GCE 2004 November Series



Mark Scheme

Mathematics A (MAD1)

Mark schemes are prepared by the Principal Examiner and considered, together with the relevant questions, by a panel of subject teachers. This mark scheme includes any amendments made at the standardisation meeting attended by all examiners and is the scheme which was used by them in this examination. The standardisation meeting ensures that the mark scheme covers the candidates' responses to questions and that every examiner understands and applies it in the same correct way. As preparation for the standardisation meeting each examiner analyses a number of candidates' scripts: alternative answers not already covered by the mark scheme are discussed at the meeting and legislated for. If, after this meeting, examiners encounter unusual answers which have not been discussed at the meeting they are required to refer these to the Principal Examiner.

It must be stressed that a mark scheme is a working document, in many cases further developed and expanded on the basis of candidates' reactions to a particular paper. Assumptions about future mark schemes on the basis of one year's document should be avoided; whilst the guiding principles of assessment remain constant, details will change, depending on the content of a particular examination paper.

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Key to Mark Scheme

Mmark is for	method
mmark is dependent on o	one or more M marks and is for method
Amark is dependent on N	M or m marks and is for accuracy
Bmark is independent of	M or m marks and is formethod and accuracy
	explanation
\checkmark or ft or F	follow through from previous
	incorrect result
CAO	correct answer only
AWFW	anything which falls within
AWRT	anything which rounds to
AG	answer given
SC	special case
	or equivalent
A2,1	2 or 1 (or 0) accuracy marks
-x EE	deduct x marks for each error
	no method shown
PI	possibly implied
SCA	substantially correct approach
c	candidate
SF	significant figure(s)
DP	decimal place(s)

Abbreviations used in Marking

$\mathbf{MC} - \mathbf{x}$ deducted	x marks for mis-copy
MR – x deducted	
ISWignore	
BOD	
WRwork	
FB	

Application of Mark Scheme

No method shown:

Crossed out work

More than one method/choice of solution:

2 or more complete attempts, neither/none crossed out

1 complete and 1 partial attempt, neither crossed out

mark both/all fully and award the mean mark rounded down award credit for the complete solution only

do not mark unless it has not been replaced

Alternative solution using a correct or partially correct method

award method and accuracy marks as appropriate

MAD1

Q	Solution	Marks	Total	Comments
Q	Solution	IVIAI KS	TULAT	Comments
1	21 13 35 46 7 12 49 25	M1		SCA
	13 21 35 46 7 12 49 25	A1		1 st interchange
	13 21 35 46 7 12 49 25 13 21 35 46 7 12 49 25			Pass with no change
	7 13 21 35 46 12 49 25	A1		Tubb with no change
	7 12 13 21 35 46 49 25			
	7 12 13 21 35 46 49 25	A1		Pass with no change
	7 12 13 21 25 35 46 49	A1	5	All correct
	Total		5	
2(a)	$x \ge 7, y \ge 7$	B1		Both
	$y \le 2x$	B1		
		D1		
	$y \ge \frac{1}{3}x$	B1		
	$2y + x \le 40$	M1A1		OE; M1 for – ve gradient
	$3x + 4y \ge 60$	M1A1	7	OE; M1 for – ve gradient
		1,11111	,	SE, III ISI VE GIALIEN
(b)	Max at (8, 16)	M1A1		M1 Considering extremes
(b)			2	Wit Considering extremes
	= 96	A1	3	
2(a)	Total		10	
3(a)				
		M1		Compat amond
	X	A1	2	Correct graph 4 vertices
		AI	2	4 vertices
(b)(i)	15	B1	1	
(6)(1)		וע	1	
(ii)	5	B1	1	
(11)		וט	1	
(;;;)	No, order of vertices is odd	E1	1	
(111)	140, order or vertices is odd	151	1	
	n(n-1)			
(c)(i)	$\frac{n(n-1)}{2}$	B1	1	OE
	2			
(ii)	n-1	B1	1	
(iii)	n ODD	B1	1	OE
	Total		8	

MAD1 (cont)

Q	Solution	Marks	Total	Comments
4(a)(i)	odd vertices	E1	1	
(ii)	C, D, E, F			
	CD + EF = 200 + 150 = 350	M1		
	CE + DF = 200 + 200 = 400	A2,1,0		
	CF + DE = 325 + 50 = 375			
	Repeat CGD & EF	B1		
	Tour with	M1		
	A2, B2, C2, D2, E2, F2, G3	A1		
	Distance = $1500 + 350$			
	= 1850	B1F	7	
(b)	$1\times3\times5=15$	M1A1	2	
	Total		10	

MAD1 (cont)

MAD1 (cont		Marks	Total	Comments
Q 5(a)(i)	Solution 20 B C 35 (C 35 IS D (S 34) (S 3) (S 4) (Marks M1 A1 M1 A1	Total	SCA At C 3 values at G 2 values at J 2 correct values at K
	Route A D F K L Time 80	B1 B1	7	
(ii)	B to L = 62	B1	1	
(b)	ABL > 80	M1		
	$\therefore BL \ge 60$	A1		
	BL < 62	_	_	Allow 60 and 61
	∴ 60 ≤ BL < 62	B1F	3	
	Total		11	

MAD1 (cont)

MADI (C		N/1	T-4-1	C
Q	Solution	Marks	Total	Comments
6(a)	E P T E - 130 150 P 130 - 100 T 150 100 -	B3,2,1,0	3	
(b)	$C \rightarrow P \rightarrow T \rightarrow A \rightarrow E \rightarrow C$ $40 100 145 95 90$ $= 470$	M1 M1 A1 B1	4	Tour starts and finishes at <i>C</i> Visits every vertex All correct
(c)	Actual route C P C T C A E C Once each A, E, P, T 2 (+2) C	M1 A1	2	
	Total		9	
7	$x \ge 10$ $y \ge 10$ $z \ge 10$ $x + y + z \ge 100$	B1 B1		all three
	$2x+5y+3z \le 400$ $y \ge \frac{2}{5}(x+y+z)$ $\Rightarrow 3y \ge 2x+2z$	M1 A1		Any inequality with 3 terms i.e. $0.4x - 0.6y + 0.4z \le 0$
	$z \le \frac{3}{5} \left(x + y \right)$	M1A1	7	
	Total		7	
	Total		60	