quantity unit quantity unit fig. 1.1 mass density length force time speed from pressure speed.  (b) Using your enswer to (a), show that the unit of pressure is the same as that of the product dense speed from the speed of speed v of a space probe as it descends tow anet.  (a) State, with a reason, whether the space probe has constant vertical acceleration.  (b) Use Fig. 2.1 to determine (i) the acceleration of the space probe at $t = 10$ s,  (ii) the vertical distance moved during the time interval $t = 0$ to $t = 20$ s.  (iii) the vertical distance moved during the time interval $t = 0$ to $t = 20$ s.  (iii) the vertical distance moved during the time interval $t = 0$ to $t = 20$ s.  (iii) the vertical distance moved during the time interval $t = 0$ to $t = 20$ s.  (iv) before rest resease $t = 10$ s, $t = 10$	
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(b) Using your answer to (a), show that the unit of pressure is the same as that of the product dense Fig. 2.1 shows the variation with time t of the vertical speed v of a space probe as it descends tow let.  (a) State, with a reason, whether the space probe has constant vertical acceleration.  (b) Use Fig. 2.1 to determine (i) the acceleration of the space probe at t = 10 s,  (ii) the vertical distance reaved during the time interval t = 0 to t = 20 s.  (iii) the vertical distance reaved during the time interval t = 0 to t = 20 s.  (iii) the vertical distance reaved during the time interval t = 0 to t = 20 s.  (iii) the vertical distance reaved during the time interval t = 0 to t = 20 s.  (iv) As = 1	
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(a) State, with a reason, whether the space probe has constant vertical acceleration.  (b) Use Fig. 2.1 to determine (i) the acceleration of the space probe at $t = 10$ s,  acceleration =  (ii) the vertical distance moved during the time interval $t = 0$ to $t = 20$ s.  distance moved =  (a) b) At Before rest as a large for the space probe at $t = 10$ s,  acceleration =  (b) At Before rest as a large for the space probe at $t = 10$ s,  acceleration =  (c) At Before rest as a large for the space probe at $t = 10$ s,  acceleration =  (d) At Before rest as a large for the space probe at $t = 10$ s,  acceleration =  (d) At Before rest as a large for the space probe at $t = 10$ s,  acceleration =  (d) At Before rest as a large for the space probe at $t = 10$ s,  acceleration =  (d) At Before rest as a large for the space for the space of space as a large for the space of space	owards the surface of
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(d) by AB Before rest release 200 /50 / 13 cm Before rest release 200 / 50 / 13 cm Before rest release 200 / 50 / 13 cm Before rest release 200 / 50 / 13 cm Before rest release 200 / 50 / 13 cm Before rest release 200 / 50 / 13 cm Before rest release 200 / 50 / 13 cm Before rest release 200 / 50 / 13 cm Before rest release 200 / 50 / 13 cm Before A and B are suspended on inextensible threads so that, when they are hanging the as illustrated in Fig. 3.1(a).  Sphere A is pulled to one side so that it rises through a vertical height of 13 cm, as shown in Fig. 3.1 (c).  (a) Use the principle of conservation of energy to show that the speed of sphere A immediately before m s <sup>-1</sup> .  (b) Determine the speed v of sphere A immediately after the collision.	-2
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heart	m s <sup>-1</sup> .
(c) State and explain whether the collision is elastic or inelastic.	III 8
Transfer in the contract of th	

	. 4		mpare the spacing, ordering and motion of molecules in ice at 0°C and water, also at 0°C.	
			dering	
			otion	
			<u> </u>	[6]
		A 10	eg bone of a certain person may be modeled as a uniform solid cylinder of length 0.50 m and area of cross-section	
	5 6.0 x	10-	$^4$ m <sup>2</sup> . The Young modulus of a leg bone under compression is 1.8 x 10 $^{10}$ Pa and the maximum compressive stress	
	whic	h it c	an undergo before breaking is 1.7 x 10 8 Pa.	
		(a)	Assuming that the Young modulus is constant up to the point of fracture, calculate	
			(i) the strain at which fracture occurs,	
			strain =	
			(II) the reduction in length before the bone fractures.	
			Reduction in length = m	[4]
	,		4	(*)
·		<b>(b)</b>		
			force =N	[2]
			loice	ر کا
		(c)	The weight of the person is 750 N. Suggest, with a reason, a situation where a compressive fracture could occur.	
				[2]
(8)	6		.6.1 shows the variation with time t of the displacement x of a particle in a medium as a result of the passage of a	
	tran	SVEISO	e wave $T_1$ through the medium.  e transverse wave $T_1$ has intensity $I$ . It causes the particle to oscillate with amplitude $A$ . A secondsimilar transverse $V$	vave
	To I		e same frequency but the amplitude of oscillation due to T <sub>2</sub> alone is 34/2.	. ^
	-2 -		State what is meant by a transverse wave.	
			[2] 0 2.5 7.5	/ /t/m
		<b>(b)</b>	Calculate 5.0	/ , •
		•	(1) the frequency of the waves.	
				, at
			frequency =Hz	
			(ii) the intensity, in terms of $I$ , of the weve $T_2$ .	
			intensity —	[4]
			intensity =	[4]
		(c)	State two conditions which are necessary for the two waves T <sub>1</sub> and T <sub>2</sub> to interfere destructively.	
			1.	[a]
			2.	[2]
		(d)	Calculate, in terms of $I$ , the intensity of the resultant wave when $T_1$ and $T_2$ interfere destructively.	
		(4)		
			intensity =	[2]
	7	(9)	at the state of th	[2]
		(a)	Calculate, for normal brightness	
			(1) the current through the lamp.	
			×	
			A Comment of the comm	
			Fig. 7-1	
			y <sub>0</sub>	

	Each lam			i		гез	sistance =	. Ω	[4]
	Each lam					200		34	[4]
- :				amps connected as shown i	n Fig.7.1.				
	Dafora co			20 Ω when cold.					
				the mains supply, an electri			necting a meter	which me	asures
	resistance	Detween	i points X and	Y. The readings shown in	rig.7.2 were	obtained.			
ĺ	Switch			actual meter reading	meter reading if no				
Ī	A.	В	C	/Ω		circuit /Ω			
	open	open	open	∞					
	closed	open	open	120 Ω	••••		Fig.7.2		
	closed	closed	open	60Ω	•••				
	closed	closed	closed	40 Ω	••••				
·	Complete	Fig 7.2	to g ive the m	eter readings, assuming that	there is no	foult in the circu	n #		
	Complete	, 1°16.7.2	to give the m	cur reamigs, assuring ma	. tilete is ito	taun in the che	ш.		
(c) [	Jse the co	moleted	Fig.7.2 to sus	gest the fault in the crouit.					
	•					··· · · · · · · · · · · · · · · · · ·			
									[2]
				ranuim-235 and Uranium-2	38. The prot	on number of t	uranium is 92.		
(	<ol> <li>Expl:</li> </ol>	ain what	is meant by i	sotopes.					
	,								
a				resentation of these two iso		• • • • • • • • • • • • • • • • • • • •	• • • • • • • • • • • • • • • • • • • •	••••••	
	, ***120				opus.				
			Ū	 U					
									[4]
	Nitrogen i	ıuclei, w	hen bombarde	ed with α- particles, may un		lear transforma	tion.		
(b) 1	· ·moPour i		nation is	$^{14}_{7}N + ^{4}_{2}He ? ^{17}_{8}O$	+				
	One such	transform	1100001110						
(	One such			his transformation.	•				
(	One such (I) Com	plete the	equation for t	,	duced in the	e transformation	n.		
(	One such (I) Com	plete the	equation for t article, other th	his transformation.		e transformation	<b>n</b> .		[3]
(	One such (I) Com	plete the	equation for t article, other th	his transformation. han the oxygen nucleus, pro		e transformation	n.		[3]
(1	One such (1) Comp (1) Ident .	plete the ify the pa	equation for t article, other the	his transformation. han the oxygen nucleus, pro		e transformation	n.		[3]
(1	One such (1) Comp (1) Ident .	plete the ify the pa	equation for t article, other the	his transformation. han the oxygen nucleus, pro		e transformation	<b>n</b> .		[3]
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(1	One such (1) Comp (1) Ident .	plete the ify the pa いっぱい	equation for the article, other the summer of the summer o	his transformation. han the oxygen nucleus, pro no Ms <sup>-1</sup> (ii) 3 200m		e transformation	<b>n</b> .		[3]
(1	One such (1) Comp (1) Ident .	plete the ify the pa いっぱい	equation for the article, other the summer of the summer o	his transformation. han the oxygen nucleus, pro no Ms <sup>-1</sup> (ii) 3 200m		e transformation	<b>n</b>		[3]
(1	One such (1) Comp (1) Ident .	plete the ify the pa いっぱい	equation for the article, other the summer of the summer o	this transformation.  than the oxygen nucleus, promotion $a_i = a_i = a_i$ that $a_i = a_i$ t		e transformation	<b>n</b> .		[3]