

Question			Marking points	Further guidance	Marks
1	(a)	(i)	Elliptical orbits + Sun at one focus Equal areas in equal times $T^2 \propto R^3$	Allow 'around sun'  Allow $T^2 = R^3$	1 1 1 1
		(ii)	Copernicus - circular orbits		1
	(b)		$F = Gm_1m_2/r^2$ , <u>terms defined</u>	Or in words	1
	(c)	(i)	6.09, 1.20 6.55, 1.90	No sig. fig. penalties	1 1
		(ii)	4 points plotted correctly straight line of best fit		1 1
	(d)	(i)	b = gradient gradient measured with suitably large triangle $b = 1.5 \pm 0.1$	Allow ecf from (ii) Don't allow derivation from $T^2 = kR^3$	1 1 1
		(ii)	$\lg 21.2 = 1.326$ Interpolate to $\lg R = 6.18$ $R = 10^{6.18} = (1.5 \pm 0.1) \times 10^6$ km		1 1 1
2	(a)		A measure of brightness As seen from Earth		1 1
	(b)		$m_s - m_g = 2.5 \lg (I_g/I_s)$ $I_g/I_s = 10^{-0.4(m_s - m_g)}$ $I_g/I_s = 10^{10.184}$ $= 1.53 \times 10^{10}$	Allow correct ratio in any form	1 1 1 1
		(c)		Doppler effect/redshifted Expanding universe/Hubble law	Allow reddening by interstellar extinction
3	(a)	(i)	Nuclear fusion Hydrogen to helium	Not 'burning' Full credit for pp chain equations	1 1 1
		(ii)	Mass/luminosity/higher, MS lifetime shorter at A or vice versa		1 1
		(iii)	High mass MS stars are short lived All have become red giants No new stars being formed	Faster reactions Run out of Hydrogen	1 1
	(b)	(i)	Anywhere above MS on branches		1
		(ii)	High mass - more luminous/brighter More blue		B2
	(c)	(i)	Anywhere below left of MS		B1
		(ii)	Very faint	<u>Not</u> v small	B1
4	(a)		Gamma/Xray - opaque UV - partial Visible- transparent IR- partial Radio- partial (-1 for each error down to 0)	1 mark each, 4 max	4
		(b)	Doppler effect Red/blueshift observed LHS blueshifted, RHS redshifted Centre not shifted $\rightarrow$ broadening		1 1 1

5	(a)		Infinite universe Each line of sight ends on a star (Or shells argument)	2 for shells argument	1 1		
			so sky bright at night big bang model - finite universe and expanding radiation from distant stars redshifted	4 max for Olbers or other valid point 2 max for Big Bang	1 1 1		
		(b)	(i)	$H_0 = v/r = 21000/300$ $= 70 \text{ km s}^{-1} \text{ Mpc}^{-1}$		1	
			(ii)	$70 \text{ km s}^{-1} \text{ Mpc}^{-1} = 70000/(3 \times 10^{22}) \text{ s}^{-1}$ $T \approx 1/H_0$ $= 1/(2.3 \times 10^{-18}) = 4.2 \times 10^{17} \text{ s}$	Allow ecf from (i)	1 1 1	
			(iii)	Rate of expansion is non-uniform Because of gravity	Or other valid point	1 1	
6	(a)	(i)	$v = 0.96c \rightarrow \gamma = 3.6 \pm 0.4$ $t_0 = t/\gamma = 9.38/3.6$ $= (2.6 \pm 0.3) \text{ y}$	Allow calculation Correct subst.	1 1 1		
				(ii)	As $v \rightarrow c, \gamma \rightarrow \infty,$ so $m \rightarrow \infty,$ infinite force needed to accelerate further	Or accept infinite energy ( $E=mc^2$ )	1 1 1
				(b)	Muon decay expt Measure count rates High speed muons vs slow muons At top an bottom of mountain Fast muons live longer than slow	Or valid alternative Allow 1/5 for clocks on aircraft. 0/5 for time dilation/length contraction thought expt	1 1 1 1 1
				(a)	No experimental evidence Or unknown physics	Allow unattainable energies	1
					(b)	Matter/antimatter annihilation With slight asymmetry	Or wtte
	(c)	Thermal equilibrium Highly uniform/homogeneous		1 1			

7(a)(i) (ii)	1015 N (accept 1010-1020) 130 N (accept 125-135)	both correct, no unit penalty	1	[1]
(b)	$F = ma$ written or implicit (1015-130) = 1100a so $a = 0.80 \text{ ms}^{-2}$ (accept 0.80-0.81, accept 0.8 in place of 0.80) (1015+130) can get only 1 0 0 = 1/3 max)		1 1 1	[3]
(c)	18 $\text{ms}^{-1}$ (accept 15-21) find largest difference/distance between force graphs (and note speed) or clear from graph 'where lines cross' gets 0/1 'it is the terminal velocity' gets 0/1		1 1	[2]
(d)	49.7 $\text{ms}^{-1}$ (accept 49.5 - 50.0) speed is max. when driving force equals/balanced by drag force accept 'speed where forces are equal' if speed has been stated correctly		1 1	[2]
(e)	220 N (accept 220 - 225)  work done = force x distance = 220x1000 (=2.2x10 <sup>5</sup> J) allow ecf from incorrect graph reading 220 x 1000 only gets 1 0 1 = 2/3 22 x (anything) loses last mark		1 1 1	[3]
(f)	work done = 35(2)x1000 = 3.5(2)x10 <sup>5</sup> J	accept (3.5 - 3.6)x10 <sup>5</sup>	1	[1]
(g)	distance travelled on 1 litre at 31 $\text{ms}^{-1}$ = 2.2x16/3.5(2) = 10.0 km (9.8 - 10.1) allow (total) energy (in 1 litre of fuel) = 16 x 2.2 x 10 <sup>5</sup> for 1/2 reference to 22( $\text{ms}^{-1}$ ) or 31( $\text{ms}^{-1}$ ) gets 0/2		1 1	[2]
(h)	$ke = \frac{1}{2}mv^2$ = $\frac{1}{2} \times 1100 \times 31^2$ (= 5.29x10 <sup>5</sup> J)	subs.	1	[1]
(i)	(ke lost =) heat gained = $mc(\theta_2 - \theta_1)$ 5.3x10 <sup>5</sup> = 8x460 $\Delta\theta$ $\Delta\theta = 144 \text{ K}$ so $\theta_2 = 144 + 15 = 159 \text{ }^\circ\text{C}$  assumption: brakes initially at 15 $^\circ\text{C}$ <u>all heat is dissipated in brakes</u> no heat lost from brakes no air resistance/drag <u>not Law of Energy</u> assumption without calculation can score 1/3	either of first two lines correct (1) calculation of 144 (1) addition of 15 (1)  any assumption (1)	1 1 1  any 3	[3]
(j)	$W = Fd$ 5.3x10 <sup>5</sup> = 9300d so $d = 57 \text{ m}$ assumption: no work done against (other) drag forces car is on horizontal road air resistance negligible any valid assumption 'constant braking force' and 'constant deceleration' get 0/1	or $F = ma$ and $v^2 - u^2 = 2as$ (1) 9300 = 1100 a so $a = 8.45(\text{ms}^{-1})$ 31 <sup>2</sup> (- 0 <sup>2</sup> ) = 2x8.45 s so $s = 57 \text{ m}$ (1)	(1)  (1)  (1)  any 2	[2]