

OXFORD CAMBRIDGE AND RSA EXAMINATIONS Advanced Subsidiary GCE

PHYSICS A

2821

Forces and Motion

Monday

14 JANUARY 2002

Morning

1 hour 30 minutes

Candidates answer on the question paper. Additional materials:

Electronic calculator Ruler

Protractor

Candidate Name	C	entr	e Nı	umb	er		didate nber	

TIME 1 hour 30 minutes

INSTRUCTIONS TO CANDIDATES

- Write your name in the space above.
- Write your Centre number and Candidate number in the boxes above.
- Answer all the questions.
- Write your answers in the spaces on the question paper.
- Read each question carefully and make sure you know what you have to do before starting your answer.

INFORMATION FOR CANDIDATES

- The number of marks is given in brackets [] at the end of each question or part question.
- You will be awarded marks for the quality of written communication where this is indicated in the question.
- You may use an electronic calculator.
- You are advised to show all the steps in any calculations.

FOR EXAMINER'S USE					
Qu	Max.	Mark			
1	14				
2	6				
3	12				
4	8				
5	16				
6	7				
7	9				
8	14				
QWC	4				
TOTAL	90				

Data

speed of light in free space,	$c = 3.00 \times 10^8 \text{ m s}^{-1}$
permeability of free space,	$\mu_0 = 4\pi \times 10^{-7}~{\rm Hm^{-1}}$
permittivity of free space,	$\epsilon_0 = 8.85 \times 10^{-12} \; \mathrm{F} \mathrm{m}^{-1}$
elementary charge,	$e = 1.60 \times 10^{-19} \text{ C}$
the Planck constant,	$h = 6.63 \times 10^{-34} \mathrm{J}\mathrm{s}$
unified atomic mass constant,	$u = 1.66 \times 10^{-27} \text{ kg}$
rest mass of electron,	$m_{\rm e} = 9.11 \times 10^{-31} \text{ kg}$
rest mass of proton,	$m_{\rm p} = 1.67 \times 10^{-27} \text{ kg}$
molar gas constant,	$R = 8.31 \text{ J K}^{-1} \text{ mol}^{-1}$
the Avogadro constant,	$N_{\rm A} = 6.02 \times 10^{23} {\rm mol}^{-1}$
gravitational constant,	$G = 6.67 \times 10^{-11} \text{ N m}^2 \text{ kg}^{-2}$
acceleration of free fall,	$g = 9.81 \text{ m s}^{-2}$

Formulae

$$s = ut + \frac{1}{2}at^2$$

$$v^2 = u^2 + 2as$$

$$n = \frac{1}{\sin C}$$

$$\frac{1}{C} = \frac{1}{C_1} + \frac{1}{C_2} + \dots$$

$$C = C_1 + C_2 + \dots$$

$$x = x_0 \mathrm{e}^{-t/CR}$$

$$p = \frac{1}{3} \frac{Nm}{V} < c^2 >$$

$$X = X_0 e^{-\lambda t}$$
$$t_{\frac{1}{2}} = \frac{0.693}{\lambda}$$

critical density of matter in the Universe, $\rho_0 = \frac{3H_0^2}{8\pi G}$

$$p_0 = \frac{3H_0^2}{8\pi G}$$

relativity factor,

$$=\sqrt{(1-\frac{v^2}{c^2})}$$

current,

$$I = nAve$$

nuclear radius,

$$r = r_0 A^{1/3}$$

sound intensity level,

$$= 10 \lg \left(\frac{I}{I_0}\right)$$

Answer all the questions.

1	(a)	(i)	Define speed.
		(ii)	Define velocity.
	(iii)	State and explain the differences between these quantities.
			[4]

(b) Fig. 1.1 shows a fairground big wheel. The wheel is rotating in a vertical plane and carriages travel round a circle of diameter 40 m at a constant speed. The carriages complete one revolution in 3.5 minutes.

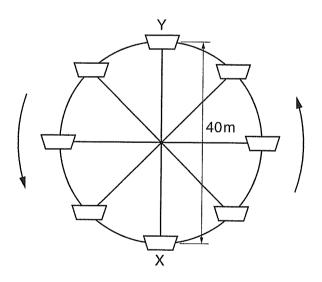


Fig. 1.1

- (i) A carriage moves half a revolution from X to Y. Calculate
 - 1. the speed of the carriage

the magnitude of the average velocity of the carriage.

				magnitude of	the average	velocity =		m s ^{–1} [4]
	(ii)	The	carriage in (b)(i) returns to po	oint X. Calcu	late, for the	e complete revolut	tion,
		1.	the speed of th	e carriage				
						speed =		m s ⁻¹
		2.	the average ve	locity of the ca	arriage.			
					average v	elocity =		m s ⁻¹
		Co	mment on your a	ınswer.				
		••••						
	_							
(c)			e how the instan of the carriage a				differs from the ave	ərage
		*****						•••••
								al: 14]
				2821	Jan02		[Turn	over

[2] [Total: 6]

2	(a)	A plane has an air speed of 240 km h ⁻¹ due north. A wind is blowing at 90 km h ⁻¹ from
		east to west. Use a vector triangle to calculate the resultant velocity of the plane.

	velocity = m s ⁻¹ ,
	direction with respect to north =[4]
(b)	The plane flies under these conditions for 10 minutes. Calculate the component of the displacement
	1. due north,
	displacement = km 2. due west.
	displacement = km

3 (a) Define acceleration.

(b) Fig. 3.1 shows the variation of the velocity v, with the time t, of a train as it travels from one station to the next. The mass of the train is 105 tonnes.

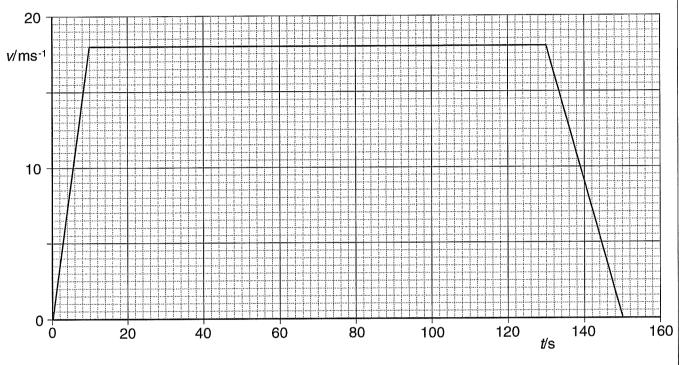


Fig. 3.1

(i) Use Fig. 3.1 to calculate the acceleration of the train in the first 10.0 s.

acceleration = m s⁻² [2]

(ii) Calculate the resultant force acting on the train during the first 10.0 s.

resultant force = N [2]

	(iii)	Use Fig. 3.1	to calculate the	distance bet	ween the two station	S.
					distance =	m [3]
(c)	Whe 225	en travelling kW of motive	at a constant v power. Calcula	elocity of 18 te the driving	m s ^{–1} the engine of force acting on the t	the train provides rain.
					driving force =	N [2]
(d)	Expl supp	lain why the plying full pow	train would reac ver.	ch a maximur	n constant velocity v	vhen the engine is
			•••••••••••••••••••••••••••••••••••••••	•••••••••••••••••••••••••••••••••••••••		
	*****			••••••		
	•••••	••••••				
	•••••					[2] [Total: 12]

•	Define <i>density</i> .
	[1]
•	

(b) Fig. 4.1 shows a swimming pool with a base of surface area $80\,\text{m}^2$. The pool contains water of density $1000\,\text{kg}\,\text{m}^{-3}$ to a uniform depth of 1.2 m.

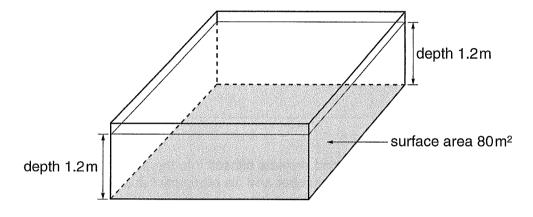


Fig. 4.1

(i) Show that the weight of water in the pool is $9.4 \times 10^5 \, \text{N}$.

[2]

(ii) Calculate the pressure exerted on the base of the pool by the water.

pressure = unit [3]

(c) A second pool, of base area 40m², has water of the same density and depth as that in the pool in part (b). Determine the pressure of the water on the base of this pool.

	pressure =
Comment on your answer.	
	[2]
	[Total: 8]

A ski jumper skis down a runway and projects himself into the air, landing on the ground a short time later. The mass of the ski jumper and his equipment is 80 kg. Fig. 5.1 shows the skier just before he leaves the runway where his velocity is 20 m s⁻¹ in a horizontal direction.

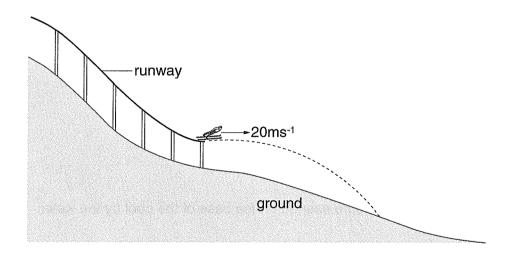


Fig. 5.1

- (a) The skier lands 4.0 s after leaving the runway. Assume that only a gravitational force acts on the skier. Calculate
 - (i) the horizontal distance travelled by the skier in 4.0 s

(ii)	the vertical fall of the skier in this 4.0 s	
	vertical fall = m	[3]
(iii)	the horizontal component of the skier's velocity immediately before he lands	
	horizontal component =ms ⁻¹	[1]
(iv)	the vertical component of the skier's velocity immediately before he lands.	

vertical component = $m s^{-1}$ [2]

(b)	(In t	this question, marks are available for the quality of written communication.)
	Tak	e all the forces that act on the skier into account.
	(i)	State the forces that act on the skier when he is in the air.
		[2]
	(ii)	Discuss the energy changes that occur as the skier travels down the runway and explain how the skier attempts to increase the horizontal distance he travels before landing on the ground.
		[7] [Total: 16]

6	(a)	(i)	Define moment of a force about a point.
		(ii)	Define torque of a couple.
			[3]
	(b)	Fig.	6.1 shows the steering wheel of a car being acted on by two equal forces.
		(i)	25N 30cm 25N Fig. 6.1 Calculate the torque acting on the wheel due to these forces.
			torque unit [2]
		(ii)	Explain whether the steering wheel is in equilibrium when subjected to these two forces only.
			[2] [Total: 7]

7	(a)	De	fine the Young modulus of a material.	
		••••		
		••••	[2]	
	(b)	A metal wire of length 1.80 m is clamped vertically and a load is applied so that it extends 0.55 mm. The cross-sectional area of the wire is $1.2\times10^{-7}\text{m}^2$ and the Young modulus of the metal is $2.0\times10^{11}\text{Pa}$.		
		(i)	Calculate the strain.	
			strain =	
		(ii)	Calculate the force applied.	
			force = N [4]	
	(c)	(i)	Determine the extension produced on a second metal wire that has the same dimensions as the wire in part (b), has the same load applied but is made from a material that has half the Young modulus value.	
			material that has hall the roung modulus value.	
			,	
			extension = mm	
		(ii)	State one assumption made.	
			[3] [Total: 9]	

8	(a)	A car of total mass 800kg is travelling along a level road at 25m s^{-1} . The thinking tim of the driver is 0.65s and the braking distance for the car travelling at this speed 40m .	
		(i)	Calculate the overall stopping distance.
			stopping distance = m
		(ii)	Calculate the kinetic energy of the car before the brakes are applied.
			kinetic energy = J
	((iii)	Calculate the average braking force of the car.
			•
			braking force = N [7]

(b)	Ex	xplain why the following factors affect the stopping distance of a car.				
	(In	(In this question, marks are available for the quality of written communication.)				
	(i)	a wet road				
	(ii)	tyre tread				
<i>(</i> i	iii)	downward slope in the read				
V	''' <i>'</i>	downward slope in the road.				
		······································				
		[7] [Total: 14]				
		[· · · · · · · · · · · · · · · · · · ·				

Quality of Written Communication [4]

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