ocean.


Fig. 3.1


Fig. 3.2
(a) Both images are 300 pixels wide $\times 250$ pixels high. A 40 km scale marker has been added to Fig. 3.1.
Estimate the resolution of these images question

| Candidate style answer | Examiner's commentary |
| :--- | :--- |
| marker is about $1 / 3$ of 300 pixels | This is an acceptable estimated answer, and 1 |
| 40 km is 100 pixels | S.F. is adequate precision. |
| 0.40 km per pixel |  |
| resolution $=\ldots . . . .400 . . . . . \mathrm{m}$ pixel-1 |  |

(b) Estimate the distance ice shelf $B$ has drifted during the two weeks.

| Candidate style answer | Examiner's commentary |
| :--- | :--- |
| movement about $1 / 2$ marker | This estimate is within tolerance and would get <br> the mark, the method is brief but has not been <br> distance $=\ldots . . . .20 \ldots . . . . . ~ k m ~$ |
| targeted for a mark in this question. |  |
| Alternatively you could measure the distance |  |
| moved on the image with a ruler (about 1.6 |  |
| $\mathrm{~cm})$ and compare it to the length of the |  |
| distance marker $(3.0 \mathrm{~cm})$. Then the distance |  |
| moved estimate is $(1.6 / 3.0) \times 40 \mathrm{~km} \mathrm{=21}$ |  |
| km |  |

(c) The images show the first large-scale break up of the Ninnis Glacier in recorded history.

Suggest one way in which the evidence presented in this pair of images is important to humans.

| Candidate style answer | Examiner's commentary |
| :--- | :--- |
| Wildlife might not survive. | The candidate is too brief and has not <br> addressed the question about the importance <br> to humans of wildlife, so the answer would <br> score zero. If the candidate had mentioned a <br> consequence to humans such as maintaining |


|  | bio-diversity, the mark could have been <br> awarded. |
| :--- | :--- |

$4 \quad$ Fig. 4.1 shows two waveforms displayed on an oscilloscope screen.
One is the original analogue signal from a recording of a dolphin whistling.
The other is the result of digitising it to the nearest of $\mathbf{8}$ binary coded levels


Fig. 4.1
(a) (i) Read from the graph the time period T in microseconds for one complete cycle of the dolphin whistle.
[1]

| Candidate style answer | Examiner's commentary |
| :---: | :---: |
|  | The candidate has incorrectly identified the time period from the waveform in (ai), having chosen the time for half a cycle of the whistle, and so loses the first mark. |

(ii) Calculate the frequency $f$ corresponding to this time period $T$.

| Candidate style answer | Examiner's commentary |
| :--- | :--- |
| frequency $=1 /$ time period $=1 /$ | In (aii) a common error has been made, by <br> ignoring the $\mu($ micro multiplier on the time <br> axis. The candidate could have scored marks <br> by e.c.f. (error carried forward) with the answer |
| $\mathrm{f}=\ldots \ldots . .0 .04 \ldots . . . . . \mathrm{Hz}$ | 40 000 Hz, but has made another error. <br> If you can't remember the value of the prefix <br> multipliers e.g. milli $(\mathrm{m})$, micro $(\mu)$, nano $(\mathrm{n})$ <br> etc. they are available for you to check in the <br> exam in the formulae and relationships sheet. |

(b) The waveform is sampled every $1.0 \mu \mathrm{~s}$.

Calculate the rate at which the sampled information is transmitted.

| Candidate style answer | Examiner's commentary |
| :--- | :--- |
| information rate $=$ bits per sample | Part (b) is well answered, the candidate makes |

$x$ samples per second
$=3 \times 10^{6}$ bits per second
information rate $=3 \times 10^{6}$ bits s ${ }^{-1}$
the method clear by using word relationships involving the units involved.

5 An original signal of amplitude 3.0 V has a random noise signal of amplitude 0.5 V added to it.

Calculate the maximum number of bits per sample that can be coded for this signal.

| Candidate style answer | Examiner's commentary |
| :--- | :--- |
| $3.0 / 0.5=6$ | The candidate's method is wrong, only the <br> original signal to noise ratio has been <br> calculated. The noise is about $1 / 7$ of the <br> amplitude of the total signal $(\approx 0.5 / 3.5)$, so <br> there is no point in having the resolution finer <br> than this. <br> Remember in binary coding: <br> alternatives $=2$ bits <br> 7 intervals needs 8 alternative levels of coding, <br> since $2^{3}=8,3$ bits is sufficient. |

## 6 Here are five mechanical properties of materials

> elasticity hardness toughnessstiffness strength

For each of the following descriptions of mechanical properties of materials write down the property being described from the list.

| [2] |  |
| :--- | :--- |
| Candidate style answer | Examiner's commentary |
| the stress required to break a material | These are the correct answers. Remember the <br> strength. <br> strength of a material is given as a stress <br> a measure of the difficulty of scratching or <br> denting the material <br> (force / x-sectional area), because larger x- <br> section specimens of the same material will <br> sequire proportionately larger forces, but will all <br> break at similar stresses. |

7 A resistor is rated at $470 \Omega$ and maximum power of 0.50 W .
Calculate the potential difference across the resistor, when running at its maximum power.

| [2] |  |
| :--- | :--- |
| Candidate style answer | Examiner's commentary |
| $470 \times 0.5=235$ | This response is typical of a weak candidate, if <br> in doubt either multiply or divide the numbers <br> piven, with no reference to any equation or <br> pential difference $=\ldots 235 \ldots .$. <br> needed. If relationship between $P, V$ and $R$ is not known by rote you will <br> need to combine the two GCSE relationships: <br> nem <br> $P=I V$ and $V=I R$ and eliminate the |


|  | current $I$ which is not known or required in this <br> case. |
| :--- | :--- |
| This gives power $P=(V / R) x V=V^{2} / R$ |  |
| and $V=\sqrt{ }(P R)=15 \mathrm{~V}$ as the correct |  |
| answer. |  |

## 8 A class experiment sets out to measure the breaking force of cotton thread.

The histogram below shows the frequency of occurrence for each breaking force measured.


Showing your working clearly, state your best estimate of the breaking force of this cotton thread.

Give an estimate of the uncertainty in the measurement.
Give your answers to a sensible number of significant figures.

Section A Total: [21]

| Can | Examiner's commentary |
| :---: | :---: |
| $\begin{aligned} & \text { mean }=(1 \times 10.5+1 \times 11+3 \times 11.5 \\ & +5 \times 12+13 \times 12.5+6 \times 13+1 \times \\ & 13.5) / 30 \\ & =370 / 30=12.33 \\ & \text { uncertainty }= \pm 3 \mathrm{~N} \\ & \text { breaking force }=\ldots .12 .3 \ldots \\ & \ldots \ldots . . \mathrm{N} \end{aligned}$ | The candidate's method for the mean is clear and correct and 3 S.F. in the final answer is acceptable here considering that data is gathered to nearest 0.5 N . <br> In estimating the uncertainty, the candidate has incorrectly quoted the range of force values, i.e. 3 N . A 1 S.F. estimate for uncertainty would be acceptable, but the uncertainty should usually be expressed as $\pm$ $1 / 2$ range of values, so in this case 1.5 N or 2 N to 1 S.F. and avoiding being over optimistic. |

## Section B

9 A vertical filament lamp is set up a distance $u$ in front of a converging lens as shown in Fig. 9.1. A real image of height $h$ is focused on the screen at distance $v$ from the lens.
filament
lens
lamp

u
(a) (i) On Fig. 9.1, mark with the letter $F$ the focus of the converging lens

| Candidate style answer | Examiner's commentary <br>  <br> (a)(i), the position where the image is formed <br> has been confused with the focus of the lens <br> (which is only the image position when the <br> object is very distant from the lens). |
| :--- | :--- | :--- |

(ii) Explain using Fig. 9.1 why in this example the real image is not formed at $F$.

You will be awarded marks for the quality of your written communication.
Candidate style answer
The image is formed by parallel rays
from the object which cros at afinity
forming a real object at $F$.

Examiner's commentary
In (a)(ii) the candidate has not shown a good command of technical English or spelling and the answer shows an incomplete grasp of the physics. Rays parallel to the axis of the lens will cross at the focus $\mathbf{F}$, or rays arriving from one point on a very distant object arrive parallel at the lens. The candidate's first statement could be relevant for locating F, but the second statement shows that the candidate is very confused about the image and the object and it is irrelevant and contains spelling errors
Other answers in terms of the wavefronts arriving at the lens from distant objects with zero curvature, and the lens adding a constant curvature to form the real image, could also
(b) The distance of the screen from the lens is varied; the image is refocused by changing the object distance $u$.

Fig. 9.2 shows image height $h$ with a $\pm 5 \%$ uncertainty, plotted against image distance $v$.


Fig. 9.2
(i) Draw accurately the lines of best, maximum and minimum possible slope through the data points on Fig. 9.2.


Examiner's commentary
The candidate has correctly identified the line of best fit and the best intercept for the second mark. Lines of least and maximum slope have not been attempted, so the first and third marks are not available. The line of greatest slope should go through the lower uncertainty bar of point with smallest $v$ value, and through the upper uncertainty bar of the point with the largest $v$ value, and vice versa for the line of least slope. You need a very sharp pencil to draw these accurately. We cannot expect to read intercepts to better than $1 / 2$ a small graph square, so $0.10 \pm 0.01 \mathrm{~m}$ would be a reasonable range estimate, from 0.09 to 0.11 $m$ or $\pm 10 \%$. A candidate who quoted the range at 0.095 to $0.105 \mathrm{~m}( \pm 5 \%$ uncertainty of the experiment) could also have been awarded the final mark.
(ii) State the best estimate and the range of possible values of the intercept on the horizontal axis.

| Candidate style answer | Examiner's commentary |
| :--- | :--- |
| best intercept $=.0 .10 \ldots \mathrm{~m}$ |  |


| intercept range from |  |
| :--- | :--- |

(c)(i) Explain why this intercept is equal to the focal length $f$ of the lens.

| Candidate style answer | Examiner's commentary |
| :--- | :--- |
| The image has zero height. | This is the statement of a true fact, but does <br> not constitute an explanation, so the mark <br> would not be gained. The student would need <br> to develop the idea more fully; by saying for <br> instance that the image is smallest for a very <br> distant object that is formed at the focal length <br> of the lens. |

(ii) State the power of the lens with an estimate of its uncertainty.

Use data from (b), making your method clear.

| Candidate style answer | Examiner's commentary |
| :---: | :---: |
| $\begin{aligned} & \mathrm{P}=1 / 0.10=10 \mathrm{D} \\ & \text { Uncertainty is } \pm 5 \% \\ & \text { power of lens }=\ldots \ldots \ldots .10 \ldots . \pm . \\ & \ldots 0.5 \ldots . . . \mathrm{D} \end{aligned}$ | The power and uncertainty estimates are correct, although it would have been nice to see the full equation quoted in the method ( $P=$ $1 / f$ ), the candidate would probably be given benefit of the doubt. The uncertainty estimate at the $\pm 5 \%$ uncertainty in h , is an acceptable estimate, but is possibly a little optimistic? It is likely that there will also be some uncertainty in the values of the image distance $v$ as well as in the image height $h$ values. Remember uncertainties are only sensible estimates, not hard numbers that everyone would absolutely agree with; try not to fall into the trap of being too optimistic about uncertainty estimates. |

10 Fig. 10.1 shows how the resistance of a thermistor varies with temperature. $\Delta$


Fig. 10.1
(a) Use the graph to describe in detail how the resistance varies with temperature, and to illustrate the meaning of the term sensitivity.

You will be awarded marks for the quality of your written communication.

| Candidate style answer | Examiner's commentary |
| :--- | :--- |
| The resistance drops exponentially as <br> the temperature rises and the <br> sensitivity gets smaller. | The candidate has written too briefly to expect <br> high marks on a four mark question where <br> quality of written communication is being <br> tested! The candidate only gets the first easy <br> mark for stating that the resistance drops as <br> the temperature rises. The term exponential is <br> generally over-used by candidates for any data <br> showing negative correlation, and is incorrectly <br> used here (no mathematical test has been <br> applied to check for exponential variation and <br> there doesn't appear to be an axis intercept). <br> There is no attempt to explain or illustrate the <br> meaning of sensitivity, so the quality mark for a <br> well organised answer is also missing. |

(b) Fig. 10.2 shows this thermistor together with a resistor in a temperature sensing potential divider circuit.
(i) A voltmeter is to be connected to the circuit to indicate an increasing p.d. when the sensor detects an increasing temperature.

On Fig. $\mathbf{1 0 . 2}$ draw the circuit connections for a voltmeter to measure a p.d. that rises with increasing temperature.

| Candidate style answer | Examiner's commentary |
| :--- | :--- |
| 6.0 V d.c | The voltmeter is correctly placed across the <br> fixed resistor; as the resistance of the <br> thermistor falls with increasing temperature so <br> will its fraction of the supply voltage in the <br> potential divider. So the voltage across the <br> fixed resistor must be rising, since the sum of <br> the two voltages remains constant at 6.0 V the <br> supply voltage. Therefore the voltmeter must <br> be placed across the fixed resistor. |

(ii) The value of the resistor in Fig. 10.2 is $200 \Omega$. The thermistor is at $65^{\circ} \mathrm{C}$. Show that the current drawn from the 6.0 V supply is about 20 mA .
Use data from Fig. 10.1.

| Candidate style answer | Examiner's commentary |
| :--- | :--- |
| $\mathrm{R}=100$ <br> 300 $\mathrm{total}=100+200=$ | This answer is not very well laid out (units are <br> missing and equations used are not explicit, <br> other than by the numbers representing <br> concepts, neither is the resistance value read <br> from the graph), but the answer is essentially <br> correct for a "show that" question and should <br> gain marks. |
| Remember that a potential divider circuit is <br> made of two resistors connected in series. <br> Resistors in series add up, so the total <br> resistance of the circuit is easy to find, once <br> the thermistor resistance, at the specified <br> temperature of 65 ${ }^{\circ} \mathrm{C}$, has been read from the <br> graph. The current can then be calculated <br> from: <br> $I=0.020 \mathrm{~A}$ |  |
| $I=$ supply voltage / total resistance $=\mathrm{V} / \mathrm{R}$. |  |

(c) The graphs $\mathrm{X}, \mathrm{Y}$ and Z in Fig. 10.3 show how the p.d. across the resistor varies with temperature, for three different values of the resistor.


Fig. 10.3
(i) The values of resistance used are $20 \Omega, 200 \Omega$ and $1000 \Omega$.

State which graph, $\mathrm{X}, \mathrm{Y}$ or Z , is the curve for the $1000 \Omega$ resistor.

| Candidate style answer | Examiner's commentary |
| :--- | :--- |
| x | Since the circuit output p.d. is across the <br> resistor the higher the resistance value, the <br> greater the fraction of the supply p.d. will be <br> output. The graph with the greatest output <br> signal $\mathbf{X}$ is therefore the correct choice. |

(ii) State one advantage and one disadvantage of using output $\mathbf{Z}$ for the temperature sensing circuit.
[Total: 10]

| Candidate style answer | Examiner's commentary |
| :--- | :--- |
| Th voltage is low but the graph is <br> straight | This is a poor response and would score few, if <br> any, marks. It is not clear which is the <br> advantage/disadvantage. The candidate needs <br> to make it clear that the low output might be <br> difficult to measure precisely with some <br> voltmeters, and that the straight line graph <br> means that sensitivity (gradient of the graph) is <br> constant, which is very convenient in use. |

11 This question is about an experiment to measure either the electrical resistivity
or the electrical conductivity of a highly conducting material of your choice.
(a) (i) State the material and circle the physical property above that you have chosen.

| Candidate style answer | Examiner's commentary |
| :--- | :--- |
| Material ......copper....... |  |

(ii) The experiment would usually be performed on a long and thin sample of the material, such as a wire.

Justify this shape of the sample for your experiment.

| Candidate style answer | Examiner's commentary |
| :--- | :--- |
| to get a high resistance | The candidate has answered too briefly with a <br> bare statement, certainly it could be the start of <br> a good answer, but it is left unjustified. If the <br> examiner had targeted a low level mark, then <br> this might score 1/2, but for a medium or high <br> level mark such a bare answer would not score <br> at all. Since candidates do not know what level <br> questions are targeted at, they should give the <br> best and fullest answer that they can to each <br> question. A better answer would go on to <br> explain that copper is a very good conductor, <br> in order to achieve an easily measurable <br> resistance of several Ohms the resistance <br> needs to be long $(R \propto L)$ and of small $x-$ <br> sectional area $(R \propto 1 / A)$. |

(iii) Describe with the help of a labelled diagram the equipment and method you would use to make your measurement.


| Candidate style answer | Examiner's commentary |
| :--- | :--- |
| current and voltage readings for <br> conductance. <br> measure length L and diameter d <br> $\sigma=G L / A$ | The circuit diagram is correct, ammeter in <br> series and voltmeter in parallel with the <br> specimen to be measured. The method is <br> rather brief not mentioning what devices might <br> be appropriate for measuring length and <br> diameter; nor how the x-sectional area could <br> be calculated from $A=\pi\left(d^{2} / 4\right)$, it should be <br> worth some further marks depending on the <br> level targeted in the question. The formula <br> quoted is given on the data and relationships <br> sheet, so without further amplification is not <br> worth a mark on its own. |

(b) Suggest an experimental difficulty that needs to be overcome, in limiting the uncertainty in the measurement of your chosen property. Describe how this difficulty can be overcome in practice.

You will be awarded marks for the quality of your written communication.

| Candidate style answer | Examiner's commentary |
| :--- | :--- |
| The most difficult measurement is the | The candidate has answered the question <br> diameter d of the wire. |
| rather briefly, but there are no errors and the |  |
| Typically the diameter is small, | technical language is clear and several good |
| around 1 mm or less, to get a high | points have been made if not fully explained. |
| enough resistance. Use a micrometer | (The precision $\pm 0.01$ mm of the micrometer |
| screw gauge, and measure several | could have been mentioned or the $\%$ |
| diameters and take an average. | uncertainty it would give rise to in the diameter <br> or area). However the meaning is clear and <br> correct and this answer should score high <br> marks for physics content and the third mark <br> for the quality of written communication. |

(c) State the quantities, other than sample dimensions, that you need to measure to complete your calculation of the resistivity or conductivity.

| Candidate style answer | Examiner's commentary |
| :--- | :--- |
| the voltage across and current through | The candidate answer is brief, but has |


| the wire | mentioned everything necessary and should <br> gain this easy mark at the end of the question. |
| :--- | :--- |

12 This question is about two methods of estimating the size of a molecule.
(a) This is the first method.

Fig. 12.1 is an STM (scanning tunnelling microscope) image of a layer of molecules. The field of view is 20 nm wide.


Fig. 12.1
Estimate the size of a molecule using this information.

| Candidate style answer | Examiner's commentary |
| :--- | :--- |
| molecular size $=\ldots . . . . . . . . . n m$ | The candidate has made a rough estimate of <br> about $1 / 10$ of the length of the distance marker <br> and expressed the answer to 1 S.F. Since the <br> method was not requested and the estimate is <br> reasonable the candidate should secure <br> marks. It is perfectly sensible to quote <br> estimates to 1 S.F. |

(b) Another method is to allow one drop of oil to spread out on a water surface.
(i) The oil drop has a diameter of 0.50 mm .

Show that the volume of oil in the drop is about $0.07 \mathrm{~mm}^{3}$.

$$
\text { Volume of sphere }=\frac{4}{3} \pi r^{3}
$$

| Candidate style answer | Examiner's commentary |
| :--- | :--- |
| $\mathrm{V}=4 / 3 \pi(0.025)^{3}=0.065 \mathrm{~mm}^{3}$ | The candidate has the correct method for <br> getting the volume out in mm3 and it is clear <br> that the calculation has been performed. <br> Do not fall into the trap of not bothering to work <br> out a "show that" calculation, by just quoting <br> the usually rounded off value given. |

(ii) When the oil spreads out on the water surface it forms a circular patch.

This is assumed to be one molecule thick. Therefore the thickness of the patch gives an estimate of the size of the molecule.

The diameter of the patch can be measured because the oil has moved aside powder scattered on the water surface as illustrated in Fig. 12.2.
question


Fig.12.2
The diameter of the patch is measured in four different directions.

The results are given below.

| diameter / <br> mm | 300 | 280 | 280 | 260 |
| :--- | :--- | :--- | :--- | :--- |

Calculate the mean diameter of the patch from these measurements.

| [1] |  |
| :--- | :--- |
| Candidate style answer | Examiner's commentary |
| mean diameter $=\ldots .280 \mathrm{~mm}$ | The candidate has not shown the method but <br> the answer is correct and so the mark should <br> be awarded. |

(iii) For a patch of area $A$ and thickness $h$ the volume $=A h$.

Calculate an estimate of the size of an oil molecule using the data from parts (b)(i) and (b)(iii).

You may assume that the patch of oil is one molecule thick.

| Candidate style answer | Examiner's commentary |
| :--- | :--- |
| $\pi(280 \times 10-3) 2 \times \mathrm{h}=0.065 \times 10-3$ | This method for estimating molecular size is |
| $\mathrm{h}=0.065 \times 10-3 / 0.25=2.6 \times$ | wrong, the candidate seems to have equated <br> the volumes of drop and patch, but has used |


| ```estimate of molecular size = 2.6 x 10-4 ... m \pi(280 / 2)2 x h = 0.07 working in mm3``` | the wrong formulation for the volume of the patch $\pi D^{2}$ instead of $\pi r^{2}$, so even the method mark cannot be awarded. The evaluation is out by a factor of $\times 10^{-6}$. There are also two distinct and serious further errors in the evaluation. |
| :---: | :---: |
| $\begin{aligned} & \mathrm{h}=0.07 / 6.2 \times 104=1.1 \times 10- \\ & 6 \mathrm{~mm} \end{aligned}$ | The candidate has forgotten that $1 \mathrm{~mm}^{3}=(1$ $\left.\times 10^{-3} \mathrm{~m}\right)^{3}=10^{-9} \mathrm{~m}^{3} \quad\left(\right.$ NOT $\left.1 \mathrm{~mm}^{3}=10^{-3} \mathrm{~m}^{3}\right)$ |
| $\begin{aligned} & \text { estimate of molecular size }= \\ & 1.1 \times 10-9 \text {... m } \end{aligned}$ | and also to half the diameter for the radius ( $r=$ $D / 2)$ in using $A=\pi r^{2}$ |
|  | The candidate would score zero for this answer. |

## Overall banding: Medium

This candidate has shown a weak command of some the AS level physics, the errors are quite frequent and sometimes major, as well as some silly slips and lack of exam technique. The candidate would be awarded a middle grade on the basis of these answers.

