Candidate Name	Centre Number	Candidate Number

WELSH JOINT EDUCATION COMMITTEE General Certificate of Education Advanced Subsidiary/Advanced



CYD-BWYLLGOR ADDYSG CYMRU Tystysgrif Addysg Gyffredinol Uwch Gyfrannol/Uwch

541/01

### **PHYSICS**

ASSESSMENT UNIT PH1: Waves, Light and Basics

A.M. FRIDAY, 8 June 2007

(1 hour 30 minutes)

#### ADDITIONAL MATERIALS

In addition to this examination paper, you may require a calculator.

### INSTRUCTIONS TO CANDIDATES

Write your name, centre number and candidate number in the spaces at the top of this page.

Answer all questions.

Write your answers in the spaces provided in this booklet.

You are advised to spend not more than 45 minutes on questions 1 to 5.

### INFORMATION FOR CANDIDATES

The total number of marks available for this paper is 90.

The number of marks is given in brackets at the end of each question or part question.

Total

For Examiner's use only.

1

2

3

4

5

6

7

You are reminded of the necessity for good English and orderly presentation in your answers.

You are reminded to show all working. Credit is given for correct working even when the final answer given is incorrect.

Your attention is drawn to the table of "Mathematical Data and Relationships" on the back page of this paper.

No certificate will be awarded to a candidate detected in any unfair practice during the examination.

# Fundamental Constants

Avogadro constant	$N_A = 6.0 \times 10^{23} \text{ mol}^{-1}$
Fundamental electronic charge	$e = 1.6 \times 10^{-19} \mathrm{C}$
Mass of an electron	$m_e = 9.1 \times 10^{-31} \mathrm{kg}$
Mass of a proton	$m_{\rm p} = 1.67 \times 10^{-27} \rm kg$
Molar gas constant	$R = 8.3 \text{ J mol}^{-1} \text{ K}^{-1}$
Acceleration due to gravity at sea level	$g = 9.8 \text{ m s}^{-2}$
[Gravitational field strength at sea level	$g = 9.8 \text{ N kg}^{-1}$
Universal constant of gravitation	$G = 6.7 \times 10^{-11} \mathrm{N m^2 kg^{-2}}$
Planck constant	$h = 6.6 \times 10^{-34} \mathrm{J s}$
Boltzmann constant	$k = 1.38 \times 10^{-23} \text{ J K}^{-1}$
Unified mass unit	$1 \text{ u} = 1.66 \times 10^{-27} \text{ kg}$
Speed of light in vacuo	$c = 3.0 \times 10^8 \text{ m s}^{-1}$
Permittivity of free space	$\varepsilon_{\rm o} = 8.9 \times 10^{-12}  {\rm F m^{-1}}$
Permeability of free space	$\mu_{\rm o} = 4\pi \times 10^{-7}  {\rm H \ m^{-1}}$

1.	(a)	Rubber is a <i>polymer</i> . Explain the term polymer.	[1]
	(b)	A stress-strain graph for rubber is shown below.	
		stress B C strain	
		Explain, in terms of molecules,	
		(i) why the curve in the region AB is not very steep,	[2]
		(ii) why the curve in the region CD is much steeper.	[2]
	(c)	(i) Define the Young modulus.	[1]
		(ii) Explain, in terms of this definition, why the Young modulus for rubber i compared with steel.	s low [2]
	(d)	Car tyres are a composite of rubber and steel.  (i) Give one property of rubber that makes it suitable for use in car tyres.	[1]
		(ii) Give one property of steel that makes it suitable for use in car tyres.	[1]

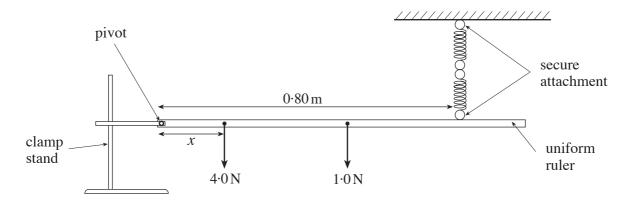
[1]

<b>2.</b> (a)	<ul><li>Defin</li></ul>	e the sprin	ig constant, k.

(b)	The diagram shows two identical light springs, each with a spring constant, $k$ , of $k$	$24 \text{ Nm}^{-1}$ ,
	connected together in series. Determine the overall spring constant for the spring	system.
	Explain your answer.	[3]



(c) The following apparatus is set up to investigate moments using the same springs as in (b). A uniform  $1.0 \,\mathrm{m}$  ruler weighing  $1.0 \,\mathrm{N}$  is pivoted at one end. A  $4.0 \,\mathrm{N}$  weight is suspended from the ruler at a distance x from the pivot in order to make the ruler horizontal.



(i) Using your answer to (b) and the following data, determine the tension in the springs when the ruler is horizontal.

Unstretched length of **each** spring =  $4.0 \, \text{cm}$ .

Str	etched lengt	h of <b>both</b> spi	rings when th	ne ruler is ho	orizontal = 18.	0 cm.	[3]

,	Hence calculate <i>x</i> .	[3]

3.	(a) 		sometimes written as $\Sigma F = ma$ . mple to illustrate your answer.	[2]	
	(b)	A crane has a maximum sa mass 1000 kg.	fe work	ring load of 12000 N. It is used to lift a cond	crete block of
			(i)	Determine the tension in the cable when lifted at constant speed. [Refer to the data	
con		el cable ————————————————————————————————————	(ii)	Calculate the maximum safe upward accel block.	eration of the [3]
	(c)	Young modulus of $2.0 \times 10$ cable changes depending of constant speed. At one point	O <sup>11</sup> Nm <sup>-2</sup> on whet	ea of $1.2 \times 10^{-3}$ m <sup>2</sup> and is made from steel. As the concrete block moves upwards the her the block is accelerating, decelerating motion the strain of the cable is $3.75 \times 10^{-5}$ . Table that produces this strain.	tension in the
		(ii) Hence state whether speed at this point. Ex		ock is accelerating, decelerating or movin our reasoning.	g at constant

State Snell's law of refraction.	[:	
The diagram shows two light rays entering an optical fibre.		
cladding		
ray 1		
ray 2		
(i) Use the information in the diagram to calculate the refractive index of the fibre.	opti	
(ii) Suggest, giving a reason for your answer, a suitable range for the refractive i the cladding.	nde	
(iii) Determine the time taken for <b>ray 1</b> to travel 10 km along the length of this fibre. [Refer to the data on page 2].		

5.	(a)	(a) Sound is a <i>longitudinal</i> wave. Explain the term longitudinal.			
	(b)	The	speed of sound waves $(v)$ in a metal rod can be given by the equation		
			$v^2 = \frac{E}{\rho}$		
		whe	re E is the Young modulus of the metal and $\rho$ is the density of the metal.		
		(i)	Use the equation to find the speed of sound in a steel rod with Young mod $2 \cdot 1 \times 10^{11}  \text{Nm}^{-2}$ and density 7800 kg m <sup>-3</sup> .	ulus [1]	
		(ii)	Show that the equation is correct in terms of units (or dimensions).	[4]	
		(iii)	Two students stand a distance d apart beside a long steel rail on a still day.		
			student places his ear against the rail while the other gives the rail a sharp knock a hammer. The first student hears two sounds, first the sound that travelled through the steel rail and, 0.40s later, the sound that travelled through the air. Using y answer to $(b)(i)$ , and given that the speed of sound in air is 330 ms <sup>-1</sup> , calculate d.	ough your	

6.	(a)	Distinguish between <i>speed</i> and <i>velocity</i> . [2]
	(b)	A NASA Moon vehicle is being used to determine an accurate value for the acceleration due to gravity on the Moon. The vehicle is remotely controlled and positioned so that it is stationary and on level ground. A projectile is fired vertically upwards from the deck of the vehicle and it reaches a height of 3.6 m before landing back on the vehicle. The time of flight is 4.26 s. Note: There is no atmosphere on the Moon.
		(i) Show that the initial vertical velocity of the projectile is 3·4 ms <sup>-1</sup> . [3]
		(ii) Hence or otherwise determine the acceleration due to gravity on the Moon. [3]
		(iii) The time taken for the projectile to reach a height of 2·4 m is 0·90 s. Write down one other time when the projectile is at this height. [2]

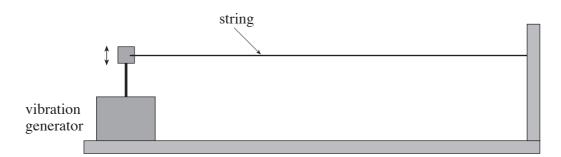
	(iv)	owing the force(s) acting on above the vehicle, and also e forces. [3]						
	1 <sup>st</sup> tim	e at 2·4 m	at 3·6 m	l	2 <sup>nd</sup> time at 2·4 m			
	(v)	(v) Explain whether or not this would be a valid method of determining the acceleration due to gravity on the <b>Earth</b> . [2]						
(c)	The Moon vehicle is now made to travel in a straight line along the horizontal surface at constant speed of $2.0 \text{ ms}^{-1}$ , when the projectile is again fired with a vertical speed of $3.4 \text{ ms}^{-1}$ .							
	(i)	Calculate the r	esultant initial velocity of th	e projectile.	[3]			
	(ii)		the projectile will land be in your answer in terms of th					

7. (a) A Physics text book gives the following definition for stationary waves.

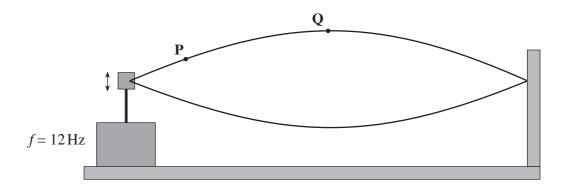
Stationary waves are oscillations that are formed when progressive waves of the same amplitude and frequency, moving in opposite directions, superpose.

(i)	Explain the term amplitude.	[1]
(ii)	Explain the term superpose.	[1]

(b) A student sets up the following apparatus to investigate stationary waves on a string of length 1.8 m.



The student notices that, as the frequency of the vibration generator is steadily increased, stationary waves are produced only at certain well-defined frequencies. The first stationary wave to be seen (below) has one loop and occurs at a **frequency of 12 Hz**. **P** and **Q** are two points on the string.



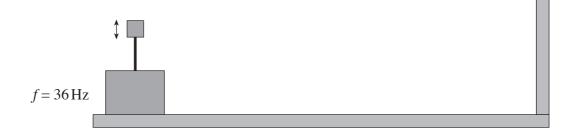
[3]

(i)	Compare the motion of points $P$ and $Q$ , paying attention to direction of mamplitude and phase.	otion [3]
(ii)	Show that the wavelength of this stationary wave is 3.6 m.	[1]
(iii)	Calculate the speed of the waves travelling along the string.	[2]

The second stationary wave pattern seen has 2 loops and occurs at a frequency of  $24\,\mathrm{Hz}$ . The third pattern has three loops and occurs at  $36\,\mathrm{Hz}$ .



Sketch these patterns on the diagrams below.



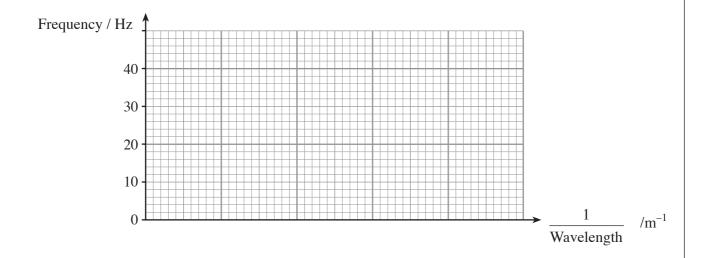
*(c)* 

[5]

(ii) Complete the following table. Space is provided for your calculations.

Frequency / Hz	12	24	36
Number of loops	1	2	3
Wavelength /m	3.6		
$\frac{1}{\text{Wavelength}} / \text{m}^{-1}$			
Speed of waves / ms <sup>-1</sup>			

(iii) Complete the graph of frequency against  $\frac{1}{\text{Wavelength}}$ . The frequency axis has been inserted for you. [1]



(iv) Using your graph, state the relationship between frequency and wavelength. [1]

(v) Calculate the gradient of your graph. What does this gradient represent? [2]



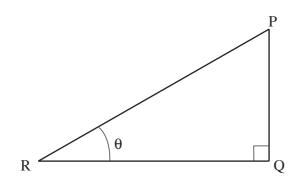
## **Mathematical Data and Relationships**

# SI multipliers

Multiple	Prefix	Symbol
$10^{-18}$	atto	a
10 <sup>-15</sup>	femto	f
10 <sup>-12</sup>	pico	p
10 <sup>-9</sup>	nano	n
$10^{-6}$	micro	μ
$10^{-3}$	milli	m

Multiple	Prefix	Symbol
$10^{-2}$	centi	С
10 <sup>3</sup>	kilo	k
10 <sup>6</sup>	mega	M
10°	giga	G
10 <sup>12</sup>	tera	Т
10 <sup>15</sup>	peta	P

# Geometry and trigonometry



$$\sin \theta = \frac{PQ}{PR}$$
,  $\cos \theta = \frac{QR}{PR}$ ,  $\tan \theta = \frac{PQ}{QR}$ ,  $\frac{\sin \theta}{\cos \theta} = \tan \theta$   
 $PR^2 = PQ^2 + QR^2$ 

## **Areas and Volumes**

Area of a circle =  $\pi r^2 = \frac{\pi d^2}{4}$ 

Area of a triangle =  $\frac{1}{2}$  base × height

Solid	Surface area	Volume
rectangular block	$2\left(lh+hb+lb\right)$	lbh
cylinder	$2\pi r(r+h)$	$\pi r^2 h$
sphere	$4\pi r^2$	$\frac{4}{3} \pi r^3$