| Materials required for examination | Items included with question papers |
| :---: | :---: |
| Answer Book (AB16) | Nil |
| Graph Paper (ASG2) |  |
| Mathematical Formulae (Lilac) |  |
| Candidates may only use one of the Qualifications and Curriculum Aut | fic calculators approved by the |

## Instructions to Candidates

In the boxes on the answer book, write the name of the examining body (Edexcel), your centre number, candidate number, the unit title (Pure Mathematics P1), the paper reference (6671), your surname, initials and signature.

When a calculator is used, the answer should be given to an appropriate degree of accuracy.

## Information for Candidates

A booklet 'Mathematical Formulae and Statistical Tables' is provided.
Full marks may be obtained for answers to ALL questions.
This paper has eight questions. Pages 7 and 8 are blank.

## Advice to Candidates

You must ensure that your answers to parts of questions are clearly labelled.
You must show sufficient working to make your methods clear to the Examiner. Answers without working may gain no credit.

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1. 

$$
y=7+10 x^{\frac{3}{2}}
$$

(a) Find $\frac{\mathrm{d} y}{\mathrm{~d} x}$.
(b) Find $\int y d x$.
2. (a) Sketch, for $0 \leq x \leq 360^{\circ}$, the graph of $y=\sin \left(x+30^{\circ}\right)$.
(b) Write down the coordinates of the points at which the graph meets the axes.
(c) Solve, for $0 \leq x<360^{\circ}$, the equation

$$
\sin \left(x+30^{\circ}\right)=-\frac{1}{2} .
$$

3. (a) Given that $3^{x}=9^{y-1}$, show that $x=2 y-2$.
(b) Solve the simultaneous equations

$$
\begin{aligned}
& x=2 y-2 \\
& x^{2}=y^{2}+7
\end{aligned}
$$

4. A geometric series has first term 1200. Its sum to infinity is 960 .
(a) Show that the common ratio of the series is $-\frac{1}{4}$.
(b) Find, to 3 decimal places, the difference between the ninth and tenth terms of the series.
(c) Write down an expression for the sum of the first $n$ terms of the series.

Given that $n$ is odd,
(d) prove that the sum of the first $n$ terms of the series is

$$
\begin{equation*}
960\left(1+0.25^{n}\right) \tag{2}
\end{equation*}
$$

5. On a journey, the average speed of a car is $v \mathrm{~m} \mathrm{~s}^{-1}$. For $v \geq 5$, the cost per kilometre, $C$ pence, of the journey is modelled by

$$
C=\frac{160}{v}+\frac{v^{2}}{100} .
$$

Using this model,
(a) show, by calculus, that there is a value of $v$ for which $C$ has a stationary value, and find this value of $v$.
(b) Justify that this value of $v$ gives a minimum value of $C$.
(c) Find the minimum value of $C$ and hence find the minimum cost of a 250 km car journey.

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6. The straight line $l_{1}$ with equation $y=\frac{3}{2} x-2$ crosses the $y$-axis at the point $P$. The point $Q$ has coordinates $(5,-3)$.
(a) Calculate the coordinates of the mid-point of $P Q$.

The straight line $l_{2}$ is perpendicular to $l_{1}$ and passes through $Q$.
(b) Find an equation for $l_{2}$ in the form $a x+b y=c$, where $a, b$ and $c$ are integer constants.

The lines $l_{1}$ and $l_{2}$ intersect at the point $R$.
(c) Calculate the exact coordinates of $R$.

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7. 

## Figure 1



Figure 1 shows the cross-section $A B C D$ of a chocolate bar, where $A B, C D$ and $A D$ are straight lines and $M$ is the mid-point of $A D$. The length $A D$ is 28 mm , and $B C$ is an arc of a circle with centre $M$.

Taking $A$ as the origin, $B, C$ and $D$ have coordinates $(7,24),(21,24)$ and $(28,0)$ respectively.
(a) Show that the length of $B M$ is 25 mm .
(b) Show that, to 3 significant figures, $\angle B M C=0.568$ radians.
(c) Hence calculate, in $\mathrm{mm}^{2}$, the area of the cross-section of the chocolate bar.

Given that this chocolate bar has length 85 mm ,
(d) calculate, to the nearest $\mathrm{cm}^{3}$, the volume of the bar.

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8. 

Figure 2


The curve C, shown in Fig. 2, represents the graph of

$$
y=\frac{x^{2}}{25}, x \geq 0
$$

The points $A$ and $B$ on the curve $C$ have $x$-coordinates 5 and 10 respectively.
(a) Write down the $y$-coordinates of $A$ and $B$.
(b) Find an equation of the tangent to $C$ at $A$.

The finite region $R$ is enclosed by $C$, the $y$-axis and the lines through $A$ and $B$ parallel to the $x$-axis.
(c) For points $(x, y)$ on $C$, express $x$ in terms of $y$.
(d) Use integration to find the area of $R$.

## END

