

Mark Scheme	Unit Code	Session	Year	Final version
	2824	January	2006	

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Abbreviations, annotations and conventions used in the Mark Scheme	/	= alternative and acceptable answers for the same marking point
	;	= separates marking points
	()	= words which are not essential to gain credit
	ecf	= error carried forward
	AW	= alternative wording

Question	Expected Answers	Marks	
1	a <ul style="list-style-type: none"> i 3.8 ± 0.3 (N s) ii momentum (of the ball) <i>accept impulse</i> iii $mv = 3.8$ or $v = 3.8/0.16$; = 23 (m s^{-1}) <i>ecf a</i> iv use $F = ma$ giving $24 = 0.16a$; $a = 150$ (m s^{-2}) 	1	
		1	
		2	
		2	
	b	i exponential	1
		ii e.g. $h_1/h_2 = e^k = 2.1(5)$; giving $k = 0.74$ to 0.76 or substitution from a line of table; gives 0.748, 0.757 or 0.746	2
		iii 1.5 (m)	1
		iv $\Delta k.e. = mg\Delta h$; = $0.16 \times 9.8 \times 0.38$ (= 0.60 J)	2
	Total		12
	2	a i Fig. 2.1 : x and a in opposite directions/acceleration towards equilibrium point/AW; Fig. 2.2 : proportional graph between x and a /AW <i>Figures not identified max. of 1 mark</i>	1
1			
ii $a = 4\pi^2 f^2 x$; $50 = 4\pi^2 f^2 .50 \times 10^{-3}$; giving $f^2 = 25$ and $f = 5.0$ Hz		3	
iii cosine wave with initial amplitude 25 mm; decreasing amplitude; correct period of 0.2 s (for minimum of 2.5 periods);		2	
b i the acceleration towards A/centripetal acceleration or force; is constant		1	
ii $a = v^2/r$; so $50 = v^2/10$; $v^2 = 500$ giving $v = 22.4$ m s^{-1}		2	
Total		8	
Total		5	
3	a appropriate shape; lines perpendicular to and touching plate and sphere; arrows towards negative sphere	2	
		1	
	b i By moments, e.g. $F \cos 20 = W \sin 20$ / by triangle of forces / by resolution of forces / other suitable method; <i>i.e. justification needed</i> $F = 1.0 \times 10^{-5} \tan 20$; = $1.0 \times 10^{-5} \times 0.364$; (= 3.64×10^{-6} N) triangle of forces gives $W/F = \tan 70$, etc	1	
		2	
	ii $E = F/Q$; = $3.64 \times 10^{-6} / 1.2 \times 10^{-9} = 3.0 \times 10^3$; $\text{N C}^{-1} / \text{V m}^{-1}$	3	
	c $E = (1/4\pi\epsilon_0)Q/r^2$; $3.0 \times 10^3 = 9 \times 10^9 \times 1.2 \times 10^{-9}/r^2$; or use $F = (1/4\pi\epsilon_0)Q^2/r^2$; $r^2 = 3.6 \times 10^{-3}$ giving $r = 6 \times 10^{-2}$ (m)	2	
		1	
	d field line sketch <i>minimum of 5 lines symmetrical about line joining centres with arrows</i> ; Fig 3.1 sketch matches RHS of Fig 3.2/plate analogous to mirror/AW relating to symmetry	1	
		1	
	Total		14

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Question	Expected Answers	Marks		
4	a	29; 34	2	
	b	$\lambda = 0.693/T = 0.693/(120 \times 3.2 \times 10^7) = (1.8 \times 10^{-10} \text{ s}^{-1})$ <i>accept ln 2</i>	1	
	c	i	$Q = CV = 1.2 \times 10^{-12} \times 90$; evidence of calculation (= $1.1 \times 10^{-10} \text{ C}$)	2
		ii	$n = Q/e = 1.1 \times 10^{-10}/1.6 \times 10^{-19}$; = 6.9×10^8 <i>allow sig. fig. variations</i>	2
	iii	$A = \lambda N$; $N = 6.9 \times 10^8/1.8 \times 10^{-10}$; = 3.8×10^{18} <i>using 7.0 gives 3.9</i>	3	
iv	1 y is less than 1% of 120 y so expect to be within 1%/ using $e^{-\lambda t}$ gives exactly 1% fall/ problem of random emission or other relevant statement	1	8	
		Total	11	
5	a	i	F is towards 'open' end of tube; using Fleming's L.H.rule	2
		ii	$F = BIw$	1
		iii	$F = 0.15 \times 800 \times 0.0025$; = 3.0 (N)	2
	b	i	A voltage is induced across moving metal as it cuts lines of flux/AW;	1
			voltage is proportional to flux change per second/AW;	1
		ii	the flux change per second is Bwv / is proportional to the area of metal moving through the field per second / is proportional to v	1
6	a	Internal energy is the sum of the <u>random</u> kinetic and potential energies of the <u>particles/molecules/atoms</u> in the system/body	2	
		<i>only 1 mark if random omitted</i>		
		s.h.c. is the change in (internal) energy per unit mass/energy required to heat unit mass/kg per unit rise in temperature/ $^{\circ}\text{C}/\text{K}$	1	3
b	i	Electrical heating of body for given time/ energy input = VIt ;	1	
		measurement of mass of body and temperature rise;	1	
		hence $VIt = mc\theta$ with c found;	1	
		comment on heat loss and how avoided/compensated for;	1	
		suitable description of apparatus,etc. <i>max 4 marks</i>	1	4
		<i>method of mixtures is an acceptable alternative</i>		
c	i	$Q = 2.0 \times 920 \times 293$; evidence of calculation (= 540 kJ)	2	
		2 kg contains $2/0.027 = 74$ moles;	1	
	ii	no. of atoms in 2 kg = $74 \times 6.02 \times 10^{23} = 4.46 \times 10^{25}$;	1	
energy per atom = $5.4 \times 10^5/4.46 \times 10^{25}$ (= $1.2 \times 10^{-20} \text{ J}$)		1		
iii	e.g $2 \times 920/74$; = $24.9 \text{ J mol}^{-1} \text{ K}^{-1}$ or alternative methods			
		<i>1 mark for suitable method; 1 mark for correct solution</i>	2	7
		Total	14	

