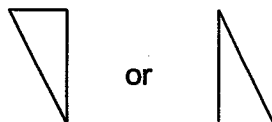


1. (a)(i) speed is distance per unit time / distance / time B1  
(ii) velocity is the displacement per unit time / displacement / time B1  
(iii) speed is a scalar, velocity is a vector B1  
velocity has a direction B1  
(speed has magnitude, velocity had magnitude and direction scores 2)
- (b)(i) 1 speed =  $(40 \times \pi) / (105 \times 2)$  C1  
=  $0.60 \text{ (m s}^{-1}\text{)}$  allow 1 s.f. A1  
2 velocity =  $40 / 105$  C1  
=  $0.38 \text{ (m s}^{-1}\text{)}$  A1
- (ii) 1  $0.60 \text{ (m s}^{-1}\text{)}$  allow ecf ((b)(i)) A1  
2 0 A1  
suitable comment for 2 e.g. there is no displacement B1
- (c) different magnitudes B1  
different directions B1  
directions:  
the average velocity is along the diameter / upwards B1  
the instantaneous velocity is tangent to the circle / to the left B1  
magnitudes:  
instantaneous velocity equals average speed B1  
average velocity is less as displacement is less B1

MAX 3

TOTAL [14]

2. (a)(i) vector triangle drawn (with arrows) showing the correct directions B1  
suitable scale / correct working B1  
velocity  $256 \text{ (kmh}^{-1}\text{)} / 71.1 \text{ m s}^{-1}$  A1  
direction  $21^\circ$  (west of north)  $(20.5) / 339$  A1  
if scale diagram used:  
(allow velocity of 240 to 270 and angle of 19 to 22)



- (ii) 1 40 (km) A1  
2 15 (km) A1

TOTAL [6]

3. (a) rate of change of velocity / change in velocity per unit time A1
- (b)(i) correct velocity read from graph (18) C1  
 acceleration =  $(18 - 0) / 10 = 1.8 \text{ (m s}^{-2}\text{)}$  A1
- (ii) force =  $ma$   
 $= 105000 \times 1.8$  C1  
 $= 189000 \text{ N}$  A1
- (iii) area under the graph (maybe implied from calculations) C1  
 (treated as two triangles and a rectangle)  
 areas =  $90 + 2160 + 180$  C1  
 distance = 2430 m A1
- (c)  $P = Fv$  C1  
 $F = 225 \times 10^3 / 18$   
 12500 (N) A1
- (d) frictional force increase with speed B1  
 resultant force is zero / acceleration is zero B1  
 OR friction forces oppose / act against the driving force B1  
 these forces are equal B1

MAX 2

TOTAL [12]

4. (a) density = mass / volume B1
- (b)(i) (volume =  $80 \times 1.2$ )  
 mass =  $80 \times 1.2 \times 1000$  C1  
 weight =  $80 \times 1.2 \times 1000 \times 9.8$  C1  
 $= 9.4 \times 10^5 \text{ (N)}$  A0
- (ii)  $P = W / 80$  or  $9.4 \times 10^5 / 80$  or  $P = F / A$  C1  
 $P = 1.18 \times 10^4$  A1  
 unit: Pa or  $\text{Nm}^{-2}$
- (c) same pressure / or correct calculation of the pressure B1  
 as the water is the same depth / pressure does not depend on area B1  
 (or the correct calculation of the pressure)

TOTAL [8]

5. (a)(i) horizontal distance =  $(4.0 \times 20)$   
 $= 80 \text{ (m)}$  A1
- (ii) vertical fall:  $s = ut + \frac{1}{2} at^2$  C1  
 $= 0 + 0.5 \times 9.8 (4.0)^2$  C1  
 $= 78 \text{ (m)}$  A1
- (iii) horizontal component =  $20 \text{ (m s}^{-1}\text{)}$  A1
- (iv) vertical component:  $v = u + at$   
 $= 0 + 9.8 \times 4$  C1  
 $= 39 \text{ (m s}^{-1}\text{)}$  A1
- (b)(i) friction/air resistance  
lift  
weight / force due to gravity any 2 B2
- (ii) (gravitational) potential B1  
converted to kinetic energy B1  
and thermal energy / heat / work done against friction B1
- two methods and two explanations  
or four methods  
e.g. increase speed down runway  
larger surface area of skis  
point skis upwards  
lie as flat as possible / streamlining B4
- TOTAL [16]**
6. (a)(i) force x perpendicular distance from the force to the pivot / point B2  
force x distance from pivot / point scores one
- (ii) (one) force x (perpendicular) distance between the forces B1
- (b)(i) couple =  $25 \times 0.3$   
 $= 7.5$  B1
- unit: Nm (consistent with working) B1
- (ii) (resultant force is zero) resultant turning effect is not zero / there is a B1  
clockwise movement B1  
not in equilibrium
- TOTAL [7]**

7. (a) stress/ strain M1  
with qualification e.g. elastic limit, within limit of proportionality  
tensile stress, tensile strain, Hooke's law obeyed A1
- (b)(i)  $e/l = 0.55 \times 10^{-3} / 1.8$  C1  
 $= 3.1 \times 10^{-4}$  (3.056)
- (ii)  $E = F \times l / A \times e$   
 $F = 2 \times 10^{11} \times 3.1 \times 10^{-4} \times 1.2 \times 10^{-7}$  C1  
 $F = 7.33$  (N) A1
- (c)(i) E is half therefore e will be twice C1  
 $e = 1.1$  (mm) A1  
(or suitable calculation)
- (ii) limit of proportionality not exceeded / elastic limit is not exceeded /  
temperature of wires the same / Hooke's law applies B1
8. (a)(i) thinking distance =  $25 \times 0.65 = 16(.25)$  C1  
stopping distance =  $40 + 16.25 = 56(.25)$  (m) A1
- (ii)  $Ke = \frac{1}{2} \times 800 (25)^2$  C1  
 $= 250 \times 10^3$  (J) A1
- (iii) work done (by braking force) = loss in  $Ke / (25)^2 = 0 + 2a \times 40$  C1  
 $F \times 40 = 250000$  /  $a = 7.81$  C1  
 $F = 6250$  (N) A1
- (b)(i) less friction force B1  
hence less deceleration / greater stopping distance B1
- (ii) reduced tread gives less friction due to water layer  
OR tread required to remove layer of water M1  
consistent effect on stopping distance or acceleration A1
- (iii) gravitational potential energy converts to  $Ke$  B1  
total  $Ke$  is greater B1  
(for same braking force) distance will increase B1  
OR terms of forces:  
Force acts down slope / component of weight acts down slope B1  
less opposing force / resultant force / less deceleration B1  
distance increases B1

TOTAL [14]

QWC 4

TOTAL [90]