

2822: Electrons and photons

1			
(a)	Flow = movement of charge / charged particles (Allow current = rate of flow of charge = current = rate of change of charge)	AW	B ⁺
(b)	The charge (flowing past a point) in 1s when current is 1A (Allow $Q = 1A \times 1s$)		B ⁻
(c)(i)	$I = \frac{\Delta Q}{\Delta t}$ $I = \frac{340}{50}$ (Allow any subject - with or without Δ) 6.8(A)		C ⁺ A ⁻
(c)(ii)	There is magnetic field (around the current-carrying strip) and hence a force 2 (Fleming's) left-hand rule 3 Towards A ⁺ / to the left (Allow direction given on Fig 1.1)	AW	B1 M1 B ⁻ [Total : 7]
2			
(a)	current \propto voltage / p.d. (for a metal conductor) [Allow $I \propto V$ because of (b)] as long as temperature remains constant / all physical conditions remain the same ($V \propto IR$ and R constant - scores 1 & 2) ($I \propto R$ - scores 0 & 2)		M1 A1
(b)(i)	(Semiconductor) diode		B1
(b)(ii)	Any five from: Resistance is given by $R = \frac{V}{I}$ (Allow the use of R for resistance in this question) The resistance is not constant / Diode is a non-ohmic (component) For <u>negative</u> values(s) of V resistance is infinite / (very) large (Allow a calculation) For V - values(s) less than 0.6 (V) the resistance is infinite / (very) large (Accept 0.62 V) For V - values(s) greater than 0.6 (V) the resistance is small / less For V - values(s) greater than 0.6 (V) the resistance decreases (as V increases) (Also scores mark above) Resistance correctly calculated at one point (Assume values are in ohms if unit is not given) Resistance correctly calculated at another point (Allow 'voltage increases the resistance decreases' if there is no reference to D & V and the second mark above is not scored) QWC - 'Spelling and grammar'		B1 + 5 [Total : 9]
3			
(a)	sum of current(s) into a point / junction = sum of current(s) out (from the point / junction) (- for omission of 'point' or 'sum' at the statement of the law) (Algebraic sum of current(s) at a point = 0 - scores 2 & 1)		B2
(b)(i)	Thermistor		B ⁻
(b)(ii)	$I = 51$ (mA) $I = 9$ (mA) $I = 19$ (mA)		B ⁺ B ⁻ B1 [Total : 6]

4

- (a) $R = R_1 + R_2$ $R = 200 + 20$ $R = 320$ C1
 current $= \frac{8.0}{320}$ C1
 current $= 2.5 \times 10^{-2}$ (A) A2
- (b) $I = 7.5 \times 10^{-2} \times 120$ $I = \frac{120}{120 + 200} \times 8.0$
 $I = 3.0$ (A) (Possible ecf) B1
- (c) p.d. across the 360 (Ω) resistor = p.d. across the 20 (Ω) resistor
 There is no current between A and B on the voltmeter
 (Allow 'A & B have same voltage' = B0) B1
- The p.d. calculated across 360 Ω resistor is shown to be 3.0 V
 The ratio of the resistances of the resistors is shown to be the same B1
 [Total : 5]

5

- (a) Correct field direction B1
 Correct field pattern (minimum of three lines) B1
- (b)(i) length = $2\pi \times 2.8 \times 10^{-2} \times 20$ length = $2\pi \times 2.8 \times 20$ M1
 length = 3.52 (m) = 3.5 (m) length = 350 (mm) A0
- (b)(ii) $B = \frac{\mu_0 I}{r}$ (Allow no subject) C1
 $B = \frac{4.0 \times 10^{-7} \times 3.5}{8.4 \times 10^{-2}}$ C1
 $B = 2.04 \approx 2.0$ (T) (B = 2.05 = 2.1 (T) if 3.52 m is used) A2
- (c)(i) $I = 6.0 \times 2.04$ (Possible ecf) (Allow initial current 5.7 A to 6.0 A) C1
 $I = 12.2 \approx 12$ (A) (Allow $I = 2.0 \times 2.04 \approx 4.1$ (A)) 1 mark A2
- (c)(ii) $P = I^2 R$ (Allow $P = I R$ or $P = I^2 R$) C1
 $P = 12 \times 6.0$ (Possible ecf) A2
 $P = 72$ watt = W = J s⁻¹ = VA B1
- (c)(iii) Any four from B1 x 4
 The temperature of the coil increases – the coil gets 'hotter' (Allow 'coil heats up')
 The resistance/resistivity of coil increases (as its temperature increases)
 The decrease in current is linked to $I = \frac{E}{R}$
 More frequent collisions of electrons and vibrating atoms/ions (as temperature/resistance increases)
 The coil eventually reaches steady temperature – constant (highest) resistance
- QW3 = Organisation B
 [Total : 16]

6			
(a)	particle(s) (KE) particle (nature)	Sharon ('behaviour')	B1
(b)(i)	A 'packet' of energy / radiation (Do not allow 'particle of light')	A quantum of EM radiation / energy / light	B1
(b)(ii)	The minimum frequency (of the EM radiation) for emission of electrons / photoelectric effect		B1
(c)(i)	Visible (light)		B1
(c)(ii)	work function = 1.9×10^{-19} J work function = 3.01×10^{-19} J (1.9×10^{-19} J)		M1 A0
(c)(iii)	$E = hf = L \frac{hc}{\lambda}$ $f = \frac{6.63 \times 10^{-34} \times 3.0 \times 10^8}{5.1 \times 10^{-7}}$ $E = 3.9 \times 10^{-19}$ (J)		C1
	$2. hf = \phi + KE_{\text{max}} \quad hf = \phi + \frac{1}{2}mv^2$ (Allow $E = \phi + \frac{1}{2}mv^2$ if E is qualified in (c)(iii).)		C1
	$3.9 \times 10^{-19} = 3.01 \times 10^{-19} + KE_{\text{max}} \quad 3.9 \times 10^{-19} = 3.01 \times 10^{-19} + \frac{1}{2}mv^2$		C1
	$KE = 9.9 \times 10^{-20}$ (J) $\therefore KE = 8.6 \times 10^{-20}$ (J) (Possible ecf)		A1
(c)(iv)	No change (to maximum KE of electron) [each photon has same energy (but there are fewer photons)]		B1 B
(c)(v)	number of protons = $\frac{80 \times 10^{-3}}{3.9 \times 10^{-9}} = 2.05 \times 10^{13}$ (Possible ecf)		C1
	number of electrons = $0.07 \times \frac{80 \times 10^{-3}}{3.9 \times 10^{-19}}$		
	number of electrons = 1.43×10^{18} (s ⁻¹) $\approx 1.4 \times 10^{18}$ (s ⁻¹)		A1
(d)	$\lambda = \frac{h}{mv}$ (Allow any subject)		C1
	$5.1 \times 10^{-7} = \frac{6.63 \times 10^{-34}}{9.11 \times 10^{-31} \times v}$		C1
	$v = 1.43 \times 10^6 \approx 1.4 \times 10^6$ (ms ⁻¹)		A1

[Total : 17]